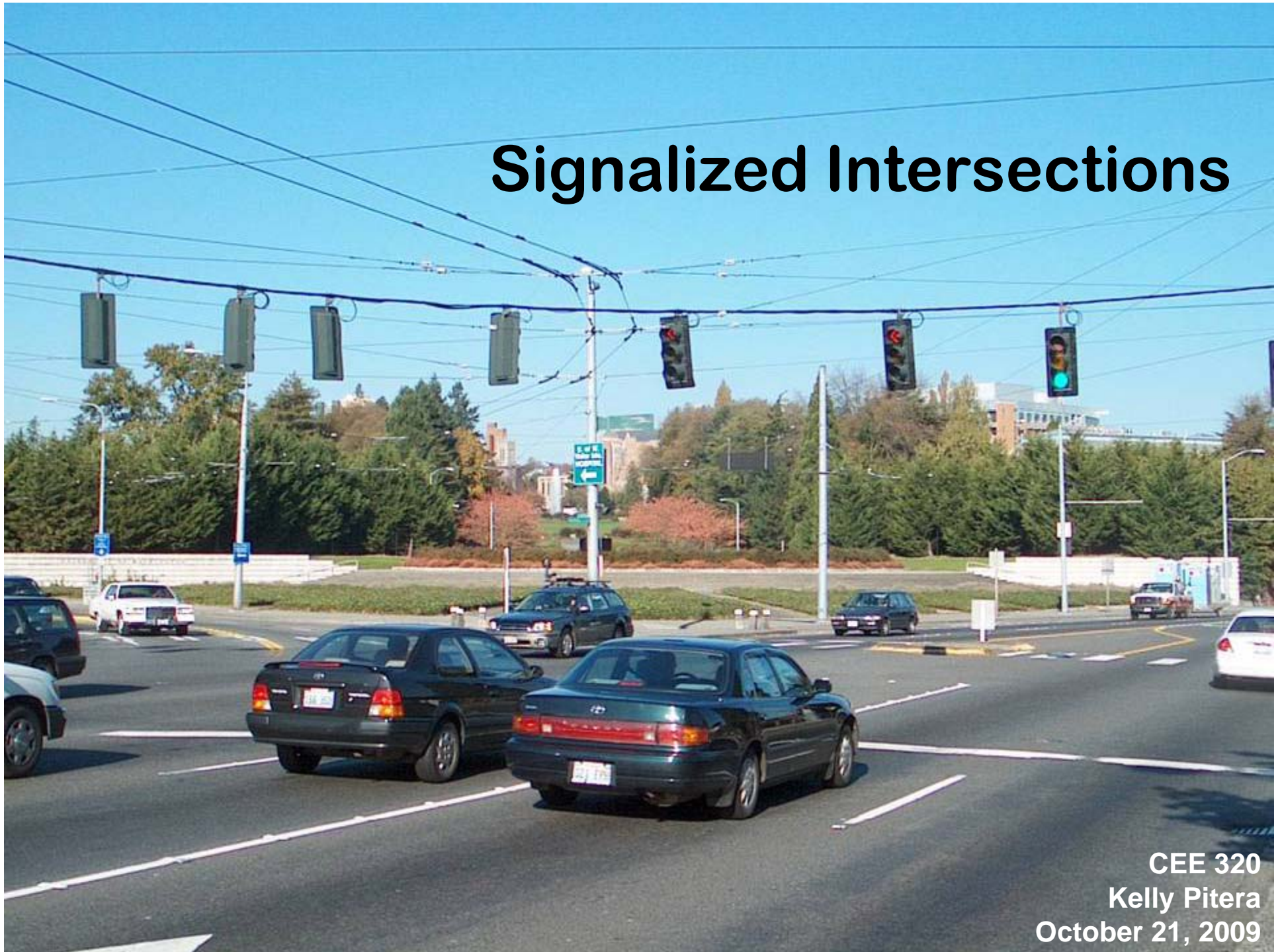


Signalized Intersections



CEE 320
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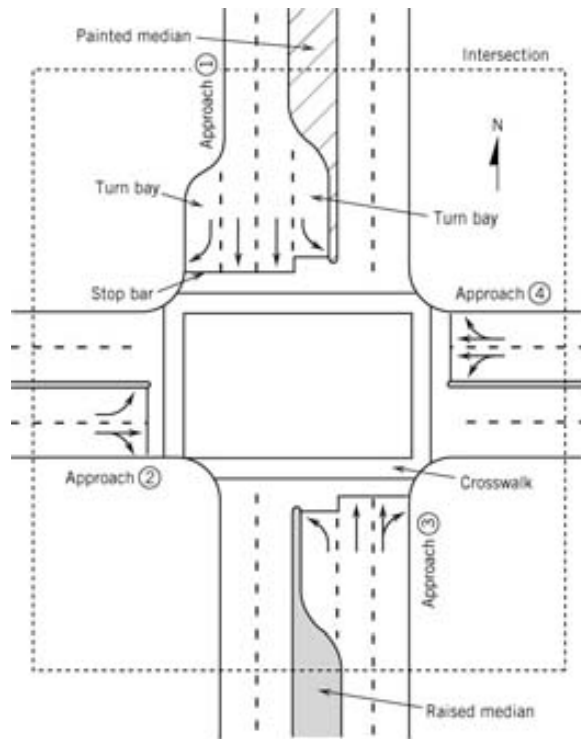
Topics to be Covered

- **Introduction/Definitions**
- **D/D/1 Queuing**
- **Phasing and Timing Plan**
- **Level of Service (LOS)**

Signalized Intersections

- **The good**
 - **Reduce crashes**
 - **Allow pedestrians to cross the street**
 - **Allow side streets to enter into traffic flows**
 - **Provide progressive flow in a corridor**
 - **Improve capacity/reduce delay**
- **And the bad**
 - **If poorly timed, can negatively impact operations**
 - **Increase crashes**
 - **Encourage routes that are not intended for high levels of traffic**

Key Definitions and Concepts



- Approaches
- Notation
 - EB/WB/NB/SB
 - Left(L)/Through(T)/Right(R)
- Pretimed
- Semi-actuated
- Fully actuated

Key Definitions and Concepts

- **Cycle**: one complete sequence (for all approaches) of signal indications (greens, yellow, reds)
- **Cycle Length (C)**: the total time, in seconds, for the signal to complete one cycle
- **Green Time (G)**: the amount of time within a cycle for which a movement or combination of movements receives a green indication
- **Change Interval/Yellow Time (Y)**: the amount of time within a cycle for which a movement or combination of movements receives a yellow indication

Key Definitions and Concepts

- **Red Time (R)**: the amount of time within a cycle for which a movement or combination of movements receives a red indication
- **Clearance Interval/All-Red Time (AR)**: the amount of time within a cycle in which all approaches have a red indication
- **Phase**: the sum of the displayed green, yellow, and red times for a movement or combination of movements that receive the right of way simultaneously during the cycle

Lost Time

- **Start-up Lost Time (t_{sl})**
 - Time lost when vehicles in a queue react to the initiation of the green phase and have to accelerate **2 seconds/phase is typical**
- **Clearance Lost Time (t_{cl})**
 - Time lost between signal phases during which an intersection is not used by traffic **2 seconds/phase is typical**
- **Lost Time (t_L)**
 - Total time when an intersection is not effectively utilized **4 seconds/phase is typical**

$$t_L = t_{sl} + t_{cl}$$

Effective Green and Red Times

- **Effective Green Time (g)**
 - Green time effectively utilized for movement
 - $g = G + Y + AR - t_L$
- **Effective Red Time (r)**
 - Time during which a movement is not effectively utilizing the intersection.
 - $r = R + t_L$
 - $r = C - g$

Saturation Flow Rate (s)

- The maximum hourly volume that can pass through an intersection, from a given lane or group of lanes, if that lane (or lanes) were allocated constant green over the course of an hour

$$s = \frac{3600}{h}$$

- s = saturation flow rate in veh/hr
 - h = saturation headway in s/veh
 - 3600 = number of seconds per hour
- Ideally 1900 pc/hr/ln

Capacity

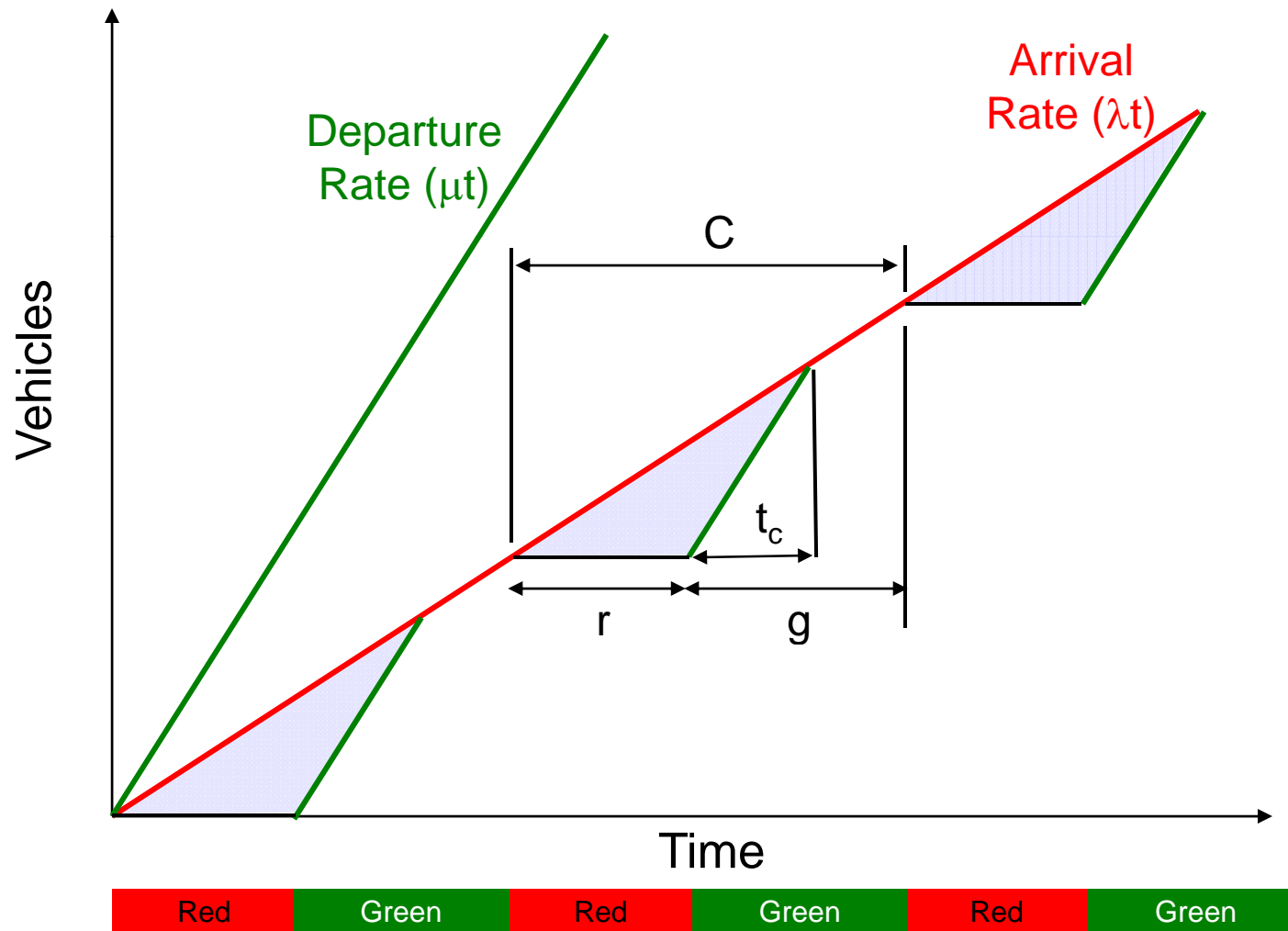
- **Approach Capacity (c)**
 - The hourly volume that can be accommodated on an approach given that the approach does not receive 100% green time
 - Saturation flow times the proportion of effective green

$$c = s \times g/C$$

EXAMPLE

- Given (for one approach)
 - $G = 20$ seconds
 - $Y = 3$ seconds
 - $R = 18$ seconds
 - $AR = 2$ seconds
- What are the effective red and green times?
- What is the cycle length and the capacity if the saturation flow rate is 1800 veh/hr?

D/D/1 Signal Analysis



Also assuming...

- **Approach arrivals < departure capacity**
 - Meaning no queue exists at the beginning/end of a cycle
- **Traffic Intensity**

$$\rho = \frac{\lambda}{\mu} \quad \rho < 1.0$$

D/D/1 Signal Analysis

- Time to queue dissipation after the start of effective green

$$t_c = \frac{\rho r}{(1 - \rho)}$$

- Proportion of the cycle with a queue

$$P_q = \frac{r + t_c}{C}$$

- Proportion of vehicles stopped

$$P_s = \frac{\lambda(r + t_c)}{\lambda(r + g)} = \frac{r + t_c}{C} = P_q \qquad P_s = \frac{\lambda(r + t_c)}{\lambda(r + g)} = \frac{\mu t_c}{\lambda C} = \frac{t_c}{\rho C}$$

D/D/1 Signal Analysis

- Maximum number of vehicles in a queue

$$Q_m = \lambda r$$

- Total delay per cycle

$$D_t = \frac{\lambda r^2}{2(1-\rho)}$$

- Average delay per vehicle

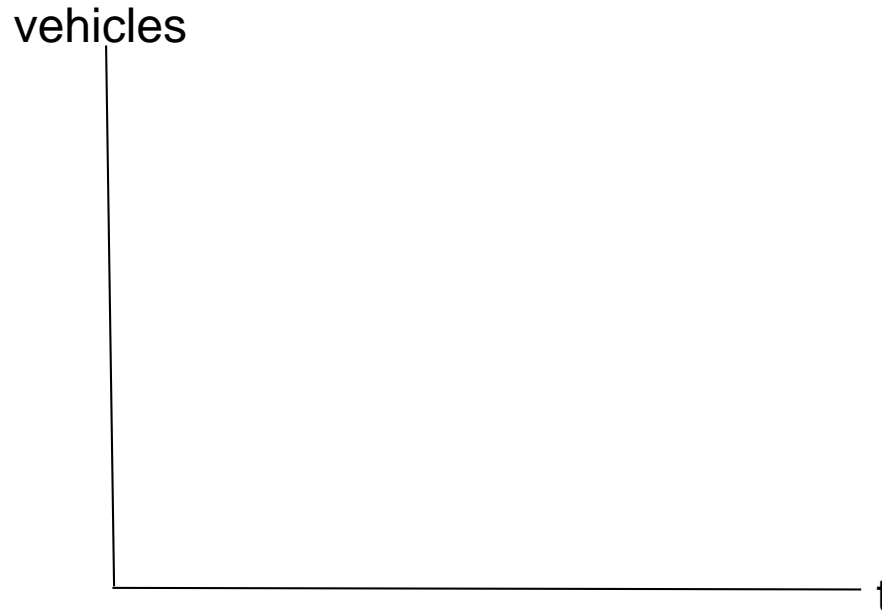
$$D_{avg} = \frac{\lambda r^2}{2(1-\rho)} \times \frac{1}{\lambda C} = \frac{r^2}{2C(1-\rho)}$$

- Maximum delay of any vehicle (assume FIFO)

$$d_{\max} = r$$

EXAMPLE

The intersection of 15th Ave NE and NE 75th St is controlled by a pre-timed signal. The saturation flow rate on westbound NE 75th St is 3200 veh/hr and is allocated 32 seconds of effective green in a 60-second signal cycle. If the flow at the approach is 960 veh/hr, provide an analysis of the intersection assuming D/D/1 queuing.



EXAMPLE

Arrival Rate

Departure Rate

Traffic Intensity

Effective Red

Time to Queue Clearance

Proportion of the Cycle with a Queue

EXAMPLE

Proportion of Vehicles Stopped

Max # of Vehicles in Queue

Total Delay/Cycle for WB 75th St

Average Delay per vehicle

Maximum Delay

Signal Optimization

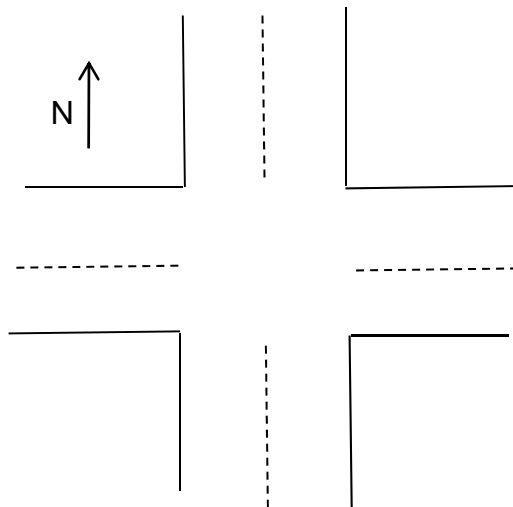
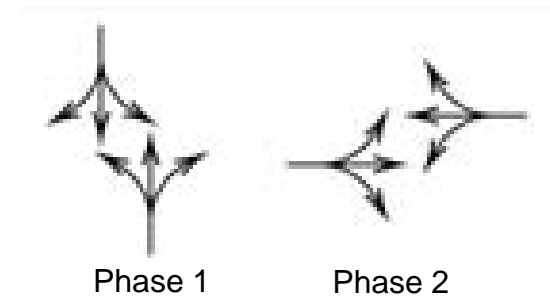
- **Conflicting Operational Objectives**
- **What should be optimized?**
 - minimize vehicle delay
 - minimize vehicle stops
 - minimize lost time
 - maximize major street green time
 - maximize pedestrian service
 - minimize accidents/severity

Traffic Signal Phasing & Timing Plan

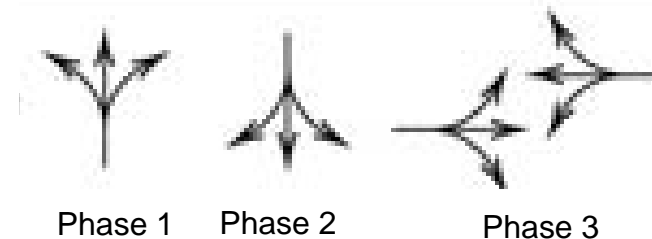
1. **Select signal phasing**
2. **Establish analysis lane groups**
3. **Calculate analysis flow rates and adjusted saturation flow rates**
4. **Determine critical lane groups and total cycle lost time**
5. **Calculate cycle length**
6. **Allocate green time**
7. **Calculate change and clearance intervals**
8. **Check pedestrian crossing time**

1. Select Signal Phasing

- A cycle is made up of phases
- Most basic: Two-phase signal:



- Same street configuration but as a three-phase signal














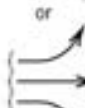


- In this class, number of phases will be given to you

2. Establish Analysis Lane Groups

- **Lane Group**: A set of lanes established at an intersection approach for separate analysis
- **Guidelines for establishing lane groups**
 - Movements made simultaneously from the same lane must be treated as a lane group
 - If an exclusive turn lane (or lanes) is present, it is usually treated as a separate lane group
 - If a lane (or lanes) with shared movements exists in a multiple lane approach, it must first be determined whether it really serves multiple movements or whether it is a de facto lane for one of the movements

2. Establish Analysis Lane Groups

Number of lanes	Movements by lane	Number of possible lane groups
1	LT + TH + RT 	①  (Single-lane approach)
2	EXC LT  TH + RT 	② 
2	LT + TH  TH + RT 	①  or ② 
3	EXC LT  TH  TH + RT 	②  or ③ 

(Figure 7.12 in text)

3. Calculate Analysis Flow Rates and Adjusted Saturation Flow Rates

- **Need to account for the peak 15-minute flow within an hour (calculate PHF)**
- **Similar to analysis of uninterrupted flow (chapter 6)**
- **For our work, assume that the approach volumes and saturation flow rates have already been adjusted**

4. Determine critical lane groups and total cycle lost time

- **Critical Lane Group:** The lane group that has the highest flow ratio/traffic intensity (v/s) for a given signal phase (lane group with the greatest demand)
- Calculate the sum of flow ratios for critical lane groups, Y_c (to be used in step 5)

$$Y_c = \sum_{i=1}^n \left(\frac{v}{s} \right)_{ci}$$

$(v/s)_{ci}$ = flow ratio for critical lane group i

n = number of critical lane groups

4. Determine critical lane groups and total cycle lost time

- Total lost time for the cycle, L (to be used in step 5)

$$L = \sum_{i=1}^n (t_L)_{ci}$$

$(t_L)_{ci}$ = total lost time for critical lane group i , in seconds

n = number of critical lane groups

- Assume the total lost time for a lane group is 4 seconds