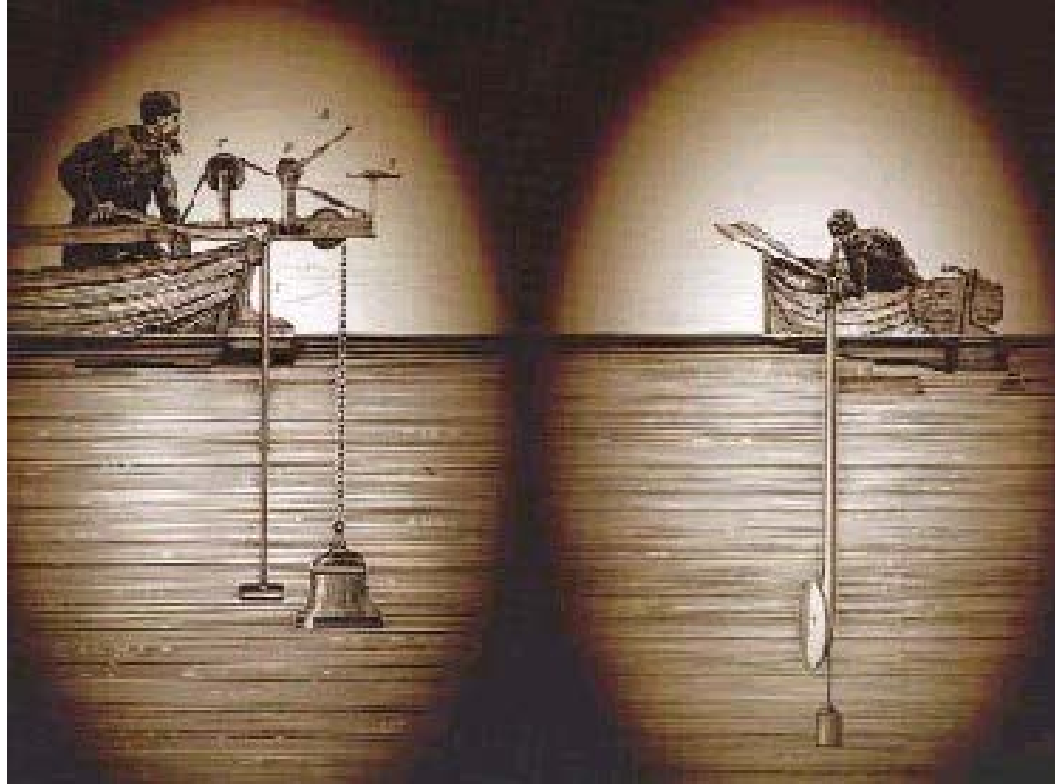


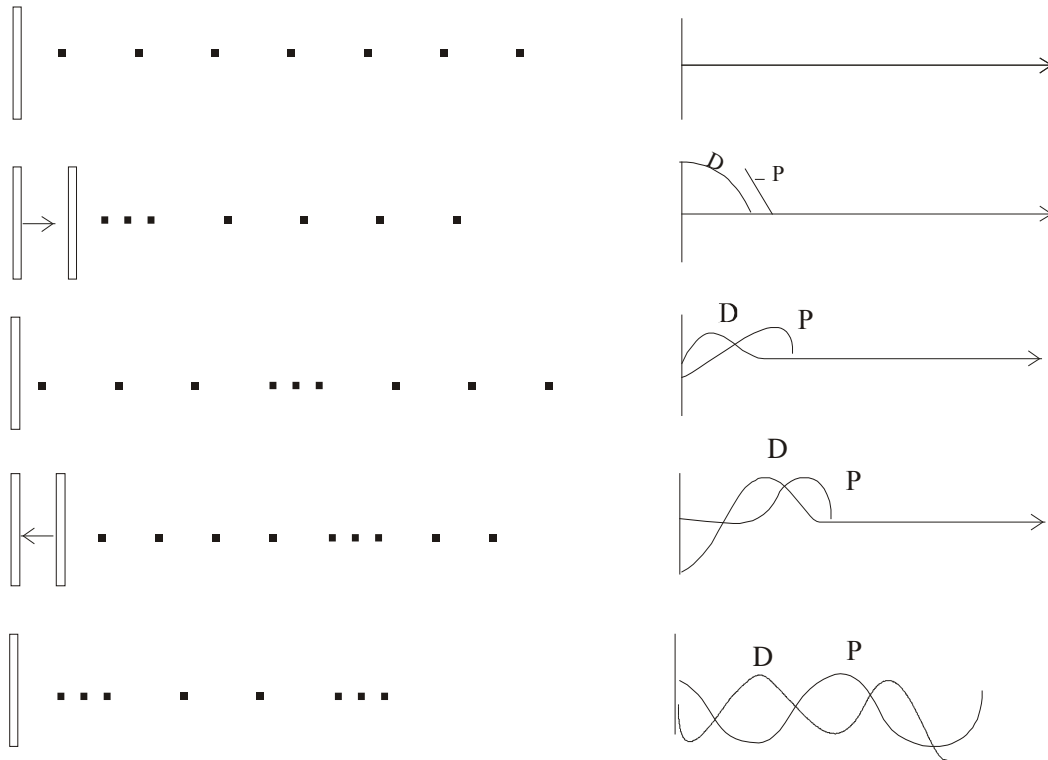
# Principles of Underwater Sound



LO: Apply characteristics of sound in water to calculate sound levels.

# What is Sound?

A disturbance propagated through an elastic medium causing a detectable alteration in pressure or a displacement of the particles.



# Measuring Sound

Pressure (p): force/area

$p = \text{force/area}$ , units Newton/m<sup>2</sup> (Pascal),  $[MLT^{-2}/L^2] = [MT^{-2}L^{-1}]$

Imperial to SI conversion: 1  $\mu\text{Bar} = 10^5 \mu\text{Pa}$

Power (P): force \* velocity

$P = \text{force} * \text{velocity}$ , units watts,  $[MLT^{-2} * LT^{-1}] = [ML^2T^{-3}]$

Intensity (I): power/area

$I = \text{power/area} = p^2/\rho c$

where  $\rho = \text{density}$ , mass/volume, units kg m<sup>-3</sup>  $[ML^{-3}]$

# Quantity Relationships

Intensity is proportional to pressure squared

$$I \propto p^2$$

Pressure squared is proportional to  
power

$$p^2 \propto P$$

What is relationship between Intensity and Power?

# What is a Decibel ?

A ratio in logarithmic form.

Intensity ratio:  $10 \log (I/I_0)$  where  $I_0$  is the reference intensity at 1 m

Pressure ratio:  $10 \log (p^2/\rho c / p_0^2/\rho c) = 20 \log (p/p_0)$  where  $p_0$  is a reference pressure (1  $\mu\text{Pa}$ ) at 1 m

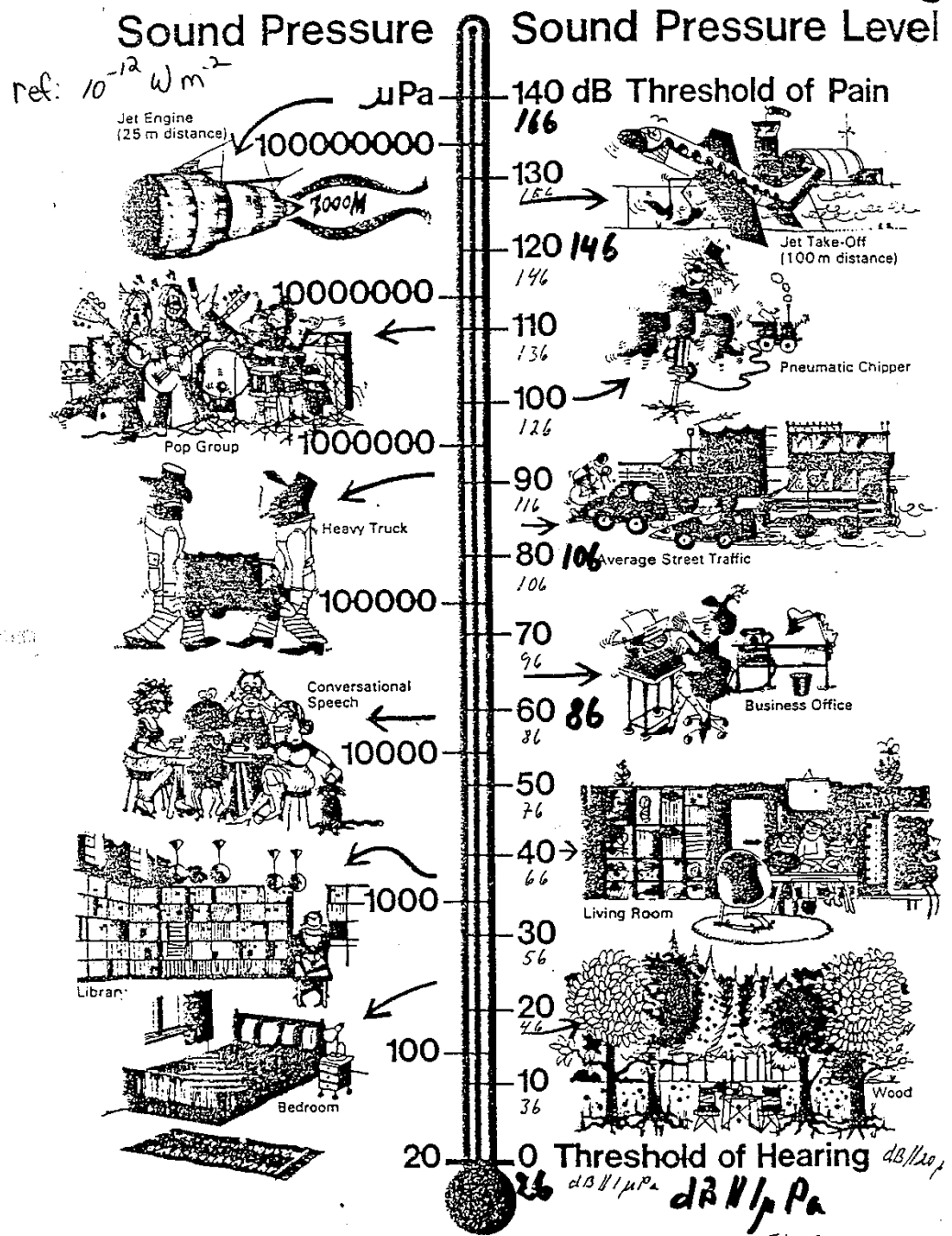
Example:

If  $I_0 = 1 \text{ Wm}^{-2}$

Then  $I = 100 \text{ Wm}^{-2}$  becomes  $10 \log(100/1) = 20 \text{ dB} \quad || \quad 1 \text{ Wm}^{-2}$

If  $p_0 = 1 \mu\text{Pa}$

Then  $p = 100,000 \mu\text{Pa}$  becomes  $20 \log(100,000/1) = 100 \text{ dB} \quad || \quad 1 \mu\text{Pa}$

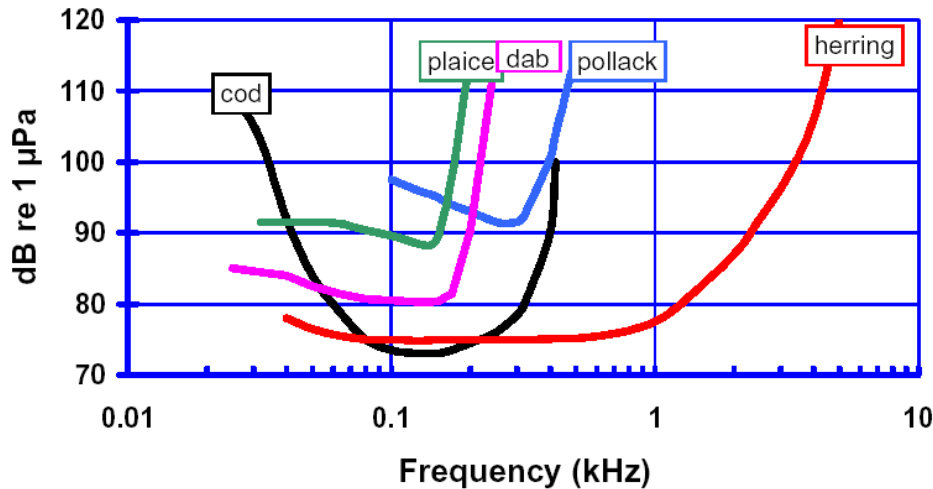


Air ref. = 0 dB

(threshold of human hearing)

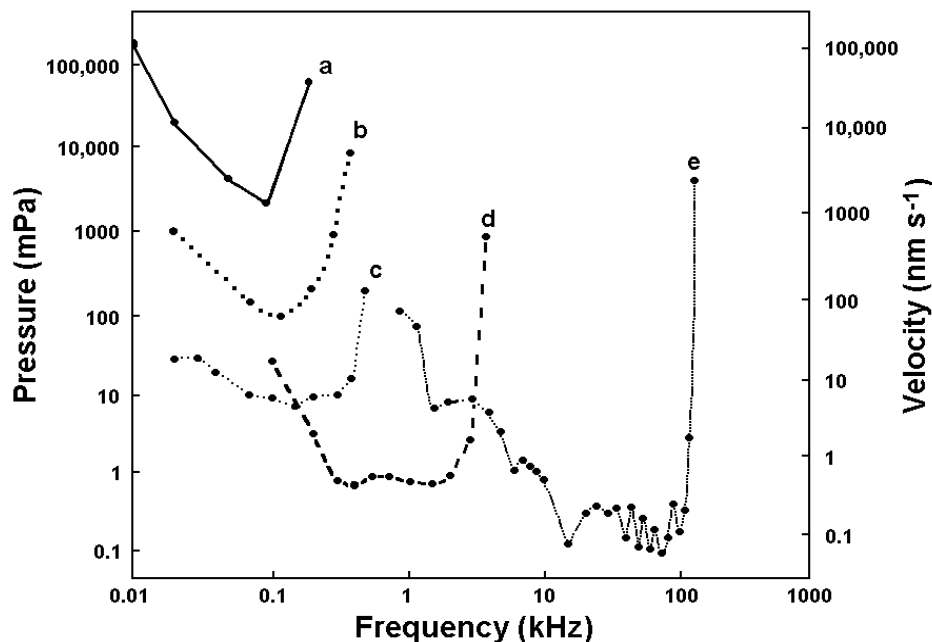
Water ref. = 26 dB

# Animal Hearing Thresholds & Ranges



Human Hearing: 20 Hz to 20 kHz

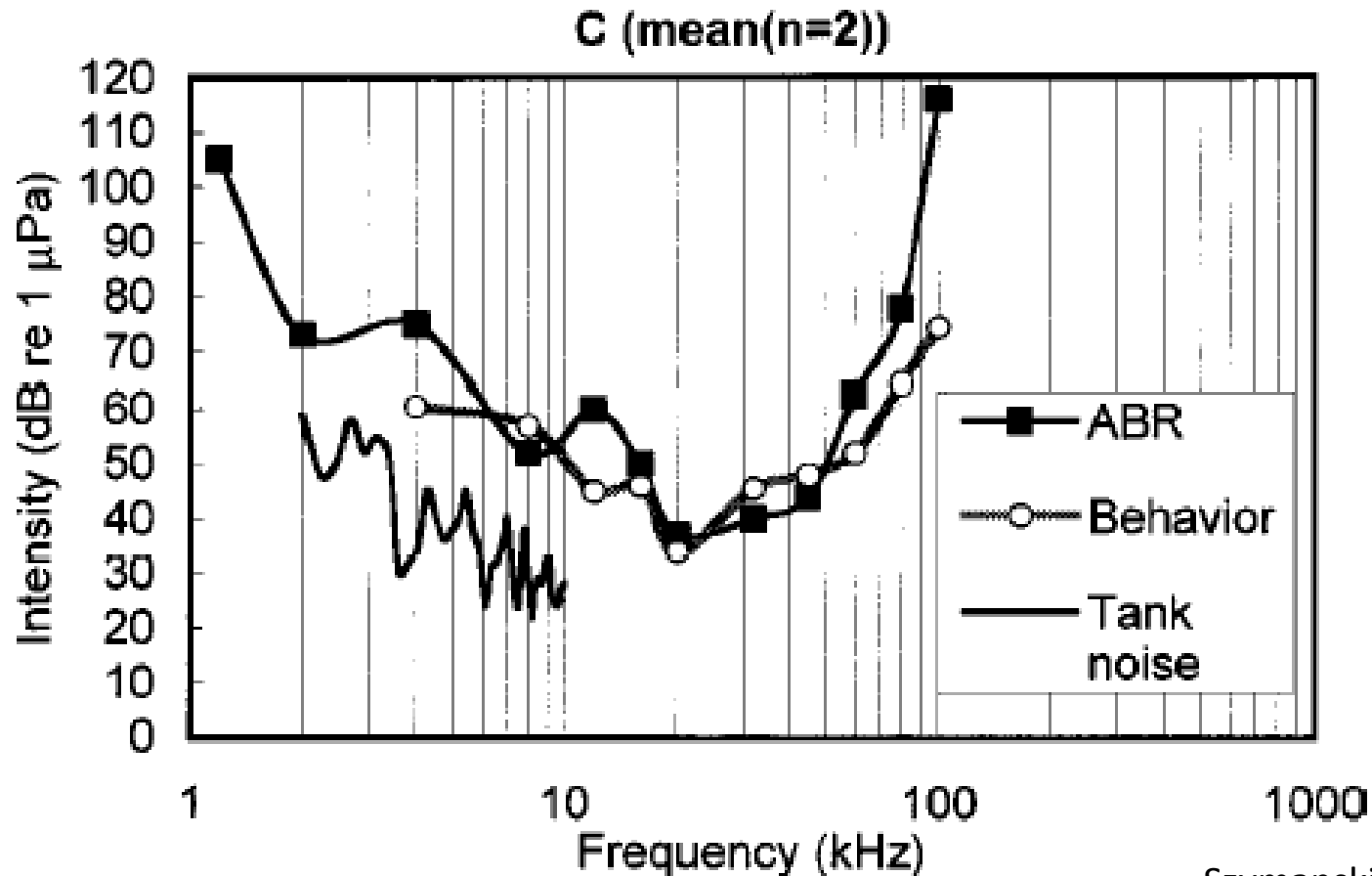
courtesy of R. Mitson



- a) lobster
- b) Atlantic salmon
- c) Atlantic cod
- d) soldier fish
- e) bottle-nose dolphin

MacLennan & Simmonds 1992

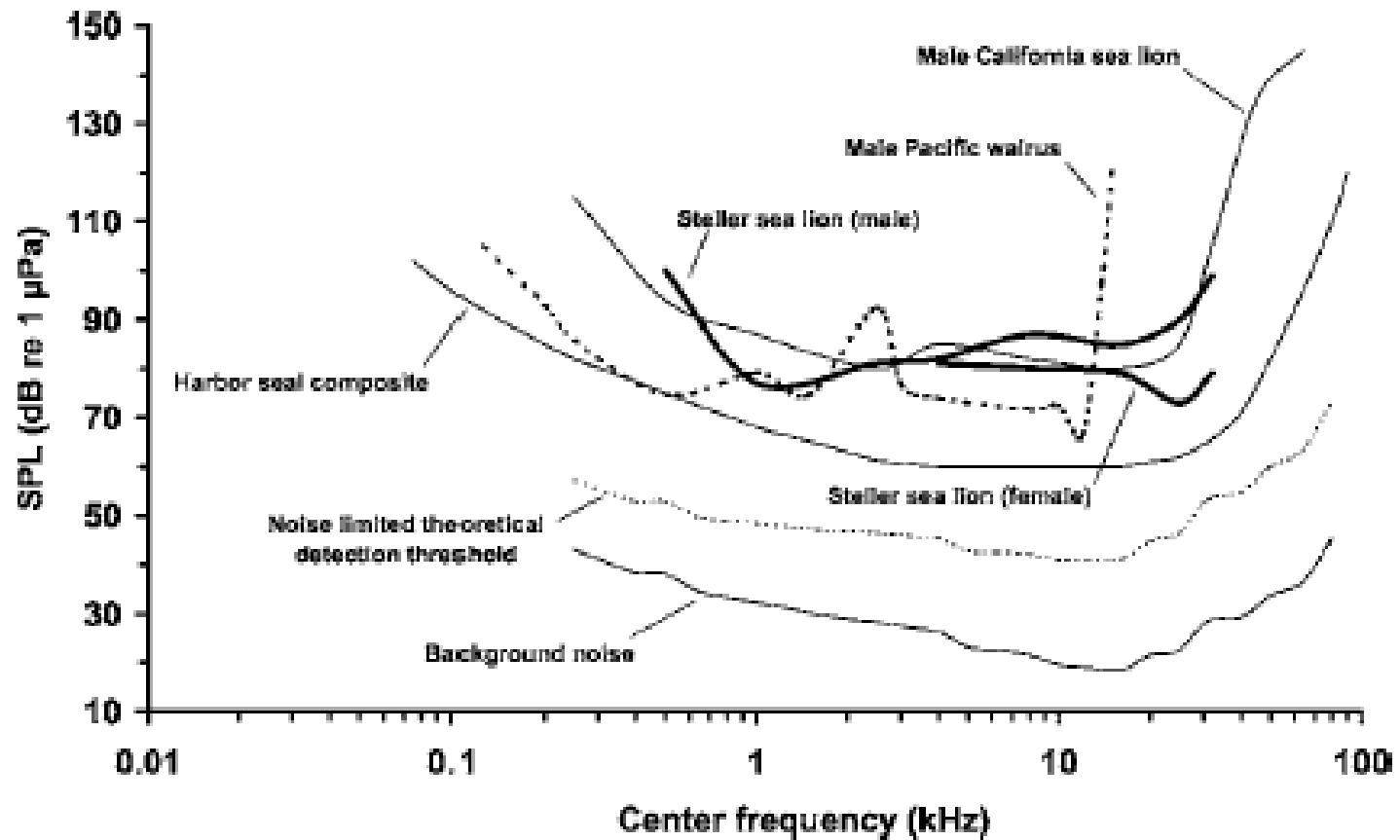
# Killer Whale Hearing Thresholds



Szymanski et al. 1999

ABR = Auditory Brainstem Response

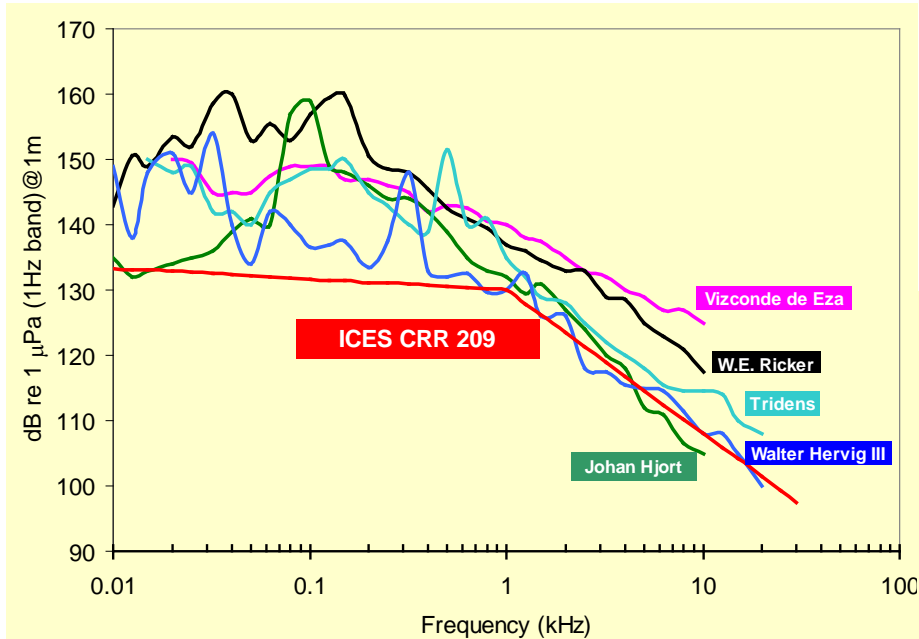
# Steller Sea Lion Hearing



Kastelein et al. 2005

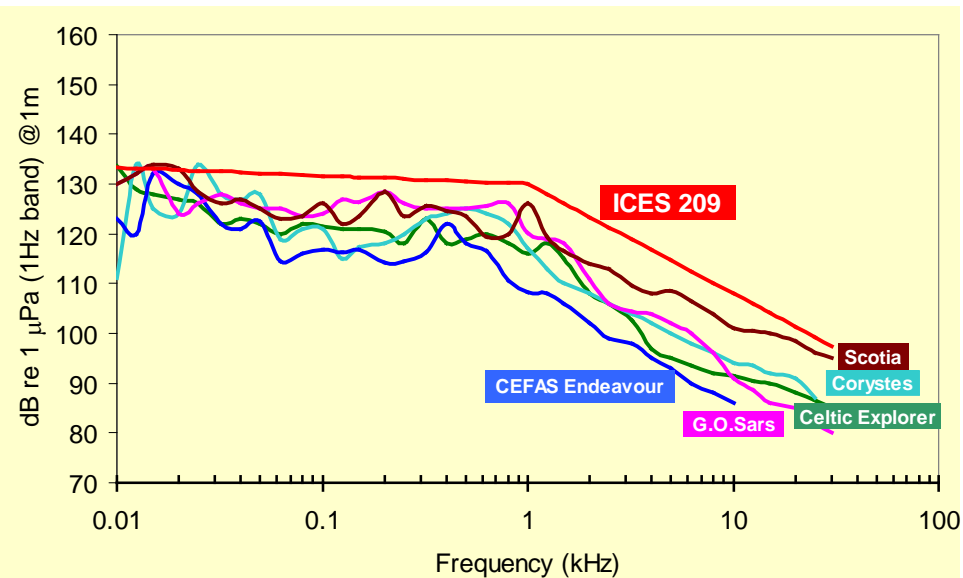
# Vessel Noise: ICES 209

## 'Noisy' Research Vessels

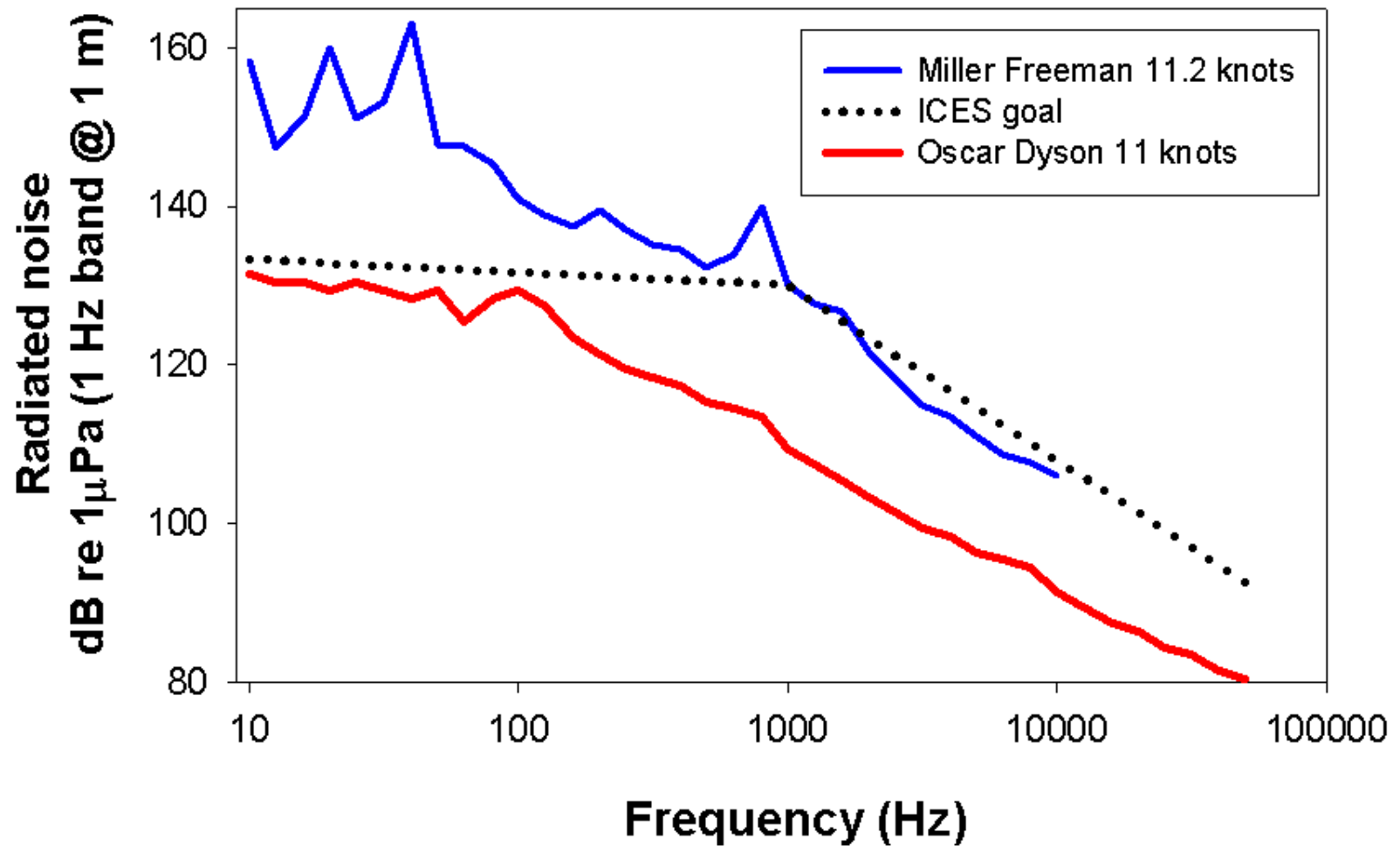


plots courtesy of R. Mitson

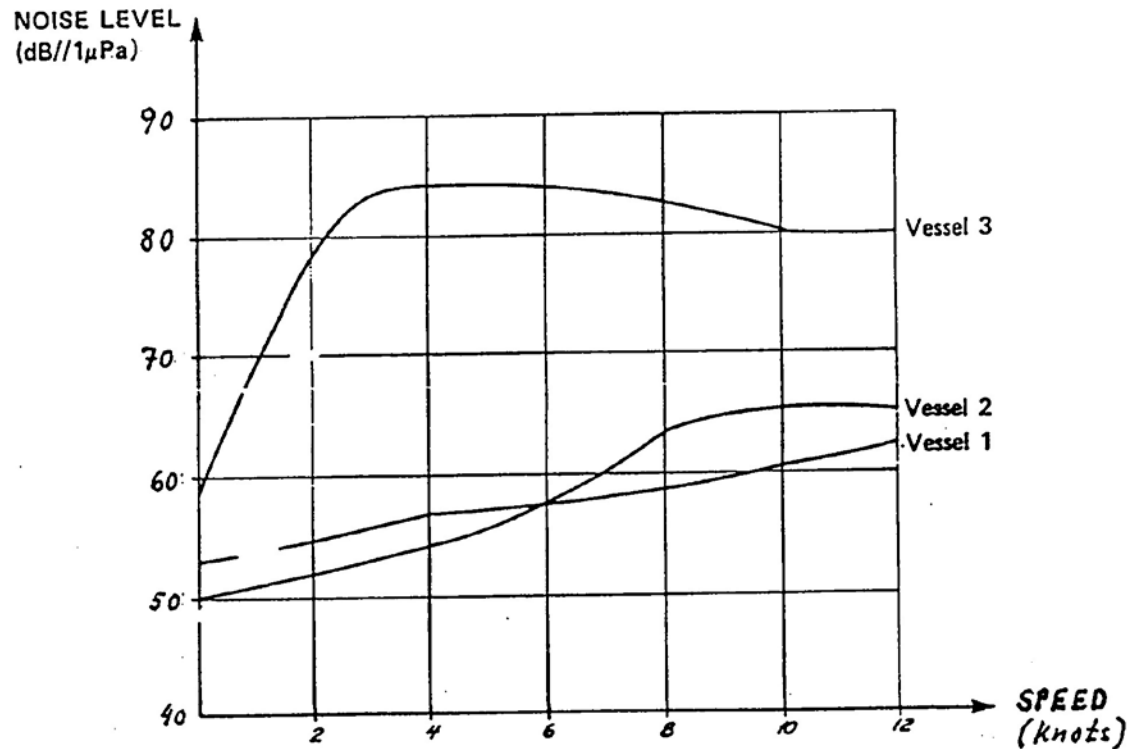
## 'Quiet' Research Vessels



# NOAA Vessels



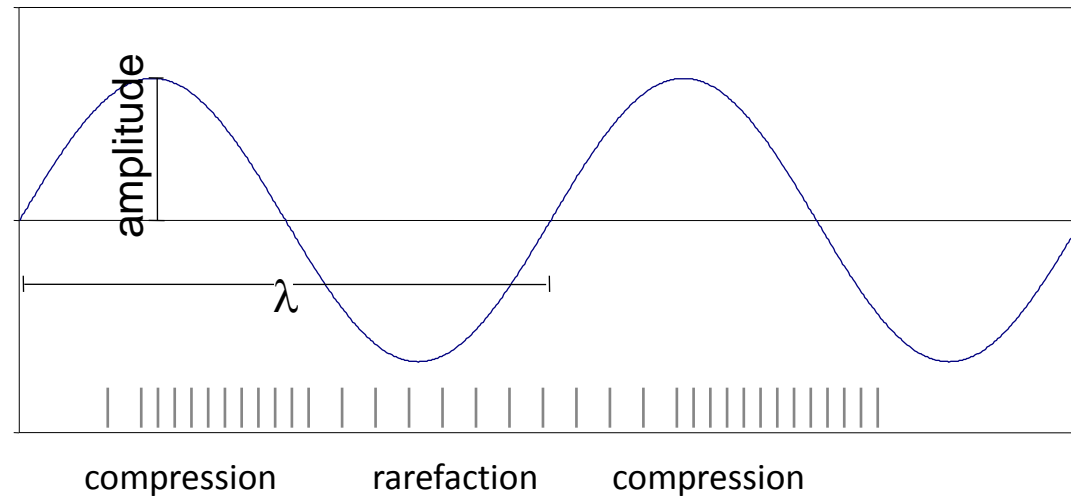
# Vessel Noise $\propto$ Vessel Speed



Vessel	Propeller	R.P.M.	Size
1. Trawler	Fixed pitch	30 - 113	223 feet
2. Purse seiner	Adj. pitch	100 - 300	245 feet
3. Trawler	Adj. pitch	375	299 tons

# Sound Propagation

## Longitudinal Compression Wave



$\lambda$  = wavelength, units m

$\lambda = c/f$  where:  $c$  = speed of sound ( $\text{ms}^{-1}$ )  
 $f$  = frequency ( $\text{cycles s}^{-1}$ , Hz)

# Speed of Sound

Speed of sound ( $c$ ) =  $f$  (temperature ( $T$ ), salinity ( $S$ ), depth/pressure ( $z/\rho$ )), units  $\text{ms}^{-1}$

UNESCO: Chen and Millero (1977)

$$c(S, t, P) = C_W(t, P) + A(t, P)S + B(t, P)S^{3/2} + D(t, P)S^2,$$

From Wong and Zhu 1995

where

$$C_W(t, P) = (C_{00} + C_{01}t + C_{02}t^2 + C_{03}t^3 + C_{04}t^4 + C_{05}t^5) + (C_{10} + C_{11}t + C_{12}t^2 + C_{13}t^3 + C_{14}t^4)P + (C_{20} + C_{21}t + C_{22}t^2 + C_{23}t^3 + C_{24}t^4)P^2 + (C_{30} + C_{31}t + C_{32}t^2)P^3,$$

$$A(t, P) = (A_{00} + A_{01}t + A_{02}t^2 + A_{03}t^3 + A_{04}t^4) + (A_{10} + A_{11}t + A_{12}t^2 + A_{13}t^3 + A_{14}t^4)P + (A_{20} + A_{21}t + A_{22}t^2 + A_{23}t^3)P^2 + (A_{30} + A_{31}t + A_{32}t^2)P^3,$$

$$B(t, P) = B_{00} + B_{01}t + (B_{10} + B_{11}t)P,$$

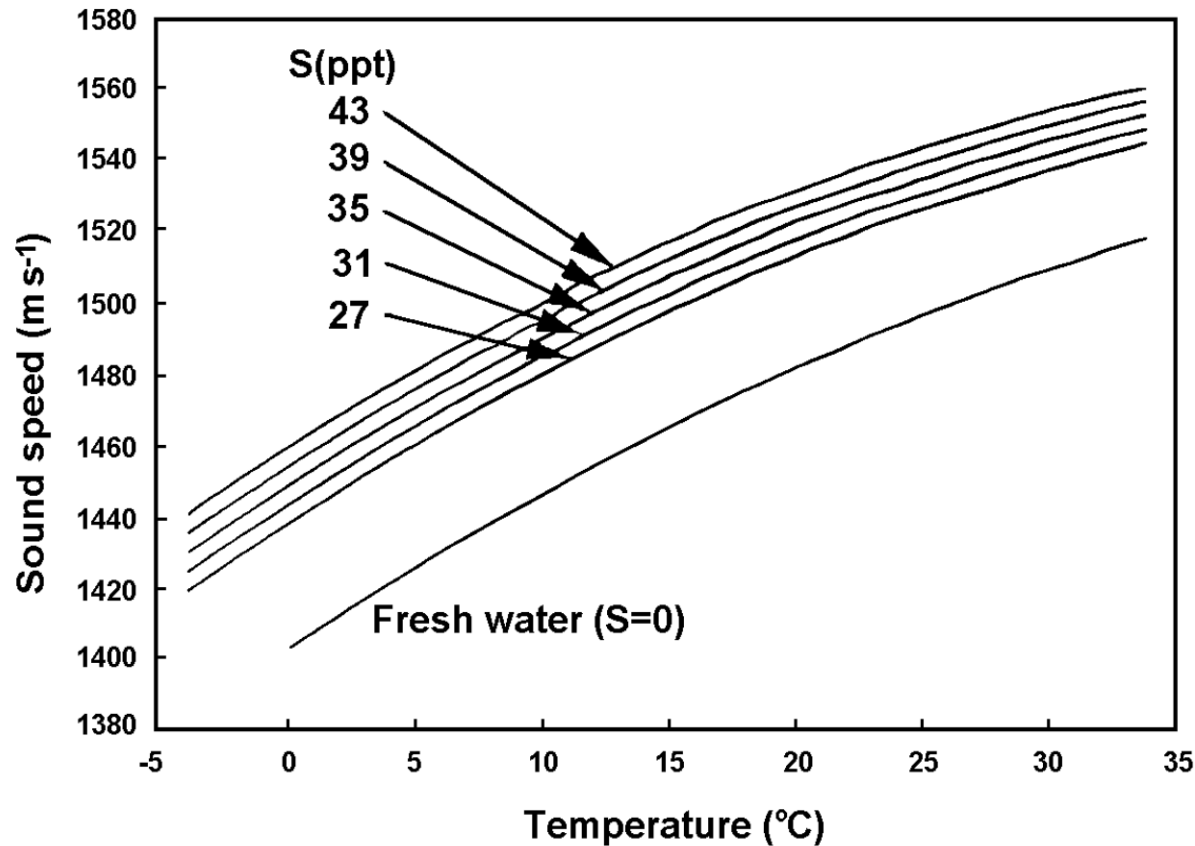
$$D(t, P) = D_{00} + D_{10}P.$$

TABLE I. Numerical values of the  $t_{90}$  coefficients for the UN equation.

Coefficients	Numerical values for Eq. (1)	Coefficients	Numerical values for Eq. (1)
$C_{00}$	1402.388	$A_{02}$	$7.166E-5$
$C_{01}$	5.03830	$A_{03}$	$2.008E-6$
$C_{02}$	$-5.81090E-2$	$A_{04}$	$-3.21E-8$
$C_{03}$	$3.3432E-4$	$A_{10}$	$9.4742E-5$
$C_{04}$	$-1.47797E-6$	$A_{11}$	$-1.2583E-5$
$C_{05}$	$3.1419E-9$	$A_{12}$	$-6.4928E-8$
$C_{10}$	0.153563	$A_{13}$	$1.0515E-8$
$C_{11}$	$6.8999E-4$	$A_{14}$	$-2.0142E-10$
$C_{12}$	$-8.1829E-6$	$A_{20}$	$-3.9064E-7$
$C_{13}$	$1.3632E-7$	$A_{21}$	$9.1061E-9$
$C_{14}$	$-6.1260E-10$	$A_{22}$	$-1.6009E-10$
$C_{20}$	$3.1260E-5$	$A_{23}$	$7.994E-12$
$C_{21}$	$-1.7111E-6$	$A_{30}$	$1.100E-10$
$C_{22}$	$2.5986E-8$	$A_{31}$	$6.651E-12$
$C_{23}$	$-2.5353E-10$	$A_{32}$	$-3.391E-13$
$C_{24}$	$1.0415E-12$	$B_{00}$	$-1.922E-2$
$C_{30}$	$-9.7729E-9$	$B_{01}$	$-4.42E-5$
$C_{31}$	$3.8513E-10$	$B_{10}$	$7.3637E-5$
$C_{32}$	$-2.3654E-12$	$B_{11}$	$1.7950E-7$
$A_{00}$	1.389	$D_{00}$	$1.727E-3$
$A_{01}$	$-1.262E-2$	$D_{10}$	$-7.9836E-6$

# Affects of Temperature and Salinity

Freshwater  $\sim 1500 \text{ ms}^{-1}$  Salt water  $\sim 1460 - 1550 \text{ ms}^{-1}$  Air  $\sim 330 \text{ ms}^{-1}$



Effect of  $T > S$

Mackenzie 1981

# Target Resolution and Travel

Target Resolution:

$f$  (target distance ( $\Delta r$ ), speed of sound ( $c$ ), pulse duration ( $\tau$ ))

$$\Delta r = c \tau / 2 \quad * \text{ independent of frequency}$$

Acoustic Pulse Travel Time:

$$\text{time to echo} = 2r/c$$

where  $r$  = range (m)

# Frequency, Wavelength & Wavenumber

Frequency ( $f$ ) =  $\lambda$  per unit time, units  $\text{cycles s}^{-1}$  (Hertz)

$$f = c/\lambda \text{ (ms}^{-1}\text{/m)}$$

Wavelength ( $\lambda$ )

$$\lambda = c/f \text{ (ms}^{-1}\text{/s}^{-1}\text{)}$$

Wave number ( $k$ )

$$k = 2\pi/\lambda \text{ (rad m}^{-1}\text{)}$$

# Frequency and Period

Frequency ( $f$ ) =  $\lambda$  per unit time, units cycles  $s^{-1}$  (Hertz)

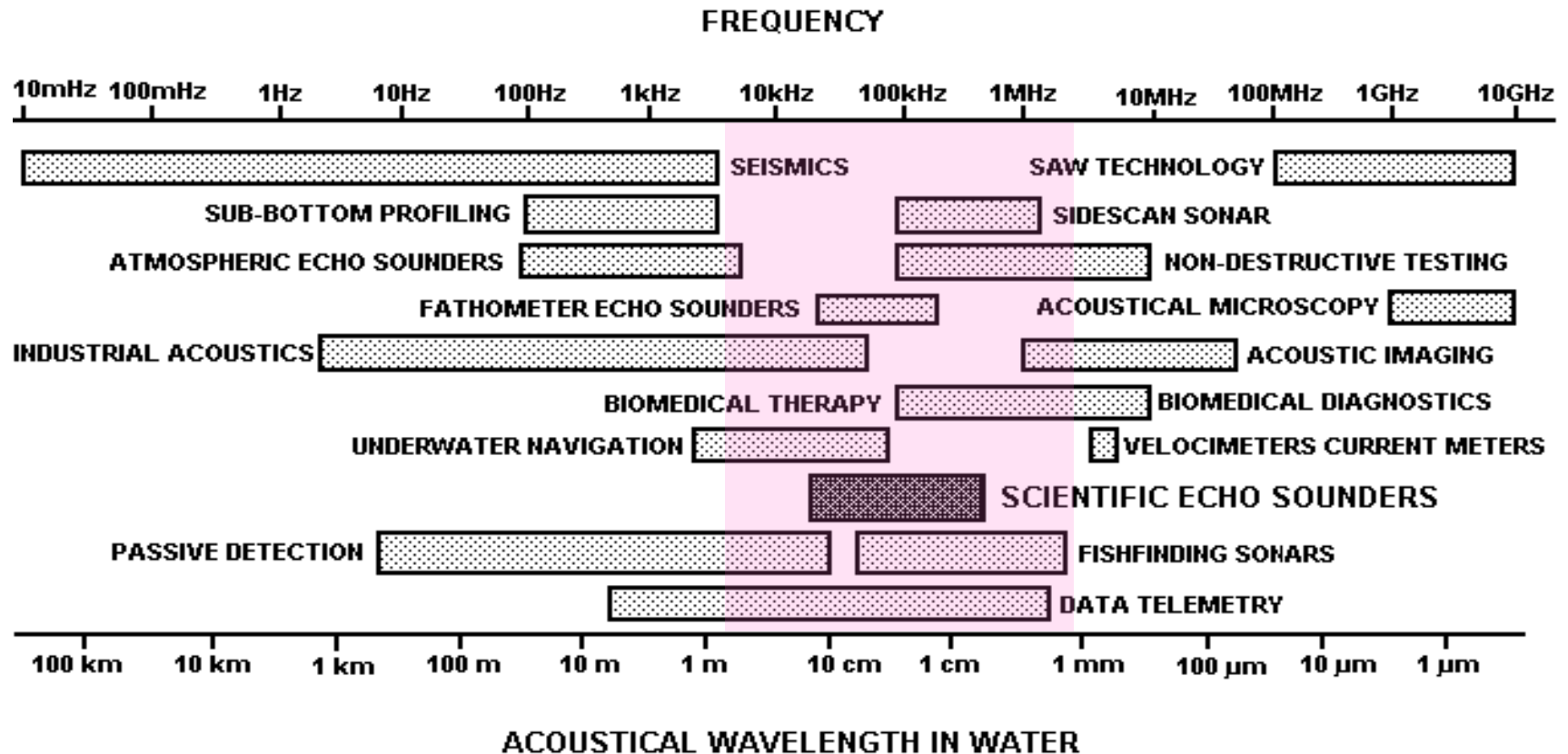
$$f = c/\lambda$$

Period ( $\tau$ )= time for one cycle, units seconds

$$\tau = 1/f$$

in active acoustics this is the pulse duration, pulse length, or pulse width

# Frequency Ranges of Acoustic Sensors



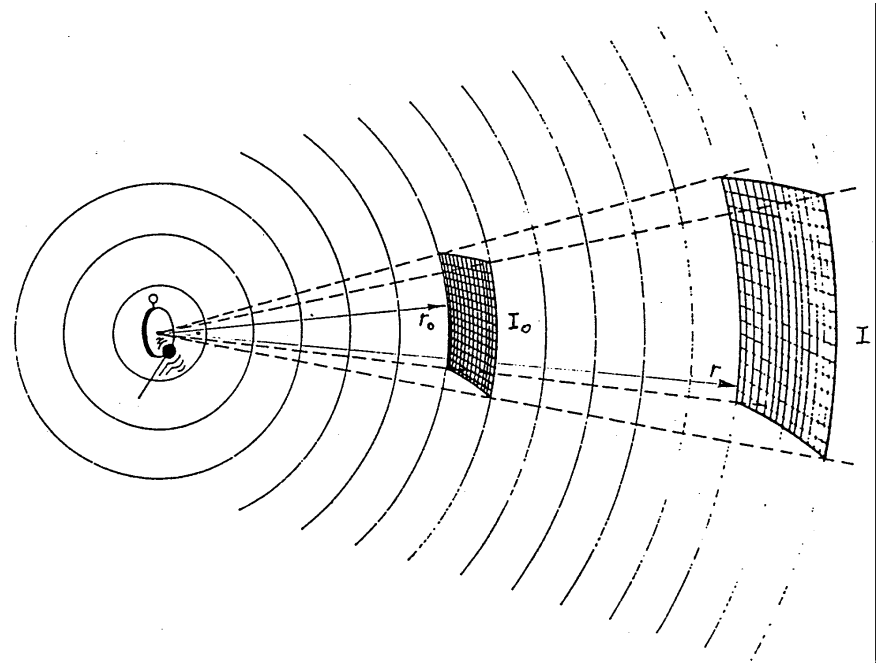
redrawn from Coates 1989

# Transmission Losses

## Geometric Spreading

- pressure decreases as the 1/distance from source
- spherical spreading from a point source (e.g. transducer)
- non-spherical or directed spreading (e.g. fish)
- 2-way spreading increases as range<sup>2</sup>
- independent of frequency

$$\Delta I \propto 1/r^2$$



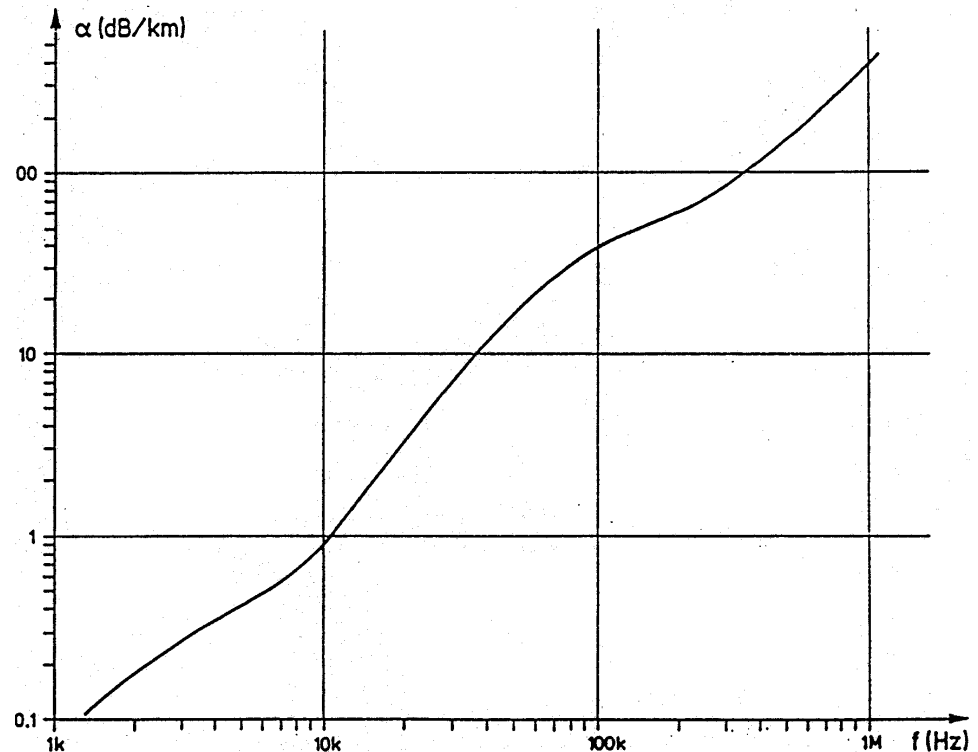
# Transmission Losses

## Absorption

- attenuation of pressure due to friction ( $\alpha$ , units nepers/m or dB/m), temperature, salinity, and molecular relaxation
- proportional to range ( $r$ )
- dependent on frequency
- in FW below 200 kHz, relaxation does not occur

one way:  $\alpha r$

two way:  $2 \alpha r$



ABSORPTION COEFFICIENT VS. FREQUENCY

What is a neper? natural log ratio

# Which Loss is Greater?

## Absorption

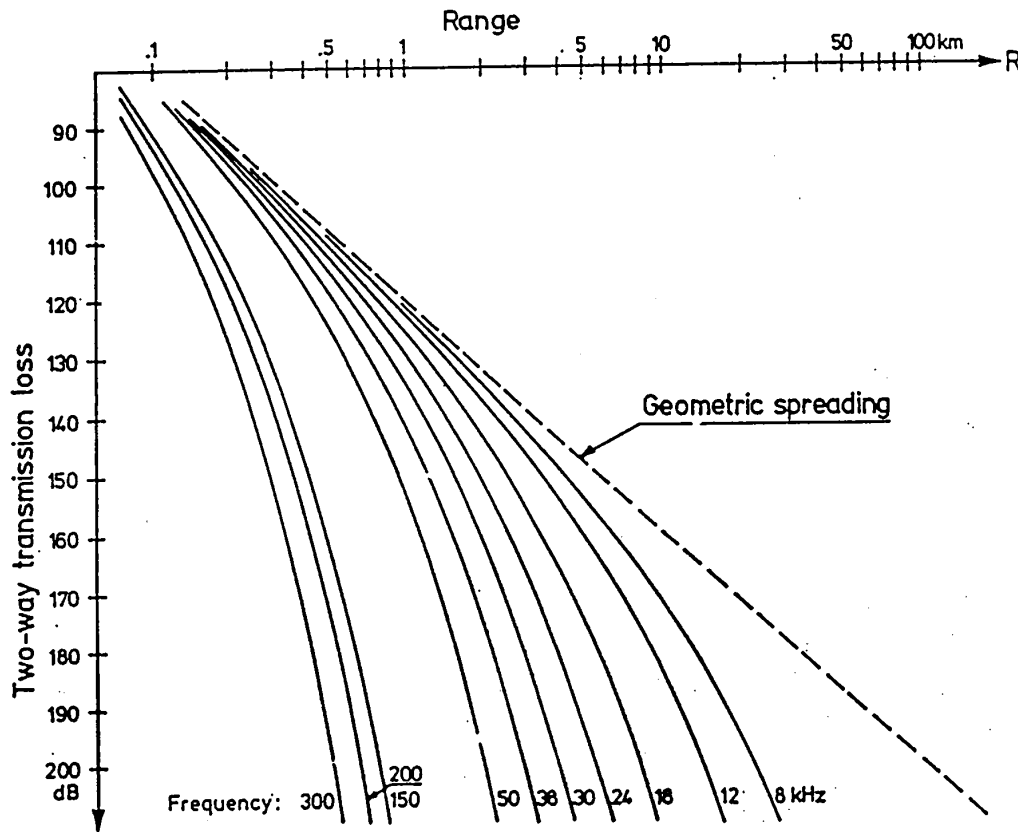
Frequency	Loss Rate
1 kHz	0.05 dB/km
10 kHz	0.5 dB/km
100 kHz	20 dB/km
1 MHz	300 dB/km

## Spreading

~ 60 dB at 1 km

Spreading loss > Absorption loss at frequencies < 100's kHz

# Total Transmission Loss



$$\begin{aligned} \text{1 way: } & 20 \log(r) + \alpha r \\ \text{2 way: } & 40 \log(r) + 2\alpha r \end{aligned}$$

TWO WAY TRANSMISSION LOSS VS. FREQUENCY.

# Why Not Use Light?



# Sound Level

Sound Level = Sound Pressure Level – Transmission Loss

Sound Pressure Level = initial intensity  
(a.k.a. Source Level)