

Computational Semantics

Deep Processing for NLP
Ling 571
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Roadmap

- Compositional Semantics
 - Rule-to-rule model
 - Semantic attachments
 - Extended examples
 - Scope and Parsing

Summary

- First-order logic can be used as a meaning representation language for natural language
- Principle of compositionality: the meaning of a complex expression is a function of the meaning of its parts
- λ -expressions can be used to compute meaning representations from syntactic trees based on the principle of compositionality
- In the next section, we will look at a syntax-driven approach to semantic analysis in more detail

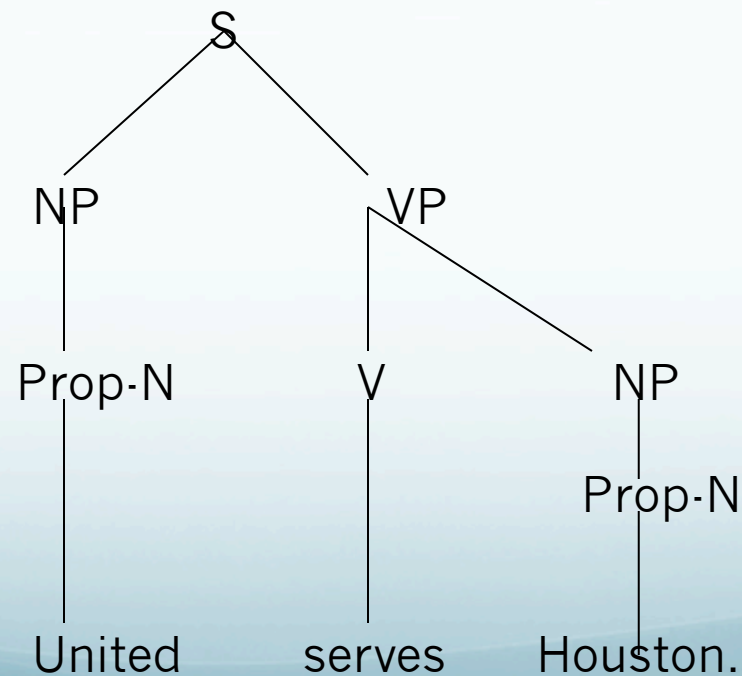
Syntax-driven Semantic Analysis

- Key: Principle of Compositionality
 - Meaning of sentence from meanings of parts
 - E.g. groupings and relations from syntax
- Question: Integration?
- Solution 1: Pipeline
 - Feed parse tree and sentence to semantic unit
 - Sub-Q: Ambiguity:
 - Approach: Keep all analyses, later stages will select

Simple Example

- United serves Houston.

$\exists e \text{ Serving}(e) \wedge \text{Server}(e, \text{United}) \wedge \text{Served}(e, \text{Houston})$



Rule-to-Rule

- Issue:
 - How do we know which pieces of the semantics link to what part of the analysis?
 - Need detailed information about sentence, parse tree
 - Infinitely many sentences & parse trees
 - Semantic mapping function per parse tree → intractable
- Solution:
 - Tie semantics to finite components of grammar
 - E.g. rules & lexicon
 - Augment grammar rules with semantic info
 - Aka “attachments”
 - Specify how RHS elements compose to LHS

Semantic Attachments

- Basic structure:
 - $A \rightarrow a_1 \dots a_n \quad \{f(a_j.\text{sem}, \dots a_k.\text{sem})\}$
 - $A.\text{sem}$
- Language for semantic attachments
 - Arbitrary programming language fragments?
 - Arbitrary power but hard to map to logical form
 - No obvious relation between syntactic, semantic elements
 - Lambda calculus
 - Extends First Order Predicate Calculus (FOPC) with function application
 - Feature-based model + unification
- Focus on lambda calculus approach

Semantic Analysis Approach

- Semantic attachments:
 - Each CFG production gets semantic attachment
- Phrase semantics is function of SA of children
 - Complex functions parametrized
 - E.g. Verb → arrived
 - Need unary predicate
 - One arg: subject, not yet available

Semantic Analysis Example

- Basic model:
 - Neo-Davidsonian event-style model
 - Complex quantification
- Example:
 - Every flight arrived.
 - (S (NP (Det every) (Nom (Noun flight))))
 - (VP (V arrived)))
 - Target representation:

$$\forall x Flight(x) \Rightarrow \exists e Arrived(e) \wedge ArrivedThing(e, x)$$

Defining Representation

- Idea: Every flight = $\forall x \text{Flight}(x)$
 - Good enough?
 - No: roughly ‘everything is a flight’
 - Saying something about all flights – nuclear scope
- Solution: Dummy predicate
$$\forall x \text{Flight}(x) \Rightarrow Q(x)$$
 - Good enough?
 - No: no way to get $Q(x)$ from elsewhere in sentence
- Solution: Lambda

$$\lambda Q. \forall x \text{Flight}(x) \Rightarrow Q(x)$$

Creating Attachments

- Noun \rightarrow flight $\{ \lambda x. \text{Flight}(x) \}$
- Nom \rightarrow Noun $\{ \text{Noun.sem} \}$
- Det \rightarrow Every $\{ \lambda P. \lambda Q. \forall x P(x) \Rightarrow Q(x) \}$
- NP \rightarrow Det Nom $\{ \text{Det.sem}(\text{Nom.sem}) \}$

$$\lambda P.\lambda Q.\forall x P(x) \Rightarrow Q(x)(\lambda x.Flight(x))$$

$$\lambda P.\lambda Q.\forall x P(x) \Rightarrow Q(x)(\lambda y.Flight(y))$$

$$\lambda Q.\forall x \lambda y.Flight(y)(x) \Rightarrow Q(x)$$

$$\lambda Q.\forall x Flight(x) \Rightarrow Q(x)$$

Full Representation

- Verb \rightarrow arrived $\{\lambda x. \exists e Arrived(e) \wedge ArrivedThing(e, x)\}$
- VP \rightarrow Verb $\{ Verb.sem \}$
- S \rightarrow NP VP $\{ NP.sem(VP.sem) \}$

$$\lambda Q. \forall x Flight(x) \Rightarrow Q(x)(\lambda y. \exists e Arrived(e) \wedge ArrivedThing(e, y))$$

$$\forall x Flight(x) \Rightarrow \lambda y. \exists e Arrived(e) \wedge ArrivedThing(e, y)(x)$$

$$\forall x Flight(x) \Rightarrow \exists e Arrived(e) \wedge ArrivedThing(e, x)$$

Extending Attachments

- ProperNoun \rightarrow UA223
- What should semantics look like in this style?
 - Needs to produce correct form when applied to VP.sem
 - As in “UA223 arrived” \rightarrow

$$\exists e \textit{Arrived}(e) \wedge \textit{ArrivedThing}(e, \textit{UA223})$$

- Correct form: $\lambda X.X \textit{ (UA223)}$
 - Applies predicate to UA223

More

- Determiner
- $\text{Det} \rightarrow a$ $\{ \lambda P. \lambda Q. \exists x P(x) \wedge Q(x) \}$
- a flight $\lambda Q. \exists x \text{Flight}(x) \wedge Q(x)$

- Transitive verb:
 - $\text{VP} \rightarrow \text{Verb NP}$ $\{ \text{Verb.sem}(\text{NP.sem}) \}$
 - Verb \rightarrow booked

$\lambda w. \lambda z. w(\lambda x. \exists e \text{Booked}(e) \wedge \text{Booker}(e, z) \wedge \text{BookedThing}(e, x))$

Strategy for Semantic Attachments

- General approach:
 - Create complex, lambda expressions with lexical items
 - Introduce quantifiers, predicates, terms
 - Percolate up semantics from child if non-branching
 - Apply semantics of one child to other through lambda
 - Combine elements, but don't introduce new

John booked a flight

- a flight $\lambda Q. \exists x \text{Flight}(x) \wedge Q(x)$
- VP \rightarrow Verb NP $\{\text{Verb.sem}(\text{NP.sem})\}$

$\lambda w. \lambda z. w(\lambda x. \exists e \text{Booked}(e) \wedge \text{Booker}(e, z) \wedge \text{BookedThing}(e, x))$

- $(\lambda Q. \exists y \text{Flight}(y) \wedge Q(y))$

$\lambda z. \lambda Q. \exists y \text{Flight}(y) \wedge Q(y)$

$(\lambda x. \exists e \text{Booked}(e) \wedge \text{Booker}(e, z) \wedge \text{BookedThing}(e, x))$

$\lambda z. \exists y \text{Flight}(y) \wedge$

$\lambda x. \exists e \text{Booked}(e) \wedge \text{Booker}(e, z) \wedge \text{BookedThing}(e, x)(y)$

John booked a flight

- a flight $\lambda Q. \exists x \text{Flight}(x) \wedge Q(x)$
- VP \rightarrow Verb NP {Verb.sem(NP.sem)}

$\lambda w. \lambda z. w(\lambda x. \exists e \text{Booked}(e) \wedge \text{Booker}(e, z) \wedge \text{BookedThing}(e, x))$

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$\lambda z. \exists y \text{Flight}(y) \wedge$

$\exists e \text{Booked}(e) \wedge \text{Booker}(e, z) \wedge \text{BookedThing}(e, y)$

John booked a flight

- Proper_Noun \rightarrow John $\{ \lambda x.x(\text{John}) \}$
- S \rightarrow NP VP $\{ \text{NP.sem}(\text{VP.sem}) \}$
- $\lambda x.x(\text{John})$

$(\lambda z.\exists y \text{Flight}(y) \wedge$

$\exists e \text{Booked}(e) \wedge \text{Booker}(e, z) \wedge \text{BookedThing}(e, y))$

$(\lambda z.\exists y \text{Flight}(y) \wedge$

$\exists e \text{Booked}(e) \wedge \text{Booker}(e, z) \wedge \text{BookedThing}(e, y))(John)$

John booked a flight

$(\lambda z. \exists y \text{Flight}(y) \wedge$
 $\exists e \text{Booked}(e) \wedge \text{Booker}(e, z) \wedge \text{BookedThing}(e, y))(John)$

$\exists y \text{Flight}(y) \wedge$
 $\exists e \text{Booked}(e) \wedge \text{Booker}(e, John) \wedge \text{BookedThing}(e, y)$

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Semantics Learning

- Zettlemoyer & Collins, 2005, 2007, etc; Mooney 2007
- Given semantic representation and corpus of parsed sentences
 - Learn mapping from sentences to logical form
 - Structured perceptron
 - Applied to ATIS corpus sentences
- Similar approaches to: learning instructions from computer manuals, game play from walkthroughs, robocup/soccer play from commentary

Quantifier Scope

- Ambiguity:

- *Every restaurant has a menu*

$\forall x \text{Restaurant}(x) \Rightarrow \exists y(\text{Menu}(y) \wedge (\exists e \text{Having}(e) \wedge \text{Haver}(e, x) \wedge \text{Had}(e, y)))$

- Readings:
 - all have a menu;
 - all have same menu
 - Only derived one

$\exists y \text{Menu}(y) \wedge \forall x(\text{Restaurant}(x) \Rightarrow \exists e \text{Having}(e) \wedge \text{Haver}(e, x) \wedge \text{Had}(e, y)))$

- Potentially $O(n!)$ scopings ($n = \#$ quantifiers)
- There are approaches to describe ambiguity efficiently and recover all alternatives.

Parsing with Semantics

- Implement semantic analysis
 - In parallel with syntactic parsing
 - Enabled by compositional approach
- Required modifications
 - Augment grammar rules with semantic field
 - Augment chart states with meaning expression
 - Incrementally compute semantics
 - Can also fail
 - Blocks semantically invalid parses
 - Can impose extra work

Sidelight: Idioms

- Not purely compositional
 - E.g. kick the bucket = die
 - tip of the iceberg = beginning
- Handling:
 - Mix lexical items with constituents (word nps)
 - Create idiom-specific const. for productivity
 - Allow non-compositional semantic attachments
- Extremely complex: e.g. metaphor