

## Selective Catalytic Reduction of NO<sub>x</sub> by M. Pilat (3/9/98)

Given: Principal Chemical Reactions



Cylindrical tube of Catalyst of Diameter D and Length L inside a honeycomb matrix

The NO<sub>x</sub>, NH<sub>3</sub>, and O<sub>2</sub> diffuses to the inside surface of the cylindrical tube catalyst and is assumed to react quickly (i.e. reaction rate constant  $k_r =$  extremely large number). In the easiest first case, it can be assumed that the reaction rate is so fast (i.e.  $k_r =$  very large compared to  $k_m$ ) that the reaction of the NO or NO<sub>2</sub> with the NH<sub>3</sub> is limited by the rate of mass transfer (diffusion) to the catalyst surface. The pressure drop from the tube inlet to outlet is small (less than 3" H<sub>2</sub>O) and hence the gas velocity is assumed to be constant in the x or L direction.

The nomenclature is as follows:

C	=	concentration of the NO in the air	gms NO/cm <sup>3</sup>
a	=	surface area of catalyst / unit volume of reactor	cm <sup>2</sup> /cm <sup>3</sup>
D	=	effective diameter of the tube of channel	cm
K <sub>o</sub>	=	overall mass transfer coefficient	cm/sec
k <sub>m</sub>	=	mass transfer coefficient	cm/sec.
k <sub>r</sub>	=	reaction rate constant of NO with NH <sub>3</sub>	cm/sec
L	=	Length of the catalyst reactor channel	cm
L <sub>m</sub>	=	Length of one mass transfer unit	cm
N	=	Number of mass transfer units	
v	=	velocity of the gas in the catalyst tube	cm/sec
ϑ	=	diffusion coefficient of NO in air	cm <sup>2</sup> /sec

The change in the NO concentration down the tube caused by the diffusion to the wall and catalytic reduction to N<sub>2</sub> and H<sub>2</sub>O is given by the equation

$$\frac{dC, \frac{\text{gm NO}}{\text{cm}^3}}{dx, \text{cm}} = - \frac{\left( a \frac{\text{cm}^2 \text{ area}}{\text{cm}^3 \text{ volume}} \right) \left( K_o \frac{\text{cm}}{\text{sec}} \right) \left( C \frac{\text{gm NO}}{\text{cm}^3} \right)}{(v, \text{cm} / \text{sec})} \quad (3)$$

Rearranging equation 3

$$\frac{dC}{C} = - \frac{(a) (K_o) dx}{v} \quad (4)$$

and integrating from the tube inlet (  $x = 0$  and  $C = C_o$  ) to some distance x (where  $x = x$  and the NO conc. is C )

$$\int \frac{dC}{C} = - \int \frac{(a) (K_o)}{v} dx \quad (5)$$

The results of the integration are

$$\ln C - \ln C_o = \ln \frac{C}{C_o} = - \frac{(a)(K_o)(x)}{v} \quad (6)$$

$$\frac{C}{C_o} = \exp \left( - \frac{a K_o x}{v} \right) \quad (7)$$

With no vapor pressure of NO over the catalyst surface, number of mass transfer units is given by

$$N = \ln \left( \frac{C_{\text{inlet}}}{C_{\text{outlet}}} \right) \quad (8)$$

For one mass transfer unit,  $N = 1 = \ln [ C_{\text{inlet}} / C_{\text{outlet}} ]$  (9)

$$e^1 = (C_{\text{inlet}} / C_{\text{outlet}}) \quad e^{-1} = (C_{\text{outlet}} / C_{\text{inlet}}) \quad (10)$$

Equating equations 7 and 10

$$\frac{C_{\text{outlet}}}{C_{\text{inlet}}} = \exp \left( - \frac{a K_o x}{v} \right) = e^{-1} \quad (11)$$

Taking the ln of eq. 11 and solving for x for one mass transfer unit,  $N = 1$ , gives  $L_m$

$$\frac{a K_o x}{v} = 1 \quad \text{Solving for x for 1 mass transfer unit:} \quad x = \frac{v}{a K_o} = L_m \quad (12)$$

Equation 12 provides the distance  $L_m$  the gas must travel in the catalyst to reduce the NO concentration by one mass transfer unit ( 63.21 % reduction of NO ).

For catalyst with small tubes, the gas flow is in laminar flow (i.e.  $Re < 2100$  ). In laminar flow, the gas film mass transfer coefficient  $k_m$  is related to the Sherwood Number (which has the magnitude of 4.4 for cylindrical channels) by:

$$Sh = \frac{\text{Total mass transfer}}{\text{molecular mass transfer}} = \frac{k_m D}{\vartheta} \quad (13)$$

Solving for the gas film mass transfer coefficient  $k_m$

$$k_m = \frac{4.4 \vartheta}{D} \quad (14)$$

The surface area  $a$  ( $\text{cm}^2/\text{cm}^3$ ) inside the tube of the honeycomb catalyst is given by

$$a = \frac{L \pi D}{L \pi (D^2 / 4)} = \frac{4}{D} \quad (15)$$

Solving for the tube diameter  $D = 4 / a$  (16)

Some example data ( assuming that  $K_o = k_m$  ) is shown below:

	Holes/sq. inch of catalyst support		
	200	300	400
Open Area ( % )	72	65	77
Effective Hole Diameter ( inches )	.059	.046	.044
Gas Vel. in holes (ft/sec)	27.7	30.8	26.0
Reynolds Numbers	153	133	107
Length of 1 Mass Transfer Unit ( inches )	0.80	0.54	0.42
Gas Pressure Drop ( " H <sub>2</sub> O )	1.8	2.0	1.5

**Effect of Reaction Kinetics** The reduction reactions shown in equations 1 and 2 are not actually "instantaneous" and hence the effect of the reaction kinetics on the NO reduction should be included. The overall mass transfer coefficient  $K_o$  can be given by:

$$\frac{1}{K_o} = \frac{1}{k_m} + \frac{1}{k_r} \quad (17)$$

where  $k_r$  is the reaction rate constant. In reality, there are a number of reaction rate constants, however, for this example they will be combined into the one reaction rate constant,  $k_r$ . One then can calculate the overall mass transfer coef.  $K_o$  and then use the equation 7 to obtain the concentration ratio  $C/C_o$

$$\frac{C}{C_o} = \exp\left(-\frac{a K_o x}{v}\right) \quad (7)$$

How does one obtain the magnitude of this pseudo reaction rate coefficient  $k_r$  from experimental data? An example calculation is provided below.

### Example Calculation of NO Catalytic Reduction Reaction Rate Constant $k_r$

Given: 200 CPSI cell density,  $T=350^\circ\text{C}$  ( $662^\circ\text{F}$ ), Space vel. =  $20,000 \text{ hr}^{-1}$ ,  $\text{NH}_3/\text{NO} = 0.95/1$   
 Diffusivity of NO at  $662^\circ\text{F} = 0.8 \text{ cm}^2/\text{sec}$ . Hole Dia. =  $0.059 \text{ "}$  =  $.00492 \text{ ft}$  Cat. L =  $4.5 \text{ ft}$   
 NOx reduction = 95% for 42 ppm NO at cat. inlet (Fig. 13 or Engelhard paper by Durilla, et al)

Find: Magnitudes of  $k_m$ ,  $k_r$ , and  $K_o$

- Solve for catalyst surface area  $a = (4/D) = (4/.00492\text{ft}) = 813.56 \text{ ft}^2/\text{ft}^3$
- Solve for gas vel.  $v = (\text{Space Vel, hr}^{-1}) (\text{Cat. Length}) = (20,000 \text{ hr}^{-1})(4.5 \text{ ft}) = 25 \text{ ft/sec}$ .
- Solve for  $K_o$

$$K_o = -\frac{v}{a x} \ln\left(\frac{C}{C_o}\right) = -\frac{(25 \text{ ft/sec})}{(813.56 \text{ ft}^2/\text{ft}^3)(4.5 \text{ ft})} \ln(0.95) = -(0.006829)(-0.051293) = 0.0003503 \frac{\text{ft}}{\text{sec}}$$

- Solve for  $k_m$  with equation 14

$$k_m = \frac{(4.4 \text{ } \phi)}{D} = \frac{(4.4)(0.8 \text{ cm}^2/\text{sec})}{(0.00492 \text{ ft})(30.48 \text{ cm/ft})} = 23.473 \frac{\text{cm}}{\text{sec}} = 0.7701 \frac{\text{ft}}{\text{sec}}$$

- Solve for  $k_r$  with equation 17

$$\frac{1}{k_r} = \frac{1}{K_o} - \frac{1}{k_m} = \frac{1}{0.0003503 \text{ ft/sec}} - \frac{1}{0.7701 \text{ ft/sec}} = 2,854.7 - 1.2985 = 2,853.40 \text{ sec/ft}$$

$$k_r = 0.0003505 \text{ ft/sec} = 0.010682 \text{ cm/sec}$$

### Gas Pressure Drop Across the Catalyst

The gas pressure drop across the catalyst can be calculated by  $\Delta p = \frac{2 f L v^2 \rho}{g_c D}$

The Fanning friction factor  $f$  is  $16/\text{Re}$  for circular tubes and  $14/\text{Re}$  for square channels.

The other variables are  $L$  = total length of catalyst tube,  $v$  the gas velocity,  $\rho$  the fluid gas density,  $g_c$  the gravitational constant, and  $D$  the effective diameter of the channel or tube.

## Natural Gas Fueled Gas Turbine NO<sub>x</sub> Exhaust Gas Concentrations

Given: The exhaust gases from a gas turbine plant (burning natural gas) has the following composition at 1.0 atm. pressure:

74.0% N<sub>2</sub>  
 16.0% O<sub>2</sub>  
 3.6% CO<sub>2</sub>  
 6.4% water vapor at 1,340°F or 999.66°K

Molecular wt of NO = 30.01

$$C_{\text{NO}_x}(\text{corrected to } 15\% \text{ O}_2) = \left\{ \frac{20.9 - 15\% \text{O}_2}{20.9 - \text{Stack Gas } \% \text{O}_2} \right\} (\text{stack gas } C_{\text{NO}_x})$$

New Source Perf. Std. for Gas Turbines = 0.2 lb NO<sub>x</sub> per million Btu heat input (pp 77 WW&D)

F<sub>d</sub> = 8740 ft<sup>3</sup> gas emitted per million Btu heat input for nat. gas combustion

$$E \frac{\text{lb NO}_x}{10^6 \text{ Btu Heat Input}} = \left( \text{NO}_x \frac{\text{lb}}{\text{ft}^3} \right) \left( F_d \frac{\text{ft}^3}{10^6 \text{ Btu Heat Input}} \right) \left( \frac{20.9}{20.9 - \text{O}_2 \text{Dry}} \right)$$

where O<sub>2</sub>Dry is the % oxygen in the gases on dry basis (i.e. 0% water vapor)

Find:

- a. Conc of NO in exhaust gases corresponding to the 0.2 lb/10<sup>6</sup> Btu NSPS allowed emission  
 \_\_\_\_\_ ppm NO dry corrected to 15.0% dry O<sub>2</sub>

- b. Will the NO equilibrium conc. @ 1,340°F calc. meet the NSPS EPA standards?

In other words, there is an equilibrium reaction  $\text{N}_2 + \text{O}_2 \rightleftharpoons 2 \text{NO}$

The equilibrium constant K<sub>p</sub>  $K_p = \frac{[\text{NO}]^2}{[\text{N}_2][\text{O}_2]} = 7.5 \times 10^{-9}$  at 1,340°F

This K<sub>p</sub> is from Table 8-4 pp 435. [NO] is the NO concentration.

Note that the NO, N<sub>2</sub>, and O<sub>2</sub> need to all be in the same concentration units.

One can use this relationship to calculate the NO equilibrium concentration using the known K<sub>p</sub>, N<sub>2</sub> conc. of 74.0% and O<sub>2</sub> conc. of 16.0% (these are wet basis concentrations).

(see pages 434-446 WW& Davis for discussion of NO and NO<sub>2</sub> formation)

## NOx Exhaust Gas Concentrations and Emission Standards Gas Turbine burning natural gas as fuel

Exhaust Gases of 74% N<sub>2</sub>, 16% O<sub>2</sub>, 3.6% CO<sub>2</sub>, and 6.4% water vapor T=1,340 Deg F

### a. Concentration of NO corresponding to NSPS of 0.2 lb NOx/million Btu Heat Input

EPA Federal Emission Standards for Gas Turbines were established in 1979 for NOx and SO<sub>2</sub>  
NSPS = 0.2 lb NOx per million Btu heat input = E Fd = 8740 cubic ft gas / million Btu Heat input

$$E := 0.2 \cdot \left( \frac{\text{lb}}{1000000 \cdot \text{BTU}} \right) \quad \text{Cd} = \text{NOx conc., lb NOx / dscf} \quad \text{O2Dry} = \text{oxygen conc., \% by vol., dry} \quad \text{Fd} := 8740 \cdot \left( \frac{\text{ft}^3}{1000000 \cdot \text{BTU}} \right)$$

$$\text{O2Dry} := 15.0$$

$$E := (\text{Cd}) \cdot (\text{Fd}) \cdot \left( \frac{20.9}{20.9 - \text{O2Dry}} \right) \quad \text{Cd} := \frac{E}{\left( 8740 \cdot \frac{\text{ft}^3}{1000000 \cdot \text{BTU}} \right) \cdot \left( \frac{20.9}{20.9 - \text{O2Dry}} \right)}$$

$$\text{Cd} = 6.45987759 \cdot 10^{-6} \cdot \frac{\text{lb}}{\text{ft}^3}$$

Vol. 1 lb mole @ 68 deg F = (359) (528R/492R) = 385.2683 cubic ft

Conversion Factor = (30.01 lb/mole) / [(385.2683 cf/mole) (million)] = 7.7894 E-8 (lb/cf)/(ppm NO)

$$\text{ppm} := \frac{\left( \frac{\text{Cd}}{\frac{\text{lb}}{\text{ft}^3}} \right)}{7.7894 \cdot 10^{-8}}$$

NSPS allowed NO conc.  
corrected to 15.0% oxygen = ppm = 82.93164545

NSPS allowed Emission NO Conc. corrected to 15.0% Oxygen = 82.9316 ppm

### b. Calc. of NO Equilibrium Conc. at 1,340 Deg. F or 999.66 Deg K @ Kp = 7.5 x 10<sup>-9</sup> pp 435

WW&Davis

Using gas conc. on a wet basis

$$K_p := \frac{\text{NO}^2}{(\text{N}_2) \cdot (\text{O}_2)}$$

$$\text{N}_2 := 74.0 \cdot \% \quad \text{O}_2 := 16.0 \cdot \% \quad K_p := 7.5 \cdot 10^{-9}$$

Solving for NO

$$\text{NO} := \left[ (7.5 \cdot 10^{-9}) \cdot (74.0 \cdot \% ) \cdot (16.0 \cdot \% ) \right]^{0.5}$$

$$\text{ppm} := .0001 \cdot \% \quad \text{NO} = 2.979933 \cdot 10^{-3} \cdot \% \quad \text{NO} = 29.79932885 \cdot \text{ppm}$$

NO Equil. Conc. at 1,340 Deg F, 6.4% water vapor, & 16% oxygen = 29.80 ppm

Correct from NO wet to NO dry concentration & at 15.0% Oxygen

$$\text{NOwet} := 29.79933 \cdot \text{ppm}$$

$$\text{BWS} := 0.064$$

$$\text{NOdry} := \frac{\text{NOwet}}{(1 - \text{BWS})}$$

BWS = fractional Conc. water vapor

$$\text{O2wet} := 16.0 \cdot \%$$

$$\text{NOdry} = 31.83689103 \cdot \text{ppm}$$

$$\text{O2dry} := \frac{\text{O2wet}}{(1 - \text{BWS})}$$

$$\text{O2dry} = 17.09401709 \cdot \%$$

$$\text{Diff} := 20.9 - 17.09401709$$

$$\text{NOcorrected} := (\text{NOdry}) \cdot \left( \frac{5.9}{\text{Diff}} \right)$$

$$\text{Diff} = 3.80598291$$

NO Corrected to 15%  
Oxygen

$$\text{NOcorrected} = 49.35325814 \cdot \text{ppm}$$

NO Equil. conc. dry @ 15.0% Oxygen = 49.35 ppm by gaseous volume

Thus NO Equilibrium Conc of 49.35 ppm will meet NSPS of 82.93 ppm NO corr. to 15% O<sub>2</sub>  
This implies that NSPS is not a very restrictive emission std (which is typical for EPA NSPS).  
Note that new installations must meet EPA BACT, not merely NSPS.

# VNX™ SCR Catalysts

Engelhard's VNX family of SCR catalysts is based upon vanadia/titania as the principle catalytic material. Vanadia/titania SCR catalysts are used in numerous NO<sub>x</sub> reduction applications, and have been successfully demonstrated in reciprocating engine, gas turbine and utility/industrial boiler applications.

Engelhard VNX catalysts feature composite honeycomb configurations which use highly active vanadia/titania catalytic coatings on ceramic structures. The honeycomb structures are available in a range of cell sizes to facilitate catalyst designs which meet individual application requirements.

## Temperature Range

- 600 to 750°F optimum
- 575 to 800°F maximum
- Under 575°F, NO<sub>x</sub> efficiency is reduced with increased NH<sub>3</sub> slip
- Above 800°F, catalytic efficiency decreases with time

## Performance

- NH<sub>3</sub> reacts with NO<sub>x</sub> to form nitrogen and water
- NO<sub>x</sub> conversion increases with NH<sub>3</sub> injection
- With 0.9:1.0 NH<sub>3</sub>:NO<sub>x</sub> ratio 90% NO<sub>x</sub> conversion and low NH<sub>3</sub> slip from 575 to 700°F (Figure 1)
- Higher operating temperatures decrease NH<sub>3</sub> slip; but increase NH<sub>3</sub> consumption (Figures 2 and 3)

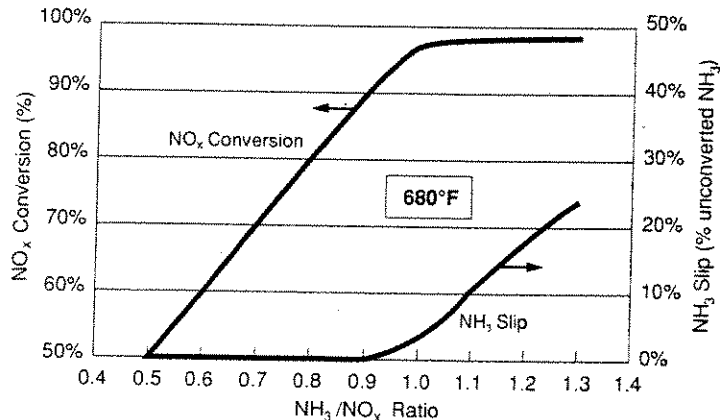


FIGURE 2

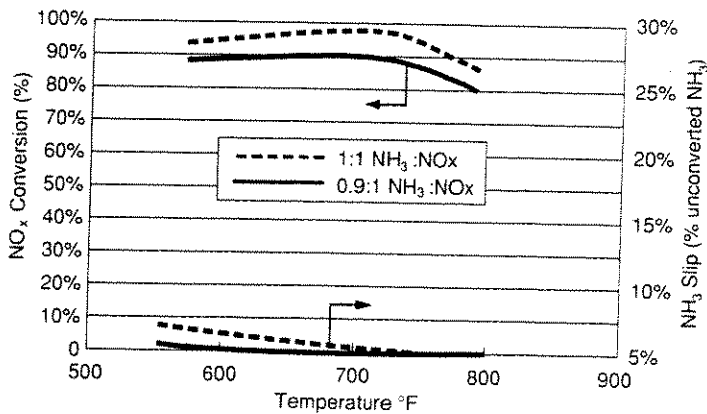


FIGURE 1

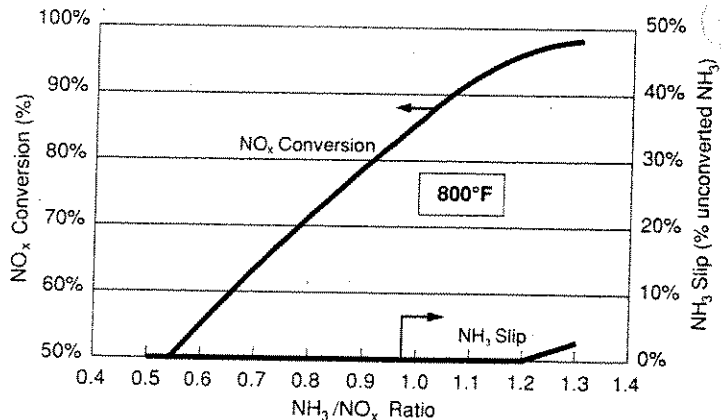


FIGURE 3

For additional information contact:  
 Engelhard Corporation, Environmental Catalysts Group, 101 Wood Avenue, Iselin, NJ 08830-0770  
 Telephone: (908) 205-6634 • Fax: (908) 205-6146 • Telex: 219984

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 EXCEPTIONAL TECHNOLOGIES

## CEE494 NOx Control with SCR

Given: Three Coal-Fired Power Plants with Hitachi Plate SCR

1. AES Somerset power plant near Buffalo, New York retrofitted with SCR in 1999. Burns coal primarily from Pennsylvania with heating value of 13,100 Btu/lb and 3% Sulfur.
2. Kansas City Power & Light Hawthorn power plant near Kansas City burns Wyoming Powder River Basin bituminous coal with SCR operational since May 2001.
3. Carolina Power & Light Roxboro #4 power plant near Roxboro, North Carolina

Hitachi plate type catalyst with 6 mm pitch, vanadium & molybdenum on TiO<sub>2</sub> base  
plate wall thickness = 0.9 mm

area open to gas flow is calculated to be about 85% based on 6 mm pitch, 5.1 mm between plate surfaces, and 0.9 mm wall thickness but Hitachi reports open are for flow at 82% (the difference is probably due to structural members and spacing between modules).

photo of Roxboro plant's Hitachi catalyst shows the parallel plates (probably steel) with S-shaped bends spaced about 67 mm or 6.7 cm or 2.6" apart - most likely for structural stiffness and perhaps to maintain the about 6 mm-0.9 = 5.1 mm spacing between the plates.

Find: (put final answers below; attach calculations)

- a. Catalyst surface area/volume ratio (ft<sup>2</sup>/ft<sup>3</sup>) Hitachi plate type catalyst with 6 mm pitch
- b. Overall mass transfer coefficient K<sub>o</sub> including reaction rate constant for Hitachi plate type catalyst for NOx reduction with NH<sub>3</sub> at temp for the 3 power plants in table.
- c. Catalyst space velocity  $\theta$  (1/hr) for each of the three power plants
- d. Catalyst length in direction of gas flow (ft) for each of the three power plants.

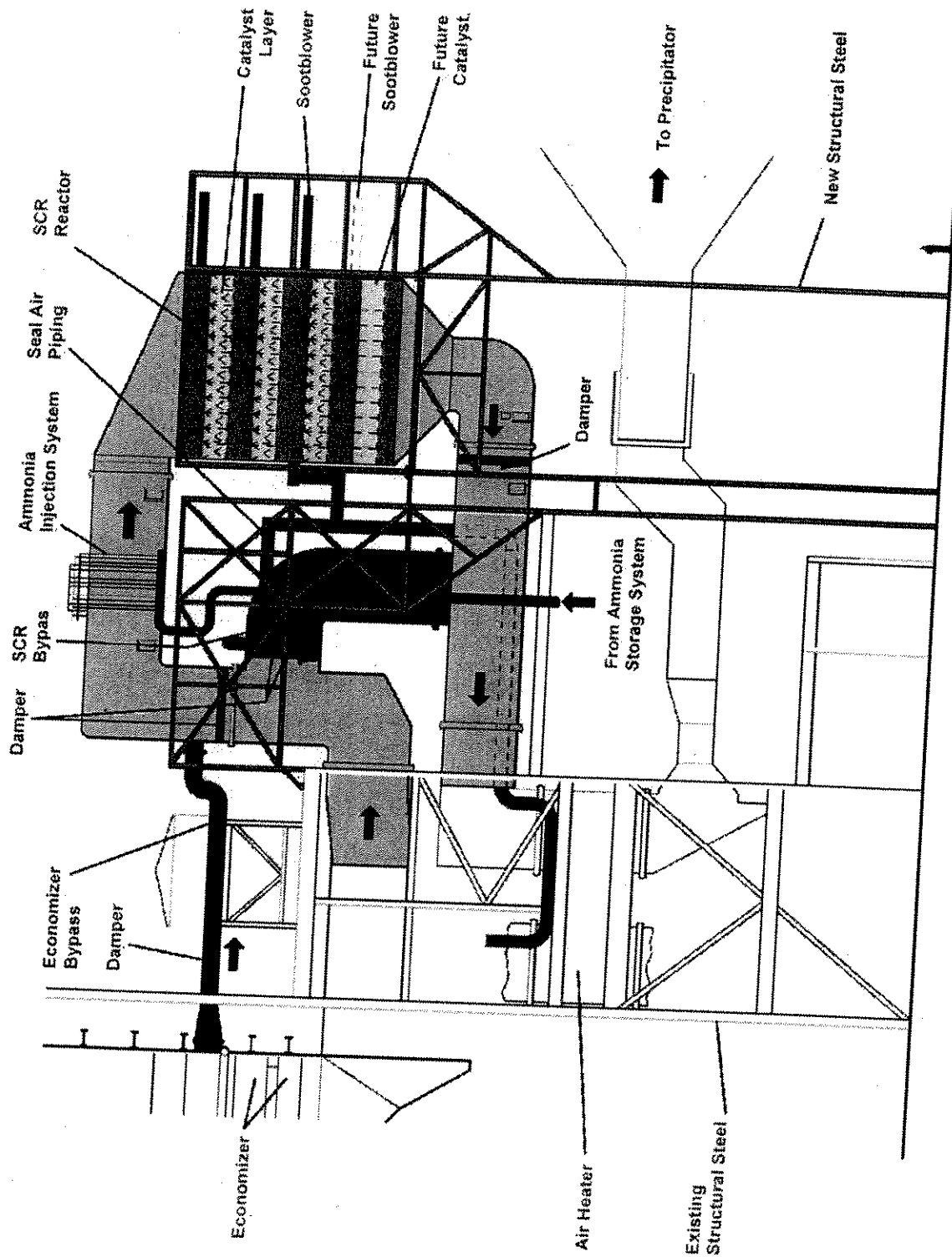
	Somerset	Roxboro	Hawthorn
Generating Capacity MW)	675	735 or 367.5 ?	550
Fuel	Bituminous	Bituminous	Sub-bituminous
Cat configuration	high dust	low dust	high dust
Gas Temp (°F)	649	735	695
Gas flow	6,500,000 lb/hr	1,725,300 scfm	5,595,000 lb/hr
Inlet NOx (ppm)	340	278	135
O <sub>2</sub> (%)	3%	3.25	3.5
H <sub>2</sub> O (%)	7%	6.5	13.6
SO <sub>2</sub> (ppm)	1140-3490	1140-3490	420
Dust	5 grain/scf	100 mg/Nm <sup>3</sup>	32,710 mg/Nm <sup>3</sup>
Outlet NOx (ppm)	34	58.5	59.2
NH <sub>3</sub> Slip (ppm)	3	2	2
Catalyst Volume (m <sup>3</sup> )	897	314	477
Gas Vel (m/sec)	6.0	6.0	5.7
Pressure Drop ("WG)	2.8	1.3	2.0
Ko (cm/sec)			
Catalyst Space Vel $\theta$ (1/hr)			
Catalyst Length (ft)			

**Email Response from Hitachi's Dr. Howard Franklin May 23, 2002**

1. We (Hitachi) use  $330 \text{ m}^2/\text{m}^3 = 100.6 \text{ ft}^2/\text{ft}^3$
2. We define space velocity as  $\text{Nm}^3/\text{hr}$  of flow/Cat volume in  $\text{m}^3$  ( $N = 1 \text{ atm}$  and  $0^\circ\text{C}$ )
  - a. AERS =  $(2,241,230 \text{ Nm}^3/\text{hr}/\text{Reactor}) / (897\text{m}^3 \text{ reactor}) = 2,498.58/\text{hr}$  Eff = 90%
  - b Hawthorn =  $(1,161,925 \text{ Nm}^3/\text{hr}) / (477\text{m}^3 \text{ reactor}) = 2,435.90/\text{hr}$  Eff = 55.6%
  - c. Rox =  $(1,206,000 \text{ Nm}^3/\text{hr}) / (318.8 \text{ m}^3 \text{ reactor}) = 3,831.00/\text{hr}$  Eff = 78.95%
3. Each block is made up 2 wide x 4 deep 2 high UNITS as shown in the attachment. Each unit is approximately 454 mm x 454 mm and thus a block has a catalyst surface area of about  $1.650 \text{ m}^2$  ( $= 0.454 \times 0.454 \times 8$ ). *Pilat guesses this is area perpendicular to gas flow.* Plate lengths are about 10 mm in length increments.
4. AES has 12 wide x 12 deep x 3 high = 432 blocks Depth =  $897 \text{ m}^3/144 \times 1.65 = 3.778 \text{ m}$   
(plate depth  $3778/6 = 630 \text{ mm}$ ) *3.778 meters = 12.395 ft*
5. Hawthorne has 6 wide x 11 deep 2 high = 132 blocks Depth =  $238 \text{ m}^3/\text{Reactor}/66 \text{ blocks} \times 1.65 = 2.921 \text{ m}$  (plate depth =  $2921/4 = 550\text{mm}$ ) *2.921 meters = 9.583 ft*
6. Rox has 16 wide x 6 deep x 2 high = 192 blocks Depth =  $314.8 \text{ m}^3/96 \text{ block} \times 1.65 = 1.988 \text{ m}$   
(plate depth =  $1988/4 = 500 \text{ mm}$ ) *1.988 meters = 6.522 ft*

**Pilat's Comments:**

- 1) Note that Dr. Franklin uses gas volumetric flow rate in "normal conditions" to calculate space velocity. *I think that convention is to use flow at actual conditions.*
- 2) Franklin's Rosboro flow =  $1,206,000 \text{ Nm}^3/\text{hr} = 709,928.725 \text{ cfm}$  @  $0^\circ\text{C} = 761,874.7 \text{ scfm}$ .  
*Is Hitachi's article showing 1,725,3000 scfm in error?*
- 3) Franklin's NOx conversion efficiencies agree with our NO inlet and outlet concentrations.
- 4) Width & depth is area perpendicular to gas flow. "3 high implies 3 layers of catalysts".
- 5) A photo of the Hitachi catalytic "UNIT" is shown on the internet web site at <http://www.hitachi.com/products/power/techpapers/index.html> in paper APC 2002 "Recent Experiences with SCR Catalysts for PRB Coal", April 15-17, 2002 conference.



**Kansas City Power & Light Hawthorn Power Station  
500 MW Coal-Fired Boiler, 5 miles NE Downtown Kansas City**

Unit 5 explosion destroyed boiler but electrostatic ppt survived. New pulverized coal-fired boiler installed about June 2001. Using Powder River Basin coal.  
4 million lb steam/hr at 2520 psig & 1005 °F Natural circulation, balanced draft, subcritical boiler  
Up-rated GE G3 turbine generator expected to produce 550 MW net of plant auxiliaries

**Air Pollution Control Equipment:**

B&W DRB-4Z ultra-low NO<sub>x</sub> burners

Selective catalytic reduction (SCR) NO<sub>x</sub> control with NH<sub>3</sub>

located between economizer and air preheater, 66 catalyst modules, 3' x 6' module

Temp = 700°F, Outlet NO<sub>x</sub> 59ppm (0.08 lb NO<sub>x</sub>/million Btu), NH<sub>3</sub> slip 2ppm @ 3% O<sub>2</sub>

Hitachi plate type catalyst with 6 mm pitch, vanadium & molybdenum on TiO<sub>2</sub> base

spray dryer injection of alkaline (lime + fly ash slurry) for SO<sub>2</sub> control

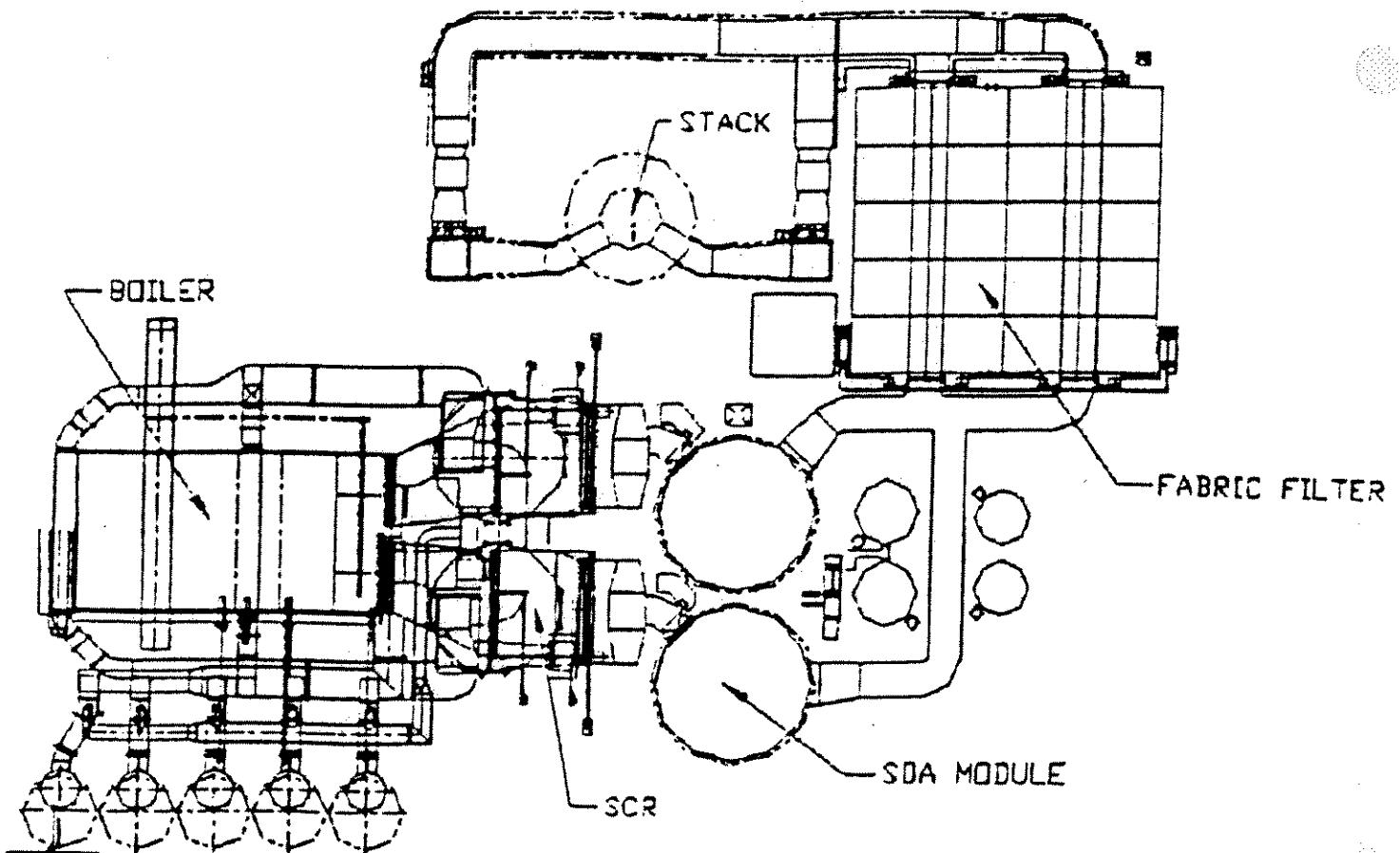
1,830,000 to 1,895,000 acfm @ 270°F inlet, 155 to 160°F outlet, gas residence time = 10 to 12 sec, Outlet SO<sub>2</sub> = 20 to 30 ppm, 94% SO<sub>2</sub> reduction; lime stoichiometry = 1.08

10 compartment pulse-jet filter baghouse installed inside existing el ppt building,

13,520 bags - 26,3 ft x 5.9" dia. (8 meter x 15 cm dia)

Flow = 1,720,000 acfm at 161°F Air/cloth = 3.62 ft/min net, 3.26 ft/min gross

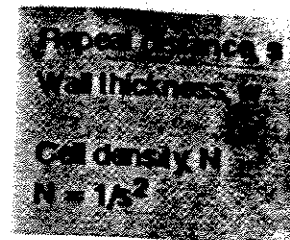
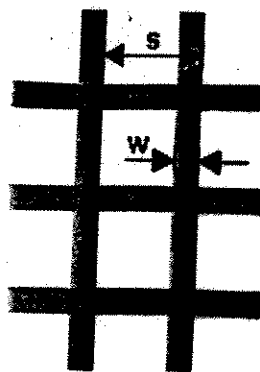
inlet = 160,000 lb/hr maximum; outlet particles = 0.018 lb/million Btu heat input



**Figure 1 Hawthorn emissions control equipment arrangement.**

# Honeycomb Cellular Monolith Catalyst Substrates (square cell matrix geometry)

Cell density = number of channels/unit cross-sectional area  
 Cell wall thickness = w  
 cell repeated distance = s = cell width + wall thickness  
 Specific geometric surface area  
 $a_g$  = catalyst channel surface area/unit volume of catalyst



For illustration, assume  $s = 6$ ,  $w = 1$   $s := 6\text{-mm}$   $w := 1\text{-mm}$

For square cells  $a_g := 4 \cdot \frac{(s-w)}{s^2}$   $a_g = 169.333 \frac{\text{ft}^2}{\text{ft}^3}$

It can be seen that this equation gives the square catalyst surface area/catalyst volume

The hydraulic diameter  $d_h$  of the substrate channels is used to identify the size for non-circular channels in most hydraulics, mass transfer, and heat transfer calculations.  $d_h = 4(\text{channel open area})/(\text{channel wetted perimeter})$

$$d_h := \frac{4 \cdot (s-w)^2}{4 \cdot (s-w)}$$

$$d_h = 5\text{-mm}$$

Open frontal area OFA is the area open for gas flow and is often expressed as the % of total substrate cross-section perpendicular to the flow direction. For square cells, the ratio of open area to total cross-sectional area is given by

$$\text{OFA} := \frac{(s-w)^2}{s^2}$$

The hydraulic diameter  $d_h$  can also be expressed in terms of the OFA as

$$\text{OFA} = 0.694$$

Notice that in this case the hydraulic diameter = open width of this square channel

$$d_h := \frac{4 \cdot \text{OFA}}{a_g}$$

$$d_h = 5\text{-mm}$$

EPA video says "pitch is center to center distance between channels"

Now let us look at an example of the calculation of the NOx conversion % versus some of the parameters. NOx conversion is to the NOx reduction efficiency =  $(C_{inlet} - C_{outlet})/C_{inlet} = 1 - (C_{outlet}/C_{inlet})$

$$\text{NOx Conversion} := 1 - \text{Penetration} \quad \text{Penetration} := \left[ \exp \left[ - \left( \frac{\text{area} \cdot K_o \cdot \text{Length}}{\text{velocity}} \right) \right] \right]$$

Using the information from the Example calculation in Pilat's class handout (which used the data from Fig. 13 of the Engelhard paper by Durilla et al.) Cell density =  $N = 200$  cells/sq inch, Temp = 662F = 1122R, Space vel =  $\theta = 20,000$  hr<sup>-1</sup>,  $s = 1.796051$ mm

$$T := 1122\text{-R} \quad N := 200\text{-in}^{-2} \quad s := \sqrt{\frac{1}{N}} \quad s = 1.796051\text{-mm} \quad \text{Wallthickness} := 0.2975\text{-mm} \quad i := 0..9$$

$$d_h := s - \text{Wallthickness}$$

$$d_h = 1.499\text{-mm} \quad d_h = 0.05900\text{-in} \quad w := \text{Wallthickness}$$

$$\text{area} := 4 \cdot \frac{(s-w)^2}{s^2} \quad \text{area} = 566.382 \frac{\text{ft}^2}{\text{ft}^3} \quad \theta := 20000\text{-hr}^{-1} \quad \text{Length} := 4.5\text{-ft}$$

$$\text{velocity} := \theta \cdot \text{Length} \quad \text{velocity} = 25.00\text{-ft}\cdot\text{sec}^{-1}$$

The difference between this 566.38 and the 813.6 ft<sup>2</sup>/ft<sup>3</sup> in the Pilat handout has to do with the cell wall thickness, the % of area open for gas flow, and assumption in handout that holes are circular.

$$K_o := - \left( \frac{\text{velocity}}{\text{area} \cdot \text{Length}} \right) \cdot \ln \left( \frac{5}{100} \right) \quad K_o = 0.89565 \frac{\text{cm}}{\text{sec}} \quad K_o = 0.02938 \frac{\text{ft}}{\text{sec}}$$

xx is for meter to ft conversion

$$\eta_i := 1 - \exp \left[ - \left( \frac{\text{area} \cdot K_o \cdot x_i}{\text{velocity}} \right) \right] \quad P_{t_i} := \exp \left[ - \left( \frac{\text{area} \cdot K_o \cdot x_i}{\text{velocity}} \right) \right] \quad xx := \left( \frac{100}{2.54} \right) \cdot \left( \frac{1}{12} \right) \cdot x$$

