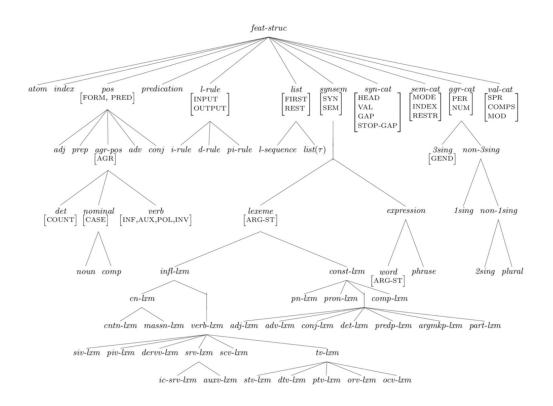
#### Components of the Grammar

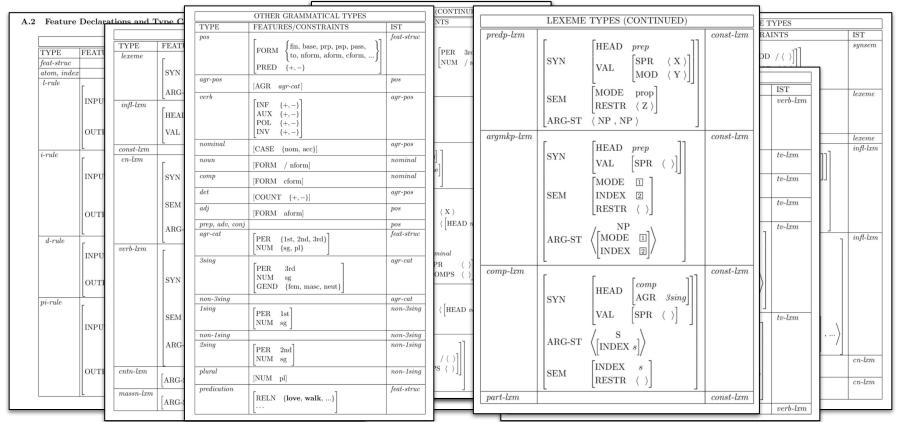
LING566

#### **Components of the Grammar**

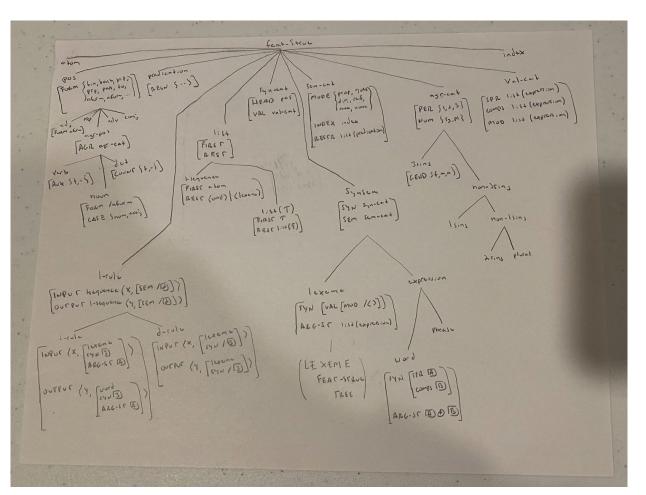
- Type hierarchy
  - this includes lexeme types
- Lexical entries
- Lexical rules
- Grammar rules
- Principles
- Initial symbol

Combinations of constraints from these components determine what trees are licensed by our grammar

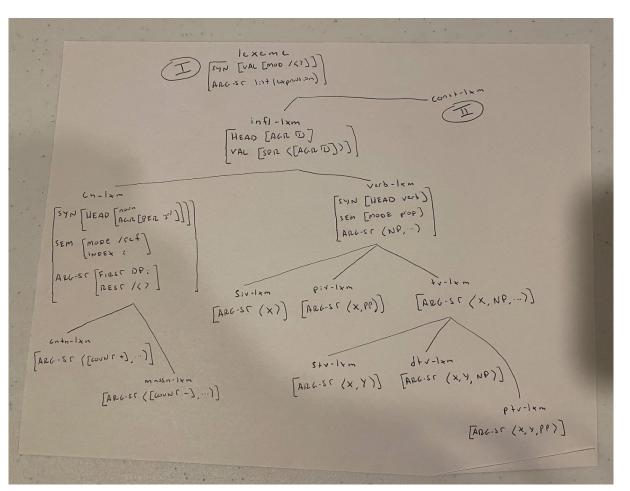




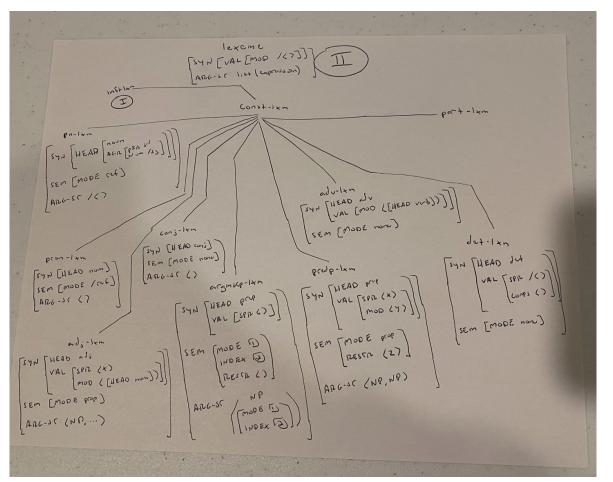
Type Hierarchy by the end of the book (1/3)



Type Hierarchy by the end of the book (2/3)



Type Hierarchy by the end of the book (3/3)



- Lists all of the types and their subtypes
- Specifies what features are appropriate for each type
- Specifies what values are appropriate for each feature

-	_	feat-struc
HEAD	pos	
VAL	val-cat	
GAP	list(expression)	
STOP-GAP	list(expression)	
	VAL GAP	$egin{array}{ccc} VAL & val\text{-}cat \\ GAP & list(expression) \\ \end{array}$

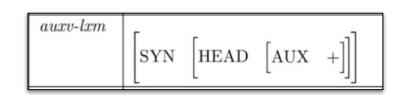
pos	F .	feat-struc
	FORM $\begin{cases} \text{fin, base, prp, psp, pass,} \\ \text{to, nform, aform, cform,} \end{cases}$	

• NOTE: Defeasibility can only be <u>declared</u> in the type hierarchy

Features with defeasible values can be overwritten in subtypes, in particular lexical

entries, or particular lexical rules

SYN	HEAD	verb
SEM [	MODE  HEAD  VAL	$ \begin{bmatrix} POL & - \\ prop \end{bmatrix} $ $ \begin{bmatrix} nominal \\ [SPR & \langle \rangle] \end{bmatrix}, $



$$\begin{bmatrix} auxv-km \\ SYN & \begin{bmatrix} INF & + \\ FORM & base \end{bmatrix} \end{bmatrix}$$

$$\begin{cases} to , SEM & \begin{bmatrix} INDEX & s \\ RESTR & \langle & \rangle \end{bmatrix} \end{bmatrix}$$

$$ARG-ST & \begin{cases} X , \begin{bmatrix} SYN & \begin{bmatrix} HEAD & \begin{bmatrix} INF & - \\ FORM & base \end{bmatrix} \end{bmatrix} \end{bmatrix} \end{cases}$$

$$SEM & \begin{bmatrix} INDEX & s \\ SEM & \begin{bmatrix} INDEX & s \end{bmatrix} \end{bmatrix}$$

- Lexeme types
- Lexical entries
- Lexical rules

- Lexeme types
- Lexical entries
- Lexical rules

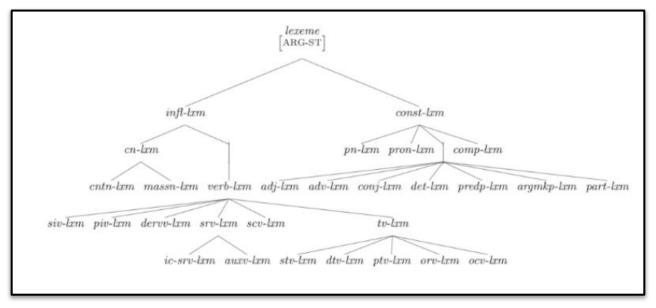
These are elements we posit when writing the grammar

- Lexical sequence
- Family of lexical sequences
- Lexical rule instantiation
- Word structure

These come about as a *consequence* of the way our grammar works

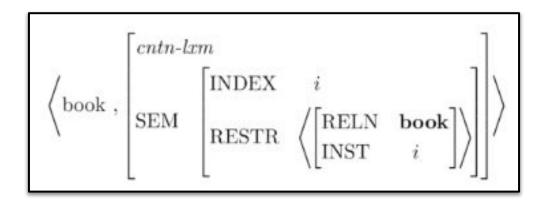
#### Lexeme

 lexeme is a type in our grammar, and it serves as the root of the "subhierarchy" of all lexical types in the type hierarchy



#### **Lexical Entries**

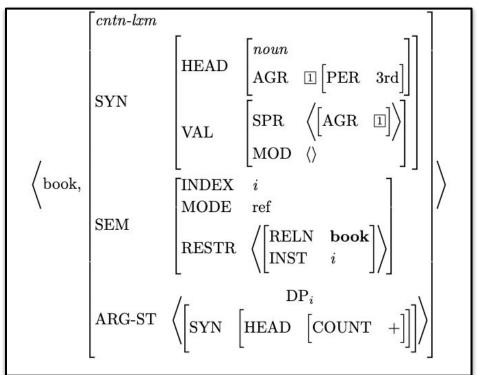
- Lexical entries make up the lexicon of the grammar, they are underspecified descriptions of 'words'
- Each lexical entry is an ordered pair consisting of an orthographic/phonological form and a partial feature structure description



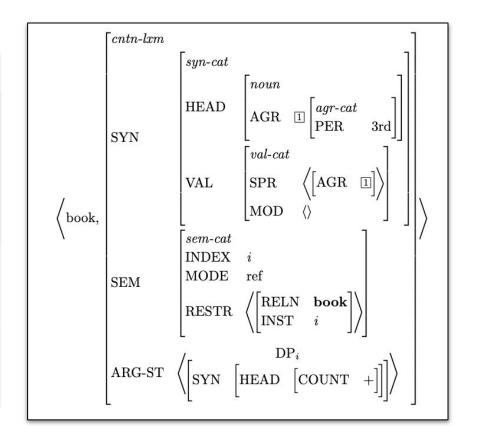
cntn- $lxm$	$\left[ \text{ARG-ST}  \langle \text{ [COUNT +] }, \dots \rangle \right]$	cn-lxm
en-lxm	$\begin{bmatrix} \text{SYN} & \begin{bmatrix} \text{HEAD} & \begin{bmatrix} noun \\ \text{AGR} & [\text{PER 3rd}] \end{bmatrix} \end{bmatrix} \end{bmatrix}$	infl-lxm
	$ \begin{array}{ccc} \text{SEM} & \begin{bmatrix} \text{MODE} & / \text{ ref} \\ \text{INDEX} & i \end{bmatrix} $	
	$\begin{bmatrix} \text{ARG-ST} & \begin{bmatrix} \text{FIRST} & \text{DP}_i \\ \text{REST} & / \langle \ \rangle \end{bmatrix} \end{bmatrix}$	
infl-lxm	$\begin{bmatrix} \text{HEAD} & \left[ \text{AGR} & \square \right] \\ \text{VAL} & \left[ \text{SPR} & \left\langle \left[ \text{AGR} & \square \right] \right\rangle \right] \end{bmatrix}$	lexeme
lexeme	$\begin{bmatrix} \text{SYN} & \begin{bmatrix} \text{VAL} \begin{bmatrix} \text{MOD} \ / \ \langle \ \rangle \end{bmatrix} \\ \text{STOP-GAP} \ / \ \langle \ \rangle \end{bmatrix} \\ \text{ARG-ST} & \textit{list(expression)} \end{bmatrix}$	synsem

$$\left\langle \text{book} \right., \left[ \begin{matrix} \text{cntn-lxm} \\ \text{SEM} \end{matrix} \left[ \begin{matrix} \text{INDEX} & i \\ \\ \text{RESTR} & \left\langle \begin{bmatrix} \text{RELN} & \mathbf{book} \\ \text{INST} & i \end{matrix} \right] \right\rangle \right] \right\rangle$$

ARG-ST $\langle [COUNT +], \rangle$	
SYN $\begin{bmatrix} \text{HEAD} & \begin{bmatrix} noun \\ \text{AGR} & [\text{PER 3rd}] \end{bmatrix} \end{bmatrix}$ SEM $\begin{bmatrix} \text{MODE} & / \text{ ref} \\ \text{INDEX} & i \end{bmatrix}$	infl-lxm
[HEAD [AGR I]]	lexeme
$\begin{bmatrix} VAL & \begin{bmatrix} SPR & \langle [AGR & \square] \rangle \end{bmatrix} \end{bmatrix}$ $\begin{bmatrix} VAL & \begin{bmatrix} WOD & / \langle \rangle \end{bmatrix} \end{bmatrix}$ $STOP-GAP & / \langle \rangle \end{bmatrix}$	synsem
	$\begin{bmatrix} \text{SYN} & \begin{bmatrix} \text{HEAD} & \begin{bmatrix} noun \\ \text{AGR} & [\text{PER 3rd}] \end{bmatrix} \end{bmatrix} \\ \text{SEM} & \begin{bmatrix} \text{MODE} & / \text{ ref} \\ \text{INDEX} & i \end{bmatrix} \\ \text{ARG-ST} & \begin{bmatrix} \text{FIRST} & \text{DP}_i \\ \text{REST} & / \langle & \rangle \end{bmatrix} \end{bmatrix} \\ \begin{bmatrix} \text{HEAD} & \begin{bmatrix} \text{AGR} & \boxed{1} \end{bmatrix} \\ \text{VAL} & \begin{bmatrix} \text{SPR} & \langle \begin{bmatrix} \text{AGR} & \boxed{1} \end{bmatrix} \rangle \end{bmatrix} \end{bmatrix}$



cntn-lxm	$\left[ \text{ARG-ST} \left\langle \left[ \text{COUNT} + \right], \dots \right\rangle \right]$	cn-lxm
cn-lxm	$\begin{bmatrix} \text{SYN} & \begin{bmatrix} \text{HEAD} & \begin{bmatrix} noun \\ \text{AGR} & [\text{PER 3rd}] \end{bmatrix} \end{bmatrix} \\ \text{SEM} & \begin{bmatrix} \text{MODE} & / \text{ ref} \\ \text{INDEX} & i \end{bmatrix}$	infl-lxm
	$\begin{bmatrix} \text{ARG-ST} & \begin{bmatrix} \text{FIRST} & \text{DP}_i \\ \text{REST} & / \langle \ \rangle \end{bmatrix} \end{bmatrix}$	
infl-lxm	$\begin{bmatrix} \text{HEAD} & \left[ \text{AGR} & \mathbb{I} \right] \\ \text{VAL} & \left[ \text{SPR} & \left\langle \left[ \text{AGR} & \mathbb{I} \right] \right\rangle \right] \end{bmatrix}$	lexeme
lexeme	$\begin{bmatrix} \text{SYN} & \begin{bmatrix} \text{VAL} \begin{bmatrix} \text{MOD} \ / \ \ \ \ \end{bmatrix} \\ \text{STOP-GAP} \ / \ \ \ \ \end{bmatrix} \\ \text{ARG-ST} & \textit{list}(expression) \end{bmatrix}$	synsem

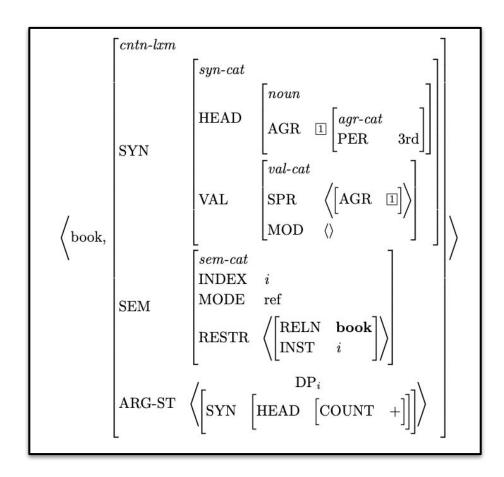


syn-cat	-	-	feat-struc
	HEAD	pos	
	VAL	val-cat	
	GAP	list(expression)	
	STOP-GAP	list(expression)	

noun	[FORM / nform]	nominal
nominal	[CASE {nom, acc}]	agr-pos
agr-pos	[AGR agr-cat]	pos
pos	$ \begin{bmatrix} \text{FORM} & \left\{ \text{fin, base, prp, psp, pass,} \\ \text{to, nform, aform, cform,} \dots \right\} \\ \text{PRED} & \left\{ +, - \right\} \end{bmatrix} $	feat-struc

val-cat			feat-struc
	SPR	list(expression)	
	COMPS	list(expression)	
	MOD	list(expression)	
	-		

sem-cat		feat-struc
	$\  \text{MODE} \{ \text{prop, ques, dir, ref, ana, none} \} \ $	
	INDEX {index, none}	
	RESTR list(predication)	

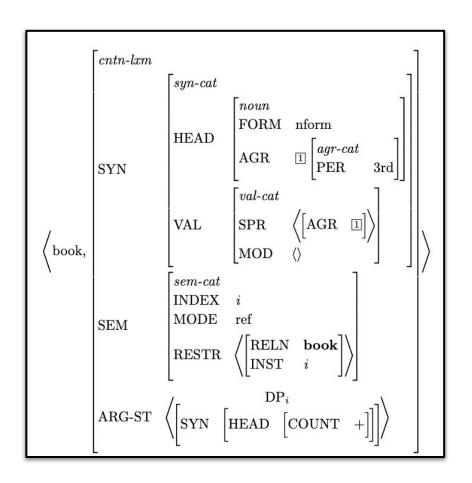


syn-cat	_		feat-struc
	HEAD	pos	
	VAL	val-cat	
	GAP	list(expression)	
	STOP-GAP	list(expression)	

noun	[FORM / nform]	nominal
nominal	[CASE {nom, acc}]	agr-pos
agr-pos	[AGR agr-cat]	pos
pos	$ \begin{bmatrix} \text{FORM} & \left\{ \text{fin, base, prp, psp, pass,} \\ \text{to, nform, aform, cform,} \dots \right\} \\ \text{PRED} & \left\{ +, - \right\} \end{bmatrix} $	feat-struc

val-cat	_		feat-struc
	SPR	list(expression)	
	COMPS	list(expression)	
	MOD	list(expression)	
	L	(	

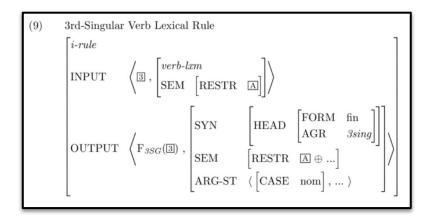
sem-cat	feat-s	true
	MODE {prop, ques, dir, ref, ana, none}	
	INDEX {index, none}	
	RESTR list(predication)	

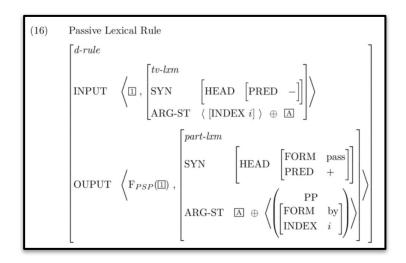


- Lexeme types
- Lexical entries
- Lexical rules
- Lexical sequence
- Family of lexical sequences
- Lexical rule instantiation
- Word structure

#### **Lexical Rules**

- Another part of the grammar we write
- Allow us to derive inflected forms (via lexical rules of type i-rule or pi-rule)
- OR additional lexeme type lexical sequences that can be input to more lexical rules (via lexical rules of type *d-rule*)





- Lexeme types
- Lexical entries
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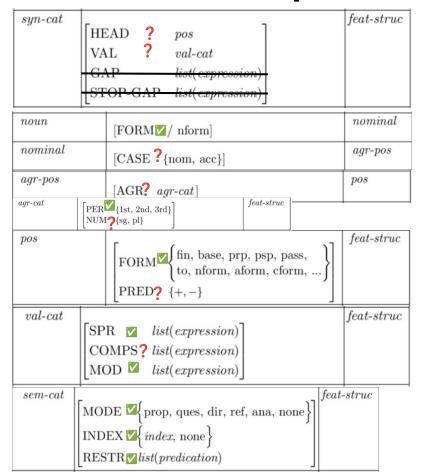
#### Lexical Sequence

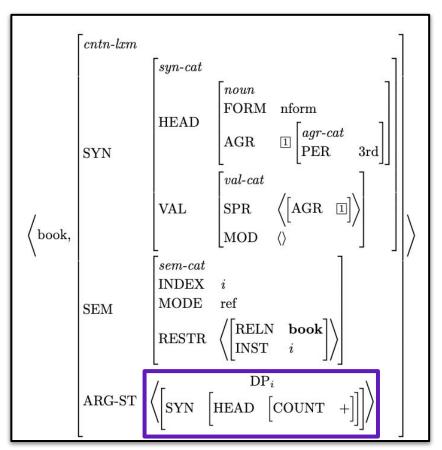
- Ordered pairs that can serve as the INPUT or OUTPUT values of lexical rules
- Any lexical sequence is a pair that consists of an orthographic/phonological form and a fully resolved feature structure

#### Family of Lexical Sequences

 If you have an ordered pair that consists of an orthographic/phonological form and an underspecified feature structure, we say that it "describes a family of lexical sequences"

#### What lexical sequences does this describe?





- Lexeme types
- Lexical entries
- Lexical rules
- Lexical sequence
- Family of lexical sequences
- Lexical rule instantiation
- Word structure

#### Filtering through the "soup" (>>)

- A certain number of the lexical sequences described by that partial description can be "caught" by these lexical rules
- The INPUT and OUTPUT will then each be associated with a particular fully resolved lexical sequence
- Infinitely many other lexical sequences will not unify with these constraints and therefore be ignored, left to float in the "soup"

```
(7) Singular Noun Lexical Rule
\begin{bmatrix} i\text{-}rule \\ \text{INPUT} & \left\langle \square , cn\text{-}lxm \right\rangle \\ \text{OUTPUT} & \left\langle \square , \left[ \text{SYN} \left[ \text{HEAD} \left[ \text{AGR} \left[ \text{NUM sg} \right] \right] \right] \right\rangle \right] \end{bmatrix}
(8) Plural Noun Lexical Rule
\begin{bmatrix} i\text{-}rule \\ \text{INPUT} & \left\langle \square , cntn\text{-}lxm \right\rangle \\ \text{OUTPUT} & \left\langle \Gamma , cntn\text{-}lxm \right\rangle \end{bmatrix}
OUTPUT \left\langle \Gamma , cntn\text{-}lxm \right\rangle
```

#### **Lexical Rule Instantiation**

- A lexical rule instantiation is a **fully resolved** feature structure that is consistent with the specifications of some lexical rule
- We don't show these in our trees, but when you work through a problem to build a tree, you will step through some number of lexical rule instantiations in order to get the word structure that will sit at each leaf in the tree
- Some implemented HPSG grammars actually represent the lexical rules on the trees
  - ERG demo

#### **Word Structure**

- Found at the bottom of the tree, serve as the leaves of the tree
- A feature structure of type word over some string
- "Correspond to lexical sequences that correspond to OUTPUT of some lexical rule instantiation that is a fully resolved version of some lexical rule where INPUT is a lexical sequence that is licensed by a lexical entry (or output of some other lexical rule)"

- Lexeme types
- Lexical entries
- Lexical rules
- Lexical sequence
- Family of lexical sequences
- Lexical rule instantiation
- Word structure

# The rest of the grammar lol

#### **Components of the Grammar**

- Type hierarchy
  - this includes lexeme types
- Lexical entries
- Lexical rules
- Grammar rules
- Principles
- Initial symbol

Combinations of constraints from these components determine what trees are licensed by our grammar

#### **Grammar Rules**

- Also called phrase structure rules
- Build feature structures of type (or really subtypes) of expression from other feature structures of type expression
- This is how we get our tree structure

#### A.4 The Grammar Rules

(All daughters in our grammar rules are expressions, i.e. of type word or phrase; never of type lexeme).

(1) Head-Specifier Rule

$$\begin{bmatrix} phrase & \\ SPR & \langle \ \rangle \end{bmatrix} \rightarrow \mathbb{1} \quad \mathbf{H} \begin{bmatrix} VAL & \begin{bmatrix} SPR & \langle \ \square \ \rangle \\ COMPS & \langle \ \rangle \end{bmatrix} \end{bmatrix}$$

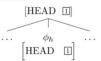
$$STOP\text{-}GAP \quad \langle \ \rangle$$

A phrase can consist of a (lexical or phrasal) head preceded by its specifier.

#### **Principles**

- What principles do we have so far?
  - Head Feature Principle
  - Valence Principle
  - Semantic Inheritance Principle
  - Semantic Compositionality Principle
- Are outlined in the "squiggly bits"

(72)  $\Phi$  satisfies the Head Feature Principle with respect to a headed rule  $\rho$  if and only if  $\Phi$  satisfies:



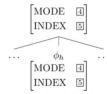
where  $\phi_h$  is the head daughter of  $\Phi$ .

(73)  $\Phi$  satisfies the Valence Principle with respect to a headed rule  $\rho$  if and only if, for any VAL feature F,  $\Phi$  satisfies:



where  $\phi_h$  is the head daughter of  $\Phi$  and  $\rho$  does not specify incompatible F values for  $\phi_h$  and  $\phi_0$ .

(74)  $\Phi$  satisfies the Semantic Inheritance Principle with respect to a headed rule  $\rho$  if and only if  $\Phi$  satisfies:



where  $\phi_h$  is the head daughter of  $\Phi$ .

#### **Initial Symbol**

#### A.7.6 Structures Defined by the Grammar

- (65) Well-Formed Tree Structure:
  - $\Phi$  is a Well-Formed Tree Structure according to G if and only if:
    - 1.  $\Phi$  is a tree structure,
    - 2. the label of  $\Phi$ 's root node satisfies the constraint:

$$\begin{bmatrix} & \begin{bmatrix} \text{HEAD} & \begin{bmatrix} verb \\ \text{FORM} & \text{fin} \end{bmatrix} \end{bmatrix} \\ \text{SYN} & \begin{bmatrix} \text{COMPS} & \langle & \rangle \\ \text{SPR} & & \langle & \rangle \end{bmatrix} \end{bmatrix} \\ \text{GAP} & \langle & \rangle \end{bmatrix}$$

and

3. each local subtree within  $\Phi$  is either phrasally licensed or lexically licensed.

#### **Components of the Grammar**

- Type hierarchy
  - this includes lexeme types
- Lexical entries
- Lexical rules
- Grammar rules
- Principles
- Initial symbol

Combinations of constraints from these components determine what trees are licensed by our grammar

#### **Abbreviations??**

- Abbreviations are partial descriptions of feature structures
- They serve as a notational convenience because it's easier to write "V" than it is to write the details of what the abbreviation V entails

### A.3 Abbreviations $\text{VP} = \begin{bmatrix} \text{SYN} & \begin{bmatrix} \text{HEAD} & verb \\ \text{VAL} & \begin{bmatrix} \text{COMPS} & \langle & \rangle \\ \text{SPR} & \langle & X & \rangle \end{bmatrix} \end{bmatrix} \quad \text{NOM} = \begin{bmatrix} \text{SYN} & \begin{bmatrix} \text{HEAD} & noun \\ \text{VAL} & \begin{bmatrix} \text{COMPS} & \langle & \rangle \\ \text{SPR} & \langle & X & \rangle \end{bmatrix} \end{bmatrix}$ $PP = \begin{bmatrix} SYN & \begin{bmatrix} HEAD \ prep \\ VAL \begin{bmatrix} COMPS & \\ \\ \end{bmatrix} \end{bmatrix} \\ CP = \begin{bmatrix} SYN & \begin{bmatrix} HEAD \ comp \\ VAL \begin{bmatrix} COMPS & \\ \\ SPR & \\ \end{pmatrix} \end{bmatrix} \end{bmatrix}$ $\mathbf{P} = \begin{bmatrix} word \\ \mathbf{SYN} & [\mathbf{HEAD} & prep] \end{bmatrix} \qquad \qquad \mathbf{C} = \begin{bmatrix} word \\ \mathbf{SYN} & [\mathbf{HEAD} & comp] \end{bmatrix}$

## yay!