



The Greedy Method Technique	
The greedy method is a general algorithm design paradigm, built on the following elements:	
 configurations: different choices, collections, or values to find 	
 objective function: a score assigned to configurations, which we want to either maximize or minimize 	
It works best when applied to problems with the	
greedy-choice property:	
 a globally-optimal solution can always be found by a series of local improvements from a starting configuration 	
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- Problem: A dollar amount to reach and a collection of coin amounts to use to get there.
- Configuration: A dollar amount yet to return to a customer plus the coins already returned
- Objective function: Minimize number of coins returned.
- Greedy solution: Always return the largest coin you can
 Example 1: Coins are valued \$.32, \$.08, \$.01
 - Has the greedy-choice property, since no amount over \$.32 can be made with a minimum number of coins by omitting a \$.32 coin (similarly for amounts over \$.08, but under \$.32).
- Example 2: Coins are valued \$.30, \$.20, \$.05, \$.01
 - Does not have greedy-choice property, since \$.40 is best made with two \$.20's, but the greedy solution will pick three coins (which ones?)
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Task Sc	he	edu	JII	ng						A CONTRACTOR		
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Machine 2								_	_			
Machine 1	_			1	_							
·····	-1-				-	-		-	-	-		
	1	2	3	4	5	6	7	8	9			
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Algorithm	
 Greedy choice: consider tasks by their start time and use as few machines as possible with this order. Correctness: When kth machine is created to do task i (at time s), all k-1 other machines are busy with another task at time s 	Algorithm taskSchedule(T) Input: set T of tasks w/ start time s_i and finish time f_i Output: non-conflicting schedule with minimum number of machines $m \leftarrow \theta$ [no. of machines]
 There are k tasks that conflict with each other at time s_i At least k machines necessary. 	while <i>I</i> is not empty remove task <i>i</i> w/smallest s_i if there's a machine <i>j</i> for <i>i</i> then schedule <i>i</i> on machine <i>j</i> else $m \leftarrow m + 1$
start-time?	schedule i on machine m







