### Computing a Pearson r

In this Tip Sheet, you will learn how to calculate a Pearson r. To better understand the factors that affect the sign and magnitude of r, we will calculate r using the definitional formula shown below and then we will look at Excel's paste functions for computing r. Input the data below and calculate the deviation scores as shown.

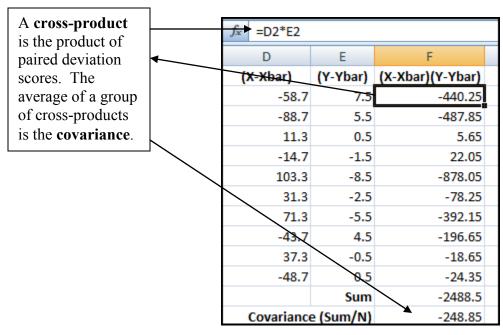
$$r = \frac{\sum (x - \overline{x})(y - \overline{y})/N}{S_x S_y}$$

Note that the			
descriptive			
standard			
deviation is			
used. For help			
creating			
deviation			
scores, see			
page 6 of Tip			
Sheet #2, and			
for more			
information on			
standard			
deviations, see			
Tip Sheet #6.			

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	B13 $\downarrow$ $f_x$ =STDEVP(B2			EVP(B2:B1	1)
	А	В	С	D	Е
1		X	Y	(X-Xbar)	(Y-Ybar)
2		45	17	-58.7	7.5
3		15	15	-88.7	5.5
4		115	10	11.3	0.5
5		89	8	-14.7	-1.5
6		207	1	103.3	-8.5
7		135	7	31.3	-2.5
8		175	4	71.3	-5.5
9		60	14	-43.7	4.5
10		141	9	37.3	-0.5
11		55	10	-48.7	0.5
12	Mean	103.7	9.5		
13	Standard Deviation	58.36	4.67		
14					

The data (fictitious) in this example represent the number of college credits a student has earned (X) and the student's score on a metric of test anxiety (Y) administered before the final exam period.

Next we are going to create the **covariance**, which is the numerator of our definitional equation above. The covariance is actually just the average **cross-product**. To calculate the covariance, create a column of cross-products (labeled (X - X)(Y - Y) below), sum them, and divide by N.



Looking at the formula above, you can see that only the numerator (covariance) affects the sign of r. Also, note that because deviation scores are multiplied together, those data points that deviate greatly from one or both of the means can have a large impact on the magnitude of r.

The next step is to compute the Pearson r. Divide the covariance by the product of the two standard deviations. Note that the formula used to compute r is displayed in the formula bar.

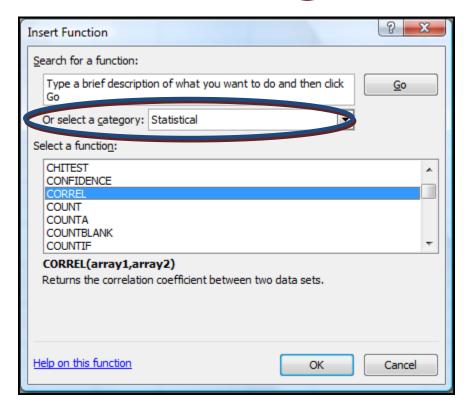
F14 • f <sub>x</sub> =F13/(B13*C13)							
	А	В	С	D	Е	F	G
1		X	Y	(X-Xbar)	(Y-Ybar)	(X-Xbar)(Y-Ybar)	
2		45	17	-58.7	7.5	-440.25	
3		15	15	-88.7	5.5	-487.85	
4		115	10	11.3	0.5	5.65	
5		89	8	-14.7	-1.5	22.05	
6		207	1	103.3	-8.5	-878.05	
7		135	7	31.3	-2.5	-78.25	
8		175	4	71.3	-5.5	-392.15	
9		60	14	-43.7	4.5	-196.65	
10		141	9	37.3	-0.5	-18.65	
11		55	10	-48.7	0.5	-24.35	
12	Mean	103.7	9.5		Sum	-2488.5	
13	<b>Standard Deviation</b>	58.36	4.67	Covariance (Sum/N)		-248.85	
14					r	-0.91	
15							

## **Using the Paste Functions**

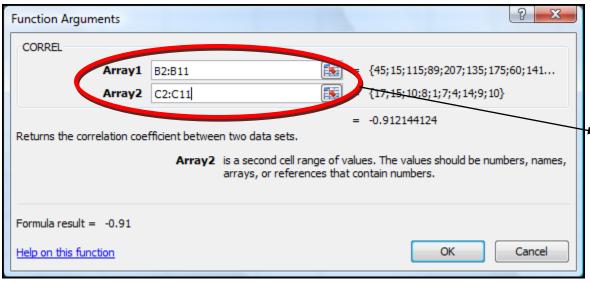
There are two paste functions that will calculate a Pearson r for you when given only the raw data. They are CORREL and PEARSON. We will use CORREL because it uses the definitional formula to compute r. PEARSON will usually work fine; however, if you are trying to find correlations for very large numbers PEARSON may return a value containing significant rounding errors because it uses a different formula, which is often referred to as the computational or calculator formula. The use of CORREL is illustrated below.



First, click on the  $f_x$  symbol next to the function bar (circled in red to the left)



The "Insert Function" window will open. Select "Statistical" from the "Or select a category" menu (circled in blue to the left). Then, scroll down and highlight "CORREL" in the field below "Select a function" (highlighted to the left). Click "OK."



The two columns of data are selected in the "Array1" and "Array2" fields. Press OK and you should see output similar to that on the next page.



$f_x$	=CORREL(B2:B11,C2:C11)				
	В	С	D		
	X	Y			
	45	17			
	15	15			
	115	10			
	89	8			
	207	1			
	135	7			
	175	4			
	60	14			
	141	9			
	55	10			
r	-0.91				

In the image below you can see that PEARSON gives the same answer in this case.

$\overline{}$	4				
$f_x$	=PEARSON(B2:B11,C2:C11)				
	В	С	D		
	X	Y			
	45	17			
	15	15			
	115	10			
	89	8			
	207	1			
	135	7			
	175	4			
	60	14			
	141	9			
	55	10			
r	-0.91				