

# libSVM

LING572

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# Documentation

- <http://www.csie.ntu.edu.tw/~cjlin/libsvm/>
- The libSVM directory on Patas:
  - /NLP\_TOOLS/ml\_tools/svm/libsvm/latest/
  - README
  - FAQ.html
  - svm-train, svm-predict, etc.
- More info:
  - [A practical guide to support vector classification](#)
  - [LIBSVM : a library for support vector machines](#)

# Steps for using libSVM

- Define features in the input space (if use one of the pre-defined kernel functions)
- Scale the data before training/test
- Choose a kernel function
- Tune parameters using cross-validation

# Main commands

- `svm-scale`: scaling the data
- `svm-train`: training
- `svm-predict`: decoding

# Scaling the data

- To avoid features with larger variance to dominate those with smaller variance.
- Scale each feature to the range  $[-1,+1]$  or  $[0,1]$ .
  - $[0,1]$  is faster than  $[-1,1]$

# svm-scale

- `svm-scale -l -1 -u 1 -s range_file training_data > training_data.scale`
- `svm-scale -r range_file test_data > test_data.scale`
- Scale feature values to  $[-1, 1]$  or  $[0,1]$
- No need to scale the data for Hw8.

# svm-train

- `svm-train [options] training_data model_file`
- Options:
  - t [0-3]: kernel type
  - g gamma: used in polynomial, RBF, sigmoid
  - d degree: used in polynomial
  - r coef0: used in polynomial, sigmoid
- Type “svm-train” to see options

# Kernel functions

-t kernel\_type : set type of kernel function (default 2)

0: linear:  $u' * v$

1: polynomial:  $(\text{gamma} * u' * v + \text{coef0})^{\text{degree}}$

2: RBF:  $\exp(-\text{gamma} * |u-v|^2)$

3: sigmoid:  $\tanh(\text{gamma} * u' * v + \text{coef0})$



# svm-predict

- `svm-predict test_data model_file output_file`
- `svm-predict` produces only the system prediction in `output_file`.
- You will implement your own decoder in Hw8.

# The format of training/test data

- Sparse format: no need to include features with value zero.
- Mallet format:  
truelabel f1: v1 f2: v2 .....
- libSVM format:  
truelabel\_idx feat\_idx1:v1 feat\_idx2:v2 ....

(feat\_idx, v) is sorted according to feat\_idx in ascending order.

Ex: 1 20:1 23:0.5 34:-1 ...

When there are two classes

# The format of the model file

svm\_type c\_svc

kernel\_type rbf

gamma 0.5

nr\_class 2

total\_sv 535

rho 0.281122

label 0 1

nr\_sv 272 263

SV

0.98836

0:1 1:1 2:1 3:1 4:1 5:1 ...

...

This is weight for the support vector,  
which is equal to  $\alpha_i y_i$ .

This is a support vector with the format f1:v1 f2:v2 ...

# Classifying an instance $x$

$$\begin{aligned} f(x) &= \sum_i \alpha_i y_i K(x_i, x) - \rho \\ &= \sum_i \text{weight}_i K(x_i, x) - \rho \end{aligned}$$

where  $y_i$  (i.e.,  $x_i$ 's label) is  $+1$  ("c<sub>0</sub>") or  $-1$  ("c<sub>1</sub>").

if  $f(x) > 0$

then label it with  $c_0$

else label it with  $c_1$

# Notation differences

	In SVM paper	In libSVM
Model	$x_i, y_i, \alpha_i$ $b$	$weight_i, x_i$ $\rho$
Prediction	$\sum_i \alpha_i y_i K(x_i, x) + b$	$\sum_i weight_i K(x_i, x) - \rho$
Representing $y_i$ in training/test/output	+1 -1	0 1

# System output of svm-predict

0        ##  $c_0$

0

1        ##  $c_1$

1

0

0

1

0

Additional slides



When there are  $C$  classes

# Handling a multi-class task

- All-pair
- Build a classifier for every  $(c_m, c_n)$  pairs
  - There are  $C(C-1)/2$  classifiers
- The classifiers are stored in a compact format.

# The format of the model file (when there are $C > 2$ classes)

```
svm_type c_svc  
kernel_type rbf  
gamma 0.5  
nr_class 3  
total_sv 2698  
rho -0.0111642 -0.00216906 0.00951624  
label 0 1 2  
nr_sv 900 898 900  
SV  
0.98836 0.9975 0:1 1:1 2:1 3:1 4:1 5:1 ...  
...
```

# The rho array

It contains  $C(C-1)/2$  elements, one per classifier

0 vs. 1, 0 vs. 2, ..., 0 vs. C-1,

1 vs. 2, 1 vs. 3, ..., 1 vs. C-1

2 vs. 3, ..., 2 vs. C-1

...

C-2 vs. C-1

# The format of the SV line

Each line includes  $C-1$  weights (i.e.,  $y_i \alpha_i$ ) followed by the vector.

$w_1 w_2 \dots w_{C-1} f1:v1 f2:v2 \dots$

Suppose the current vector belongs to the  $i$ -th class, the weights are ordered as follows:

$0 \text{ vs. } i \quad 1 \text{ vs. } i \quad 2 \text{ vs. } i \quad \dots \quad i-1 \text{ vs. } i$   
 $i \text{ vs. } i+1 \quad i \text{ vs. } i+2 \quad i \text{ vs. } i+3 \quad \dots \quad i \text{ vs. } C-1$

Ex1:  $i=0$

$0 \text{ vs. } 1, 0 \text{ vs. } 2, 0 \text{ vs. } 3, \dots, 0 \text{ vs. } C-1$

Ex2:  $i=4$

$0 \text{ vs. } 4, 1 \text{ vs. } 4, 2 \text{ vs. } 4, 3 \text{ vs. } 4, 4 \text{ vs. } 5, 4 \text{ vs. } 6, \dots, 4 \text{ vs. } C-1$

# Classifying an instance $x$

$win[m]=0$  for every class  $m$

For each classifier for  $(m,n)$

$$\begin{aligned} f(x) &= \sum_i \alpha_i y_i K(x_i, x) - \rho \\ &= \sum_i \underbrace{\alpha_i y_i}_{weight_i} K(x_i, x) - \rho \end{aligned}$$

where  $x_i$  is a training instance with label  $c_m$  or  $c_n$ .

if  $f(x) > 0$

then  $win[m]++$

else  $win[n]++$

$sysLabel = \arg \max_m win[m]$

To classify  $x$  with a  $m$ -vs- $n$  classifier ( $m < n$ ):

$\rho$  is stored at what position?

For each  $x_i$  belonging to  $c_m$

## 0 vs.  $m$ , 1 vs.  $m$ , ...,  $m-1$  vs.  $m$ ,

##  $m$  vs.  $m+1$ ,  $m$  vs.  $m+2$ , ...,  $m$  vs.  $n$ , ...

the weight for  $m$ -vs- $n$  is stored at position  $n-1$

For each  $x_i$  belonging to  $c_n$

## 0 vs.  $n$ , 1 vs.  $n$ , 2 vs.  $n$ , ...,  $m$  vs.  $n$ , ...

the weight for  $m$ -vs- $n$  is stored at position  $m$