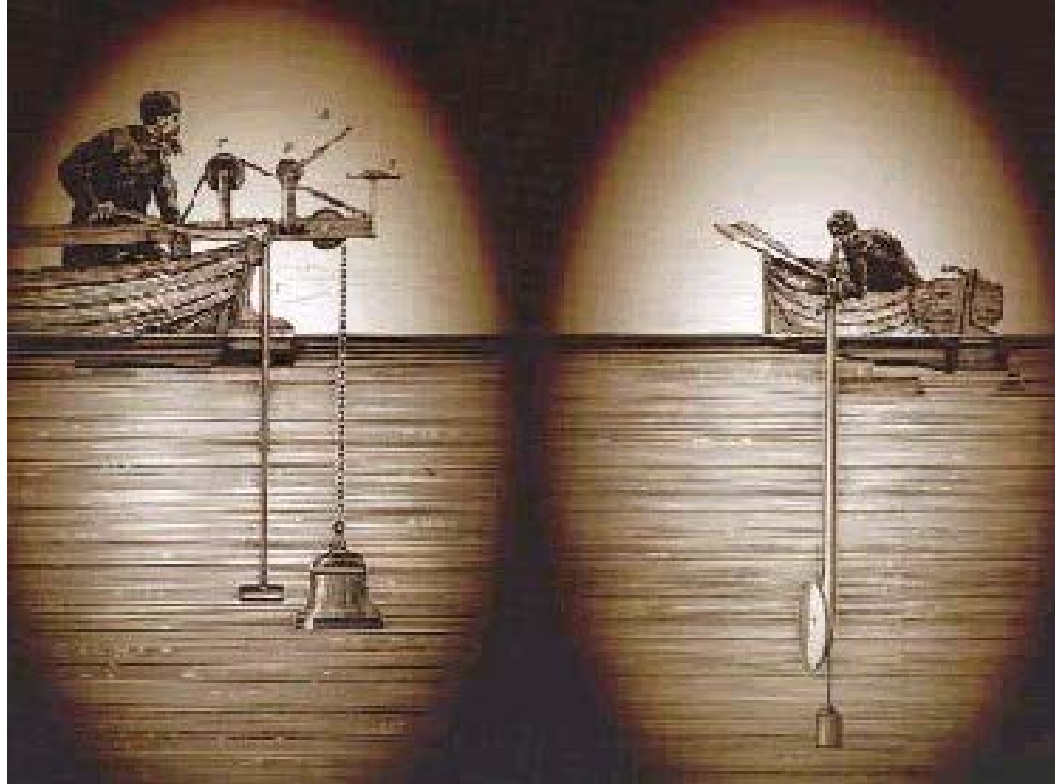


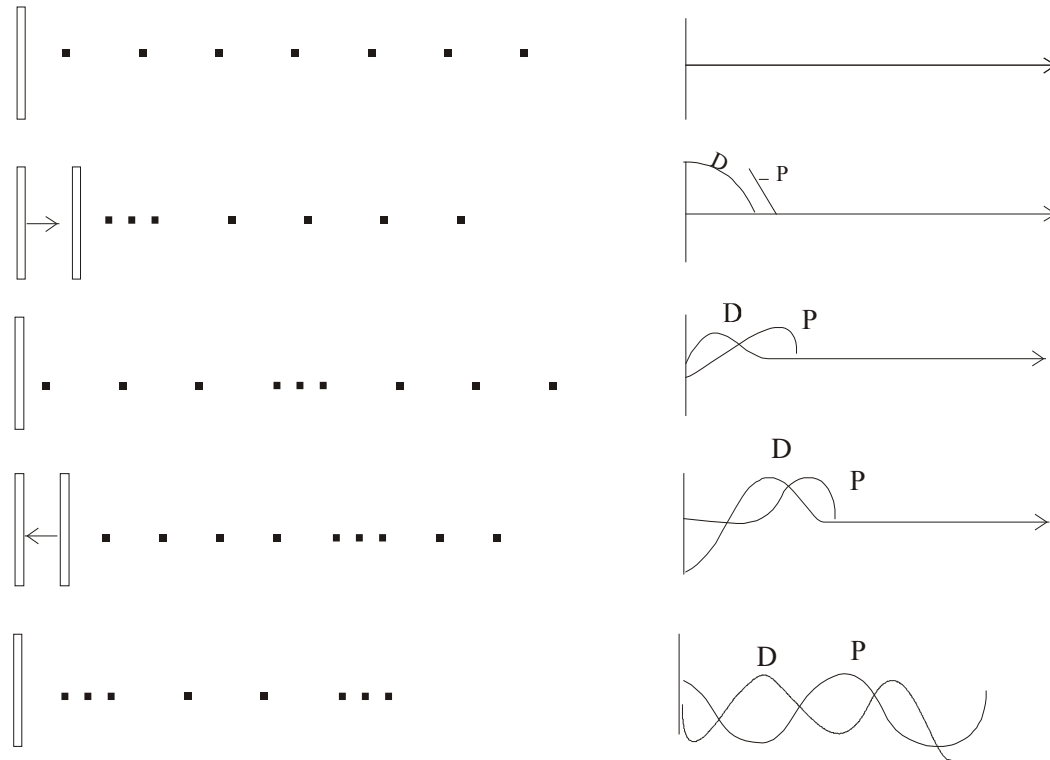
Principles of Underwater Sound



LO: Apply characteristics of sound in water to calculate sound levels.

What is Sound?

A disturbance propagated through an elastic medium causing a detectable alteration in pressure or a displacement of the particles.



Measuring Sound

Pressure (p): force/area

$p = \text{force/area}$, units Newton/m² (Pascal), $[\text{MLT}^{-2}/\text{L}^2] = [\text{MT}^{-2}\text{L}^{-1}]$

Imperial to SI conversion: 1 $\mu\text{Bar} = 10^5 \mu\text{Pa}$

Power (P): force * velocity

$P = \text{force} * \text{velocity}$, units watts, $[\text{MLT}^{-2} * \text{LT}^{-1}] = [\text{ML}^2\text{T}^{-3}]$

Intensity (I): power/area

$I = \text{power/area} = p^2/\rho c$

where $\rho = \text{density}$, mass/volume, units kg m⁻³ $[\text{ML}^{-3}]$

Quantity Relationships

Intensity is proportional to pressure squared

$$I \propto p^2$$

Pressure squared is proportional to power

$$p^2 \propto P$$

What is relationship between Intensity and Power?

What is a Decibel ?

A ratio in logarithmic form.

Intensity ratio: $10 \log (I/I_o)$ where I_o is the reference intensity at 1 m

Pressure ratio: $10 \log (p^2/\rho c / p_o^2/\rho c) = 20 \log (p/p_o)$ where p_o is a reference pressure (1 μPa) at 1 m

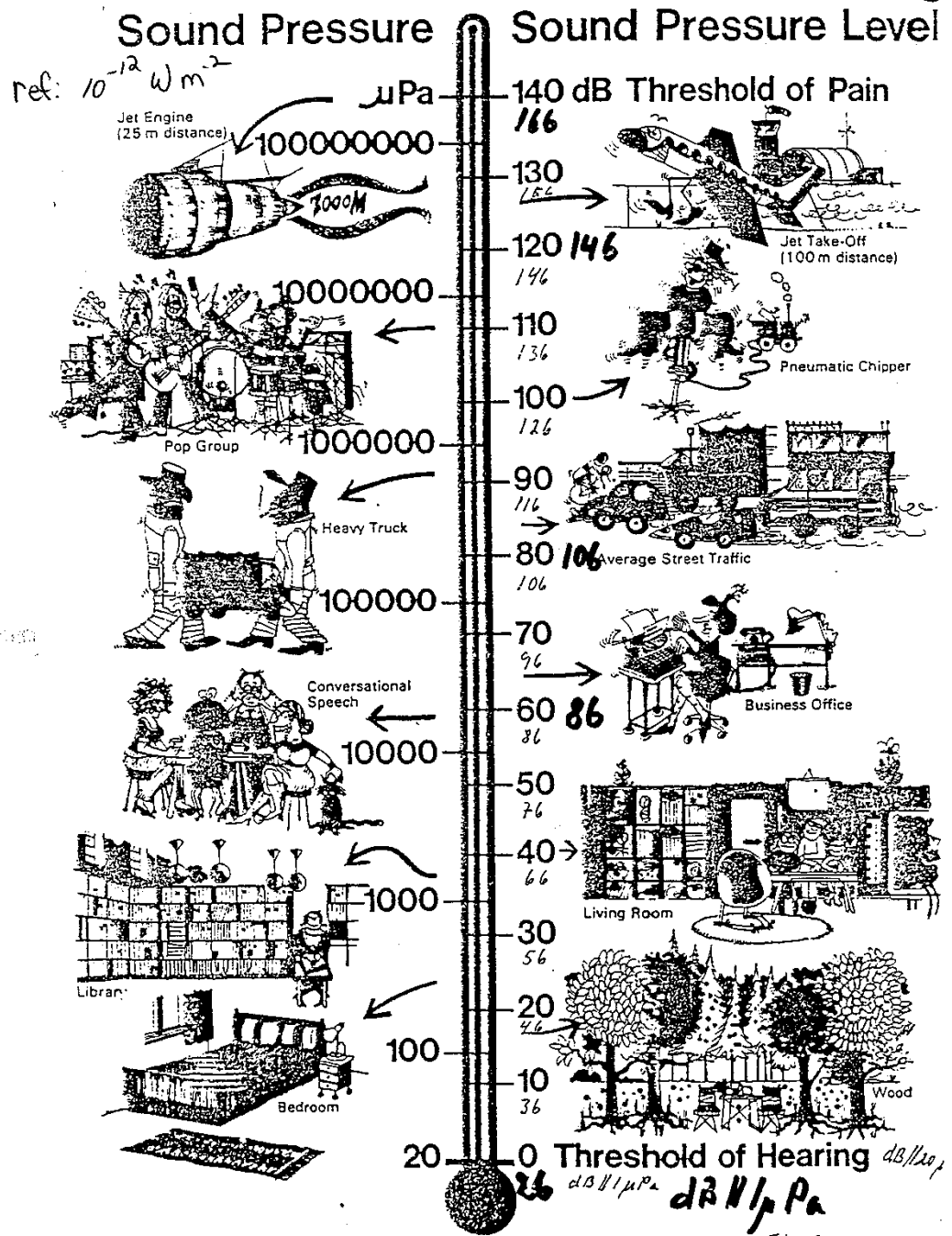
Example:

If $I_o = 1 \text{ Wm}^{-2}$

Then $I = 100 \text{ Wm}^{-2}$ becomes $10 \log(100/1) = 20 \text{ dB} \parallel 1 \text{ Wm}^{-2}$

If $p_o = 1 \mu\text{Pa}$

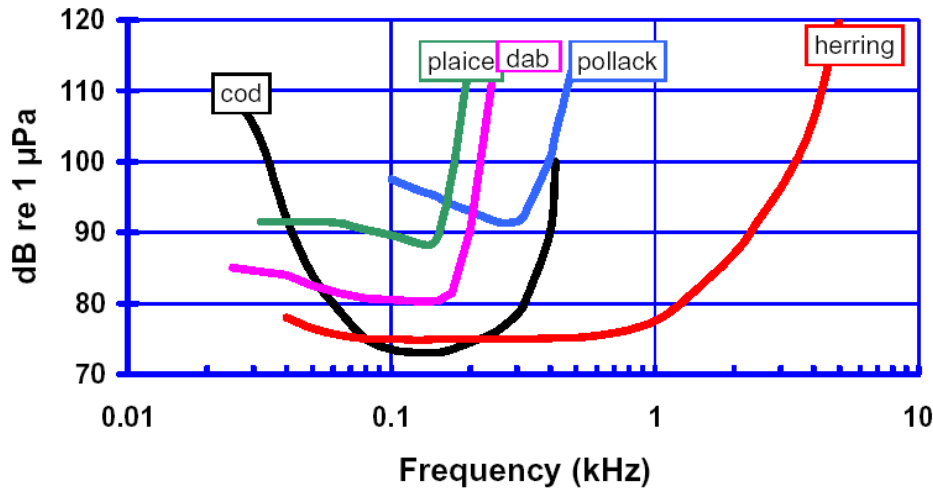
Then $p = 100,000 \mu\text{Pa}$ becomes $20 \log(100,000/1) = 100 \text{ dB} \parallel 1 \mu\text{Pa}$



Air ref. = 0 dB

Water ref. = 26 dB

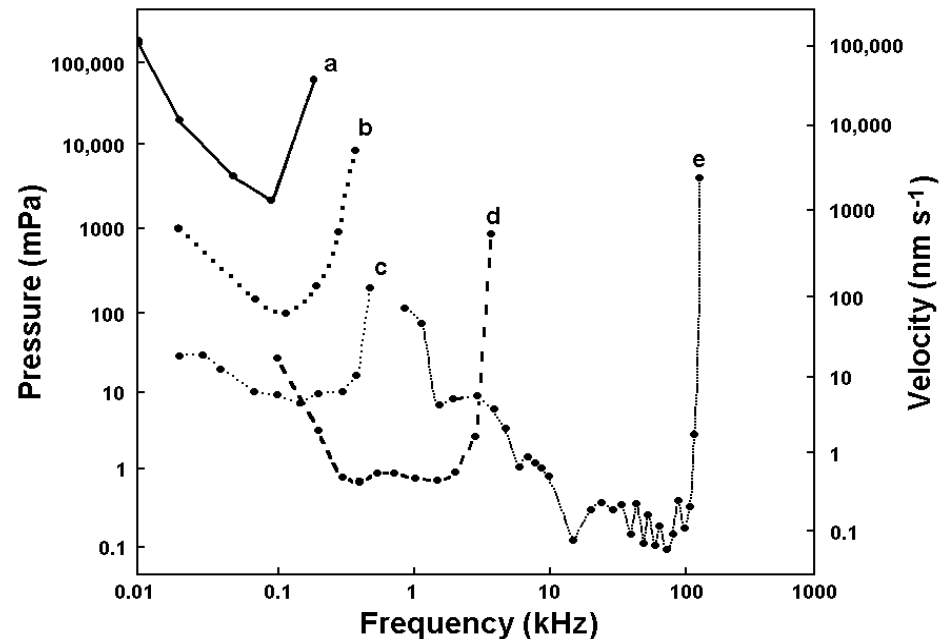
Animal Hearing Thresholds & Ranges



Human Hearing: 20 Hz to 20 kHz

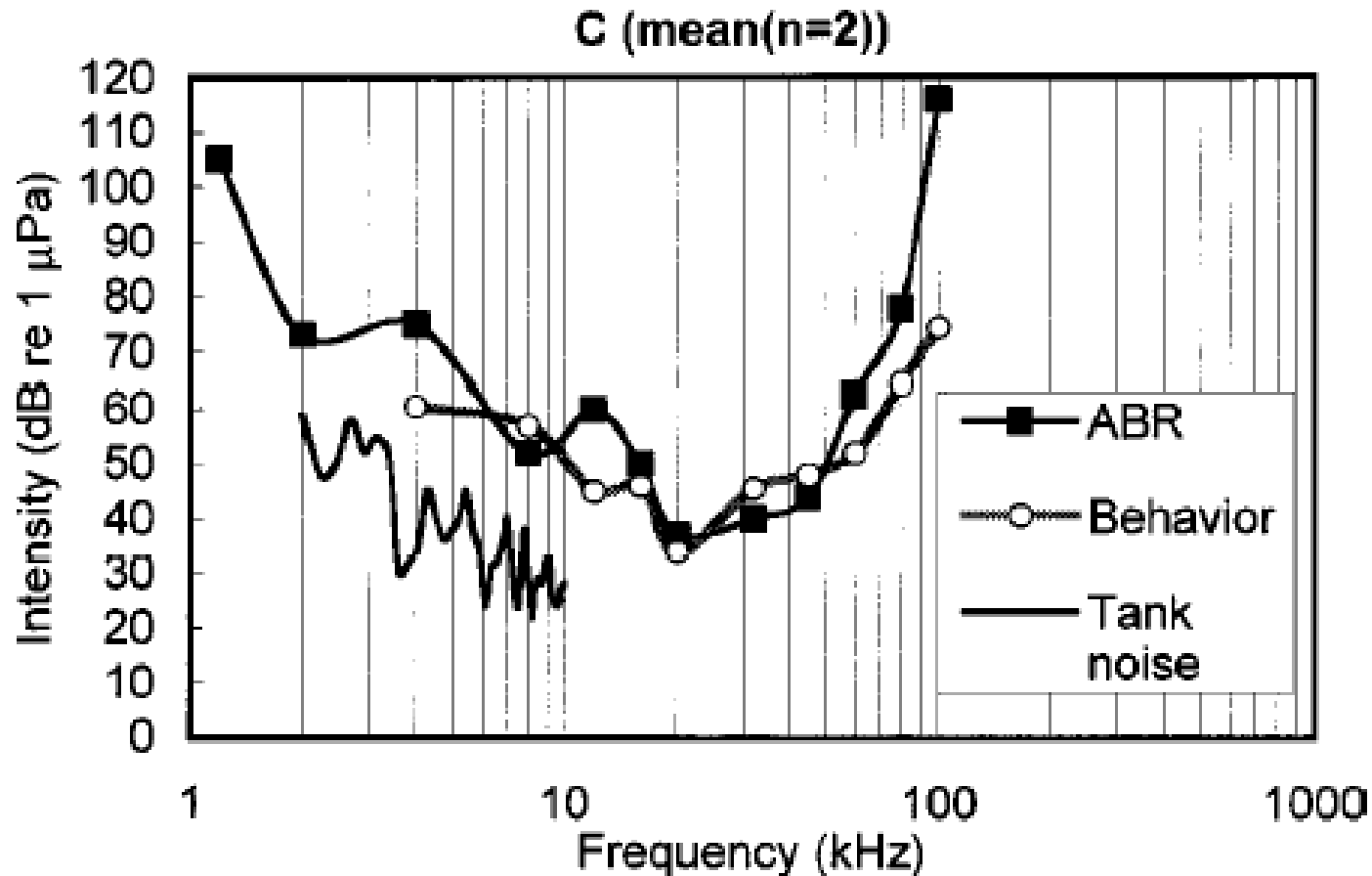
courtesy of R. Mitson

- a) lobster
- b) Atlantic salmon
- c) Atlantic cod
- d) soldier fish
- e) bottle-nose dolphin



MacLennan & Simmonds 1992

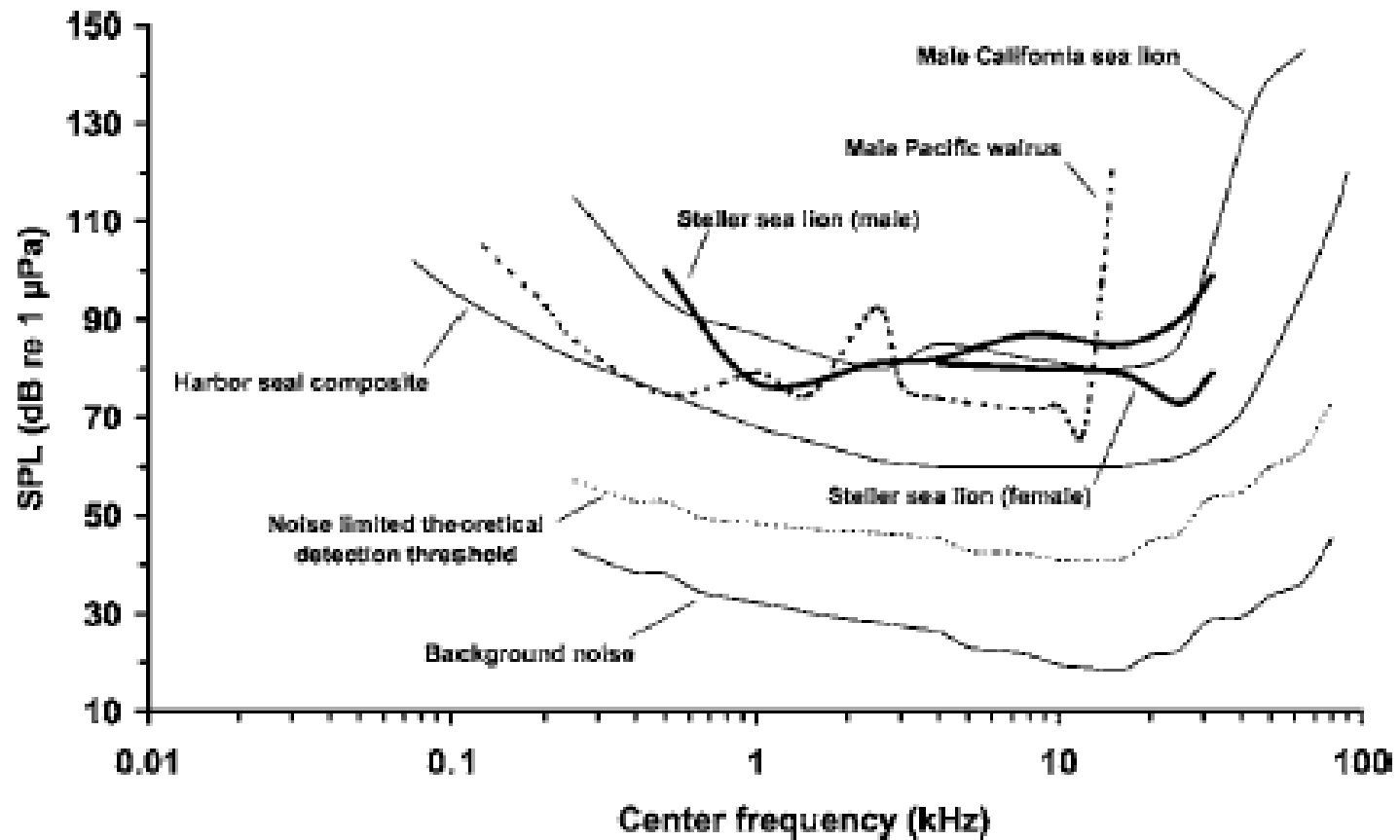
Killer Whale Hearing Thresholds



Szymanski et al. 1999

ABR = Auditory Brainstem Response

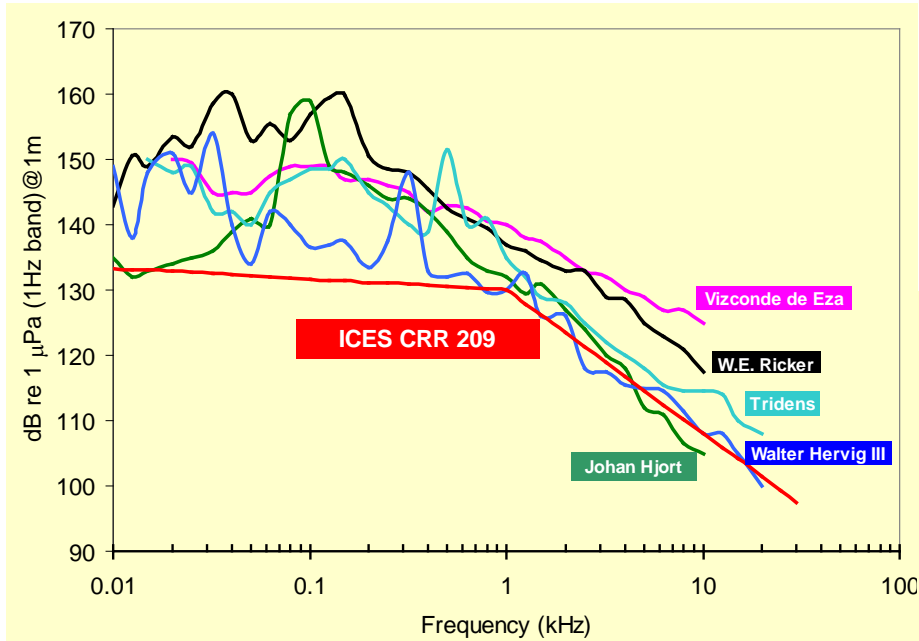
Steller Sea Lion Hearing



Kastelein et al. 2005

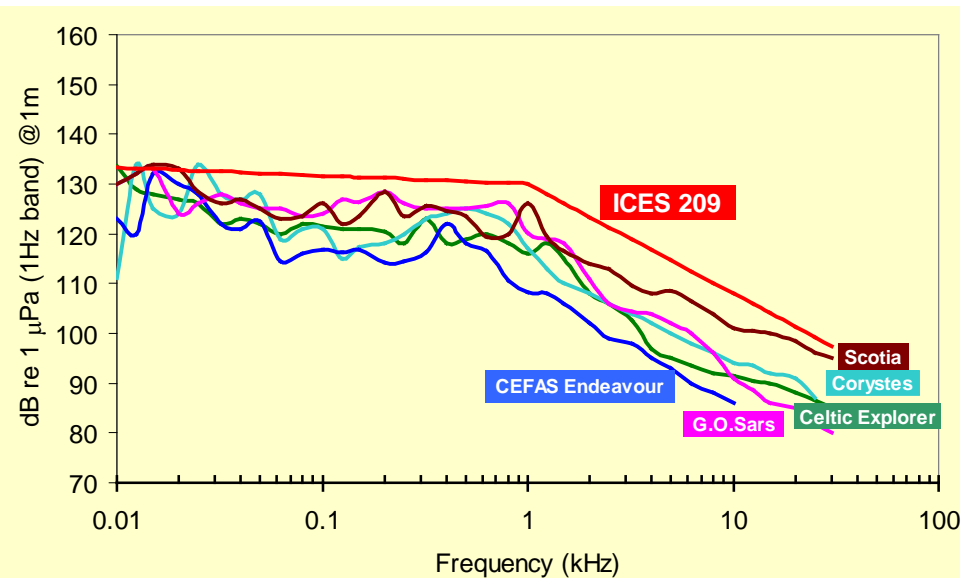
Vessel Noise: ICES 209

‘Noisy’ Research Vessels

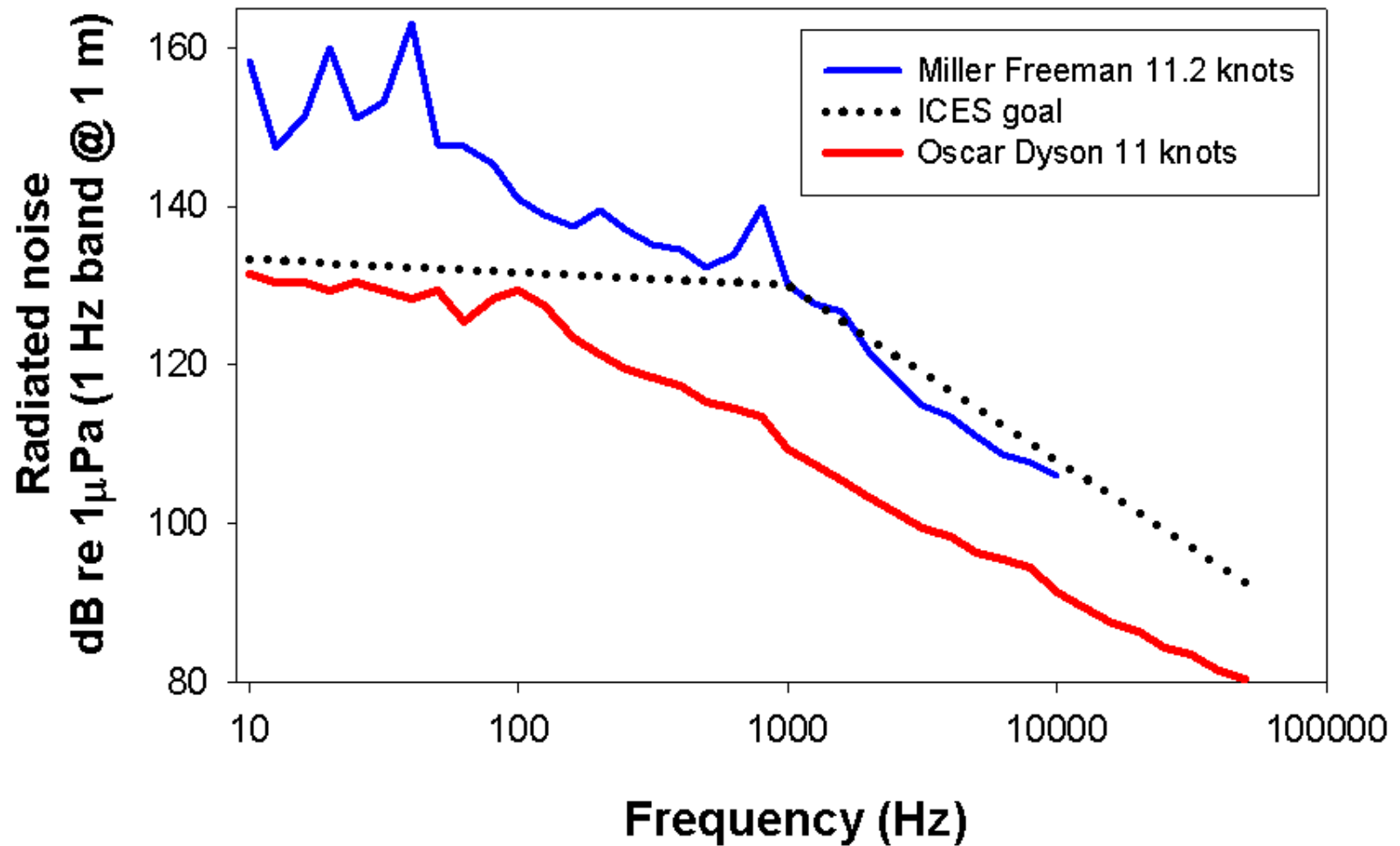


plots courtesy of R. Mitson

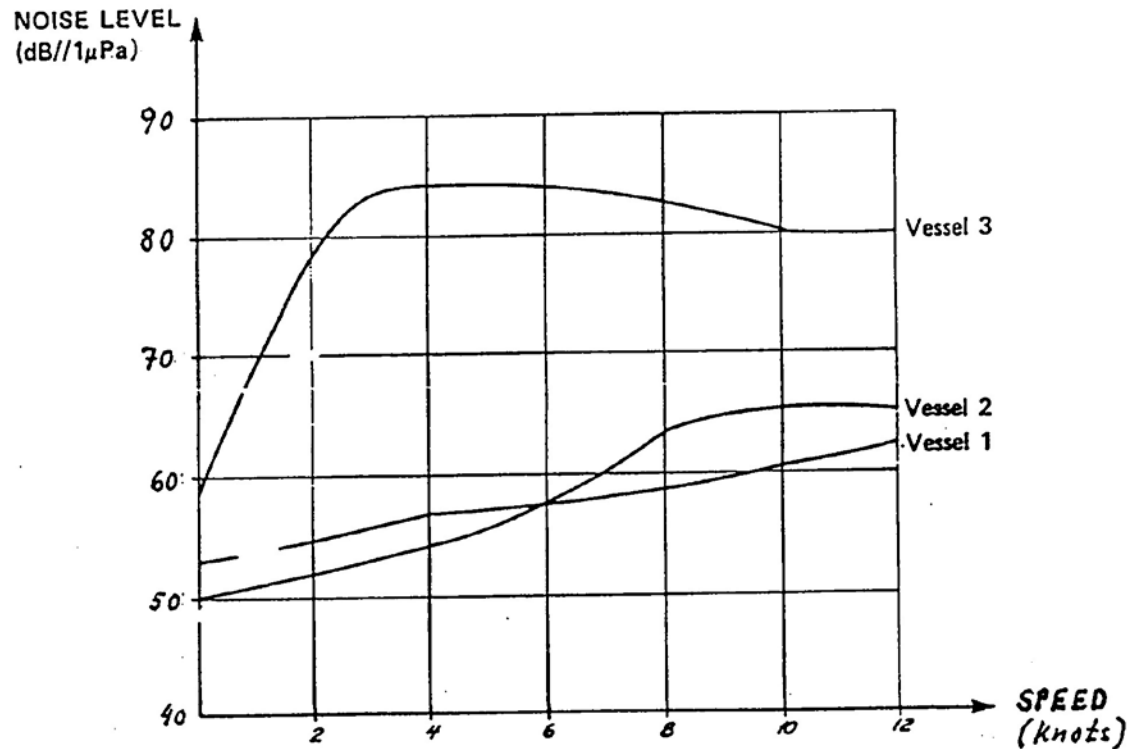
‘Quiet’ Research Vessels



NOAA Vessels



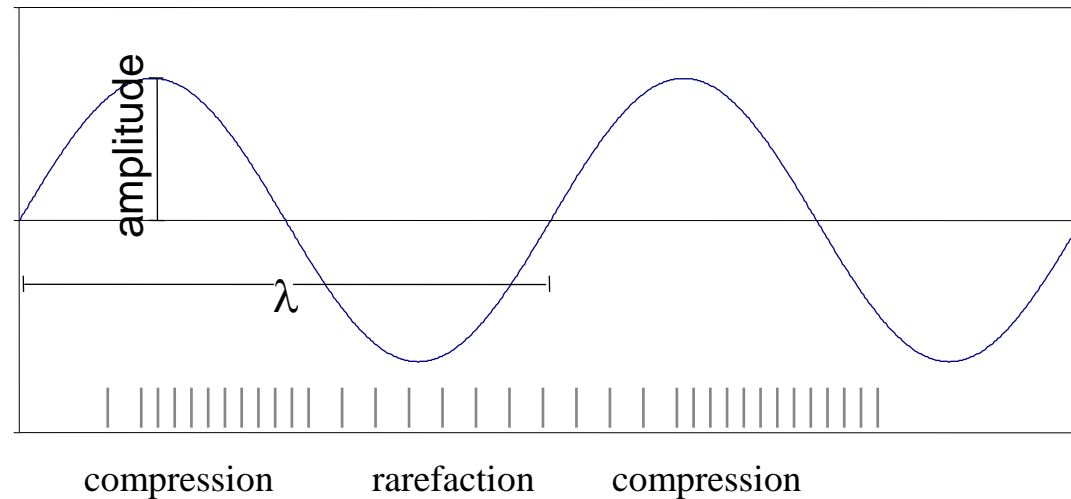
Vessel Noise \propto Vessel Speed



Vessel	Propeller	R.P.M.	Size
1. Trawler	Fixed pitch	30 - 113	223 feet
2. Purse seiner	Adj. pitch	100 - 300	245 feet
3. Trawler	Adj. pitch	375	299 tons

Sound Propagation

Longitudinal
Compression Wave



λ = wavelength, units m

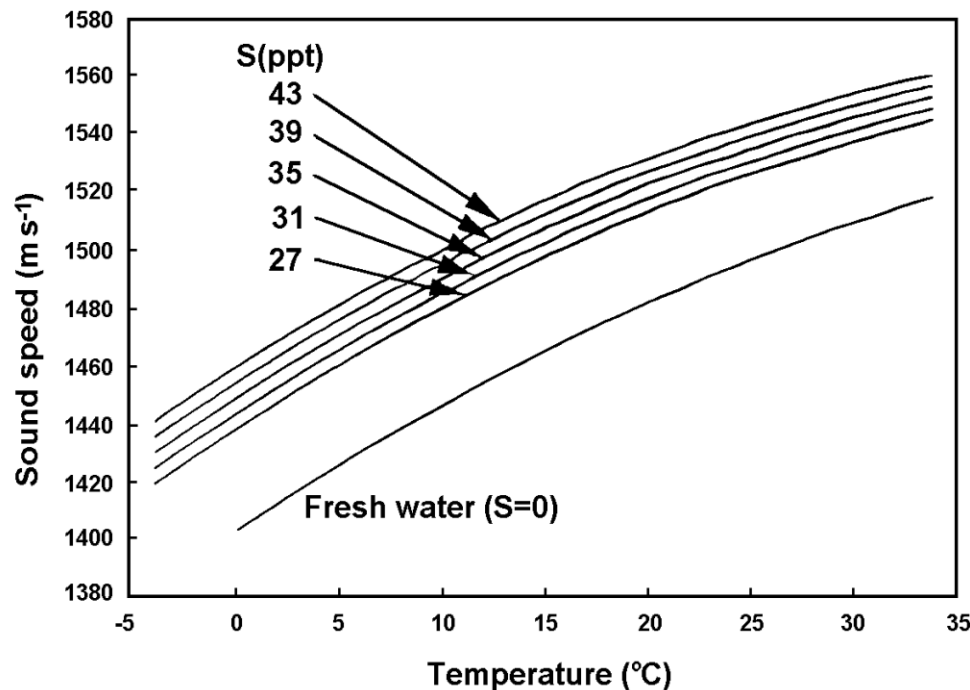
$\lambda = c/f$ where: c = speed of sound (ms^{-1})
 f = frequency (cycles s^{-1} , Hz)

Speed of Sound

Speed of sound (c) = f (temperature (T), salinity (S), depth (z)), units ms^{-1}

$$c = 1449.2 + 4.6(T) - 0.055(T)^2 + 0.00029(T)^3 + (1.34 - 0.01(T))(S-35) + 0.016z$$

Freshwater $\sim 1500 \text{ ms}^{-1}$ Salt water $\sim 1460 - 1550 \text{ ms}^{-1}$ Air $\sim 330 \text{ ms}^{-1}$



Effect of $T > S$

Target Resolution and Travel

Target Resolution:

f (target distance (Δr), speed of sound (c), pulse duration (τ))

$$\Delta r = c \tau / 2 \quad * \text{ independent of frequency}$$

Acoustic Pulse Travel Time:

$$\text{time to echo} = 2r/c$$

where r = range (m)

Frequency, Wavelength & Wavenumber

Frequency (f) = λ per unit time, units cycles s^{-1} (Hertz)

$$f = c/\lambda \text{ (ms}^{-1}\text{/m)}$$

Wavelength (λ)

$$\lambda = c/f \text{ (ms}^{-1}\text{/s}^{-1}\text{)}$$

Wave number (k)

$$k = 2\pi/\lambda \text{ (rad m}^{-1}\text{)}$$

Frequency and Period

Frequency (f) = λ per unit time, units cycles s^{-1} (Hertz)

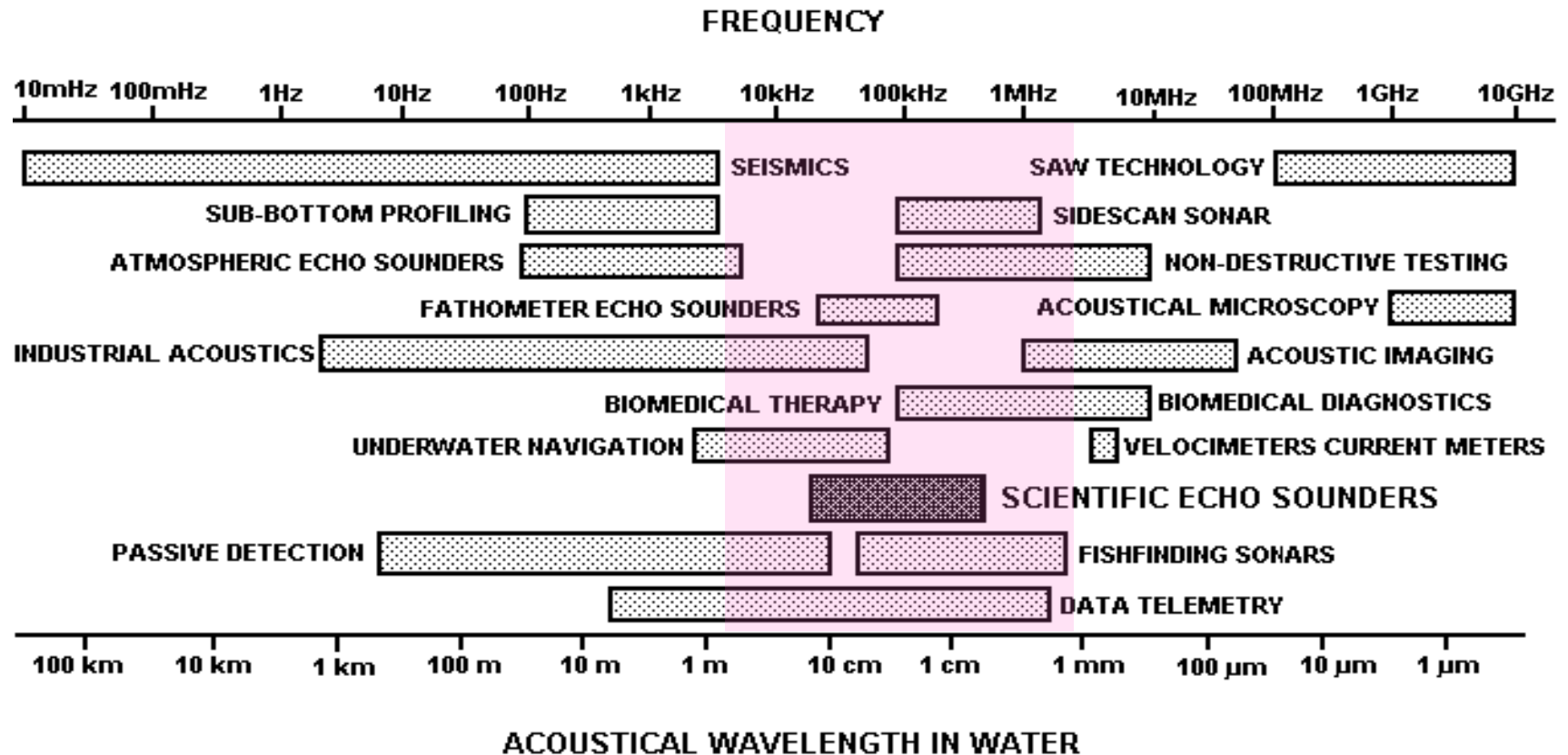
$$f = c/\lambda$$

Period (τ):

$$\tau = 1/f, \text{ units s}$$

in active acoustics this is the ‘pulse length’ or ‘pulse width’

Frequency Ranges of Acoustic Sensors



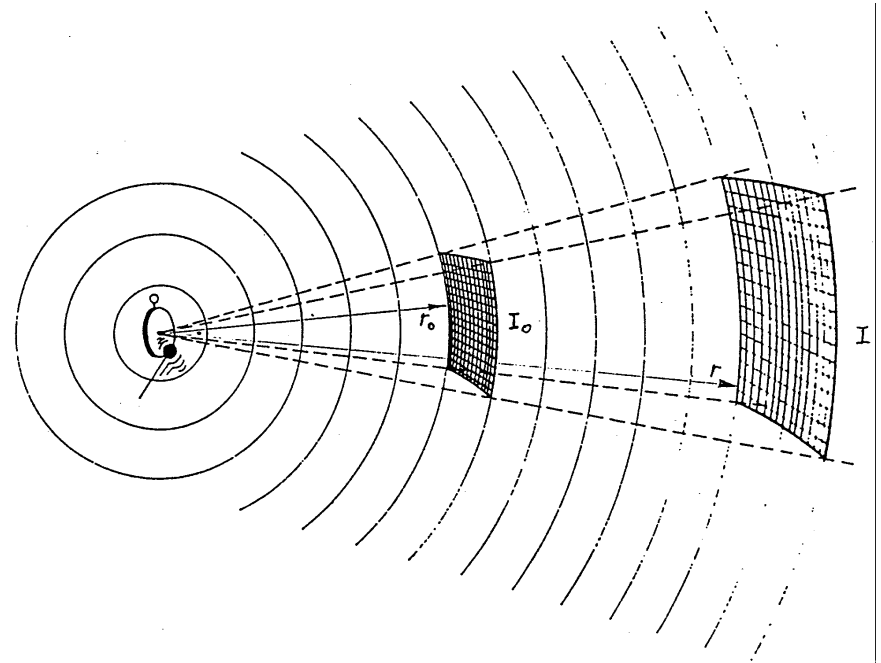
redrawn from Coates 1989

Transmission Losses

Geometric Spreading

- pressure decreases as the $1/\text{distance}$ from source
- spherical spreading from a point source (e.g. transducer)
- non-spherical or directed spreading (e.g. fish)
- 2-way spreading increases as range^2
- independent of frequency

$$\Delta I \propto 1/r^2$$

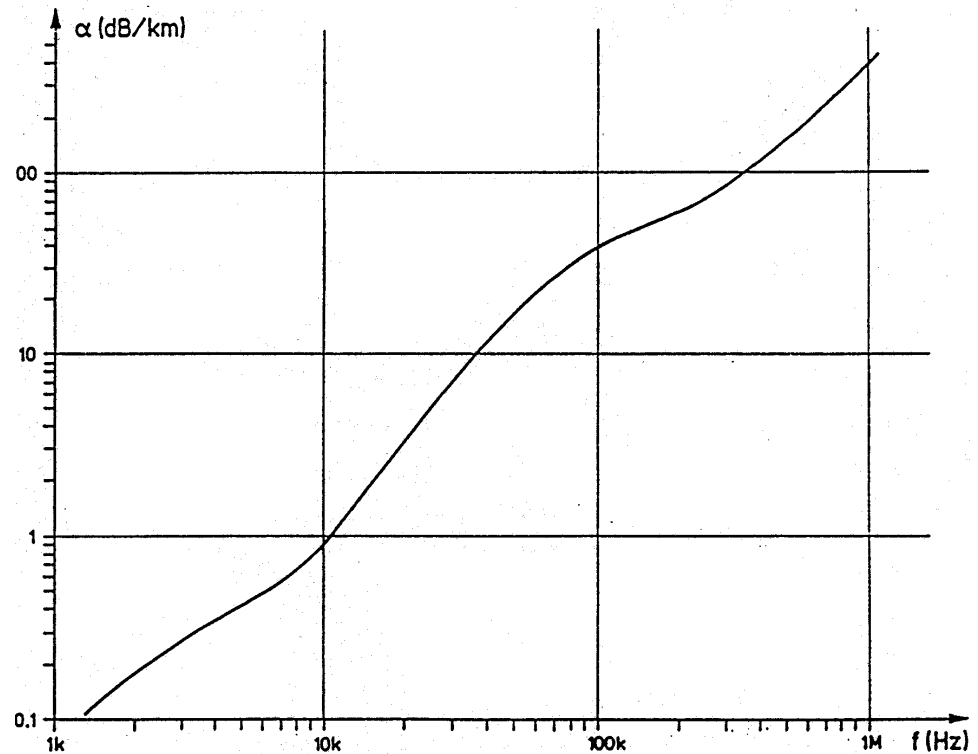


Transmission Losses

Absorption

- attenuation of pressure due to friction (α , units nepers/m or dB/m)
- proportional to range (r)
- dependent on frequency

one way: αr
two way: $2 \alpha r$



ABSORPTION COEFFICIENT VS. FREQUENCY

What is a neper? natural log ratio

Which Loss is Greater?

Absorption

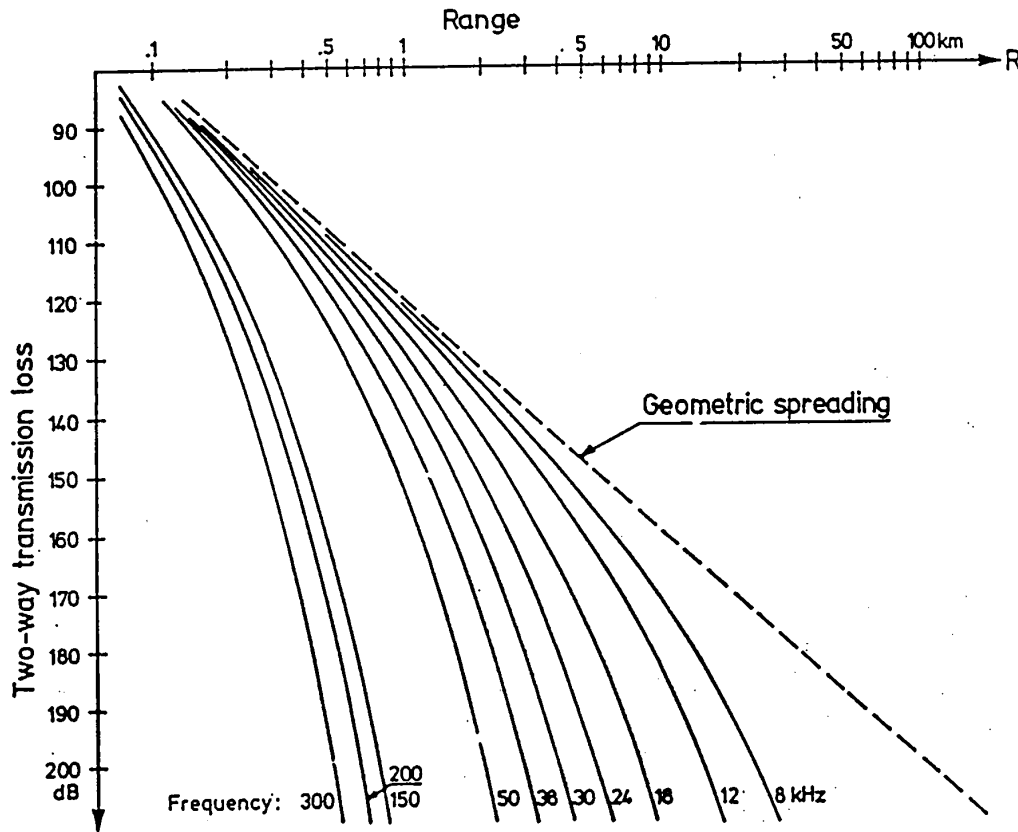
Frequency	Loss Rate
1 kHz	0.05 dB/km
10 kHz	0.5 dB/km
100 kHz	20 dB/km
1 MHz	300 dB/km

Spreading

~ 60 dB at 1 km

Spreading loss > Absorption loss at freqs. < 100's kHz

Total Transmission Loss



$$2 \text{ way: } 40 \log(r) + 2\alpha r$$

TWO WAY TRANSMISSION LOSS VS. FREQUENCY.

Why Not Use Light?



Sound Level

$\text{Sound Level} = \text{Sound Pressure Level} - \text{Transmission Loss}$

$\text{Sound Pressure Level} = \text{initial intensity}$
(a.k.a. Source Level)